

μ

μ
μ

μ

μ



:

μ « »
μ μ μ μ μ ,
μ μ μ μ .

ABSTRACT

The object of the thesis is to investigate the effect of corrosion of steel reinforcement in stress pulse propagation. It is a first attempt to explore the possibility to control qualitatively the corrosion of steel reinforcement in concrete by non-destructive manner.

For this purpose, four cylindrical concrete specimens were made. Two reinforcing bars were placed to each specimen, one healthy and one affected by corrosion. Strain gauges were attached on the reinforcing bars. The specimens were subjected to impact stress load, on three different spots of each specimen: the free end of the non corroded rod, the free end of the rod affected by corrosion and the concrete surface between the two rods. The time-histories of pulse propagation in healthy and affected by corrosion rod were recorded, using a data acquisition system. The experimental procedure was carried out in the Laboratory of Strength of Materials, School of Applied Mathematical and Physical Sciences Mechanics, NTUA.

The results indicated that there is a weak differentiation in the stress pulse propagation within non corroded reinforcement rods and corroded ones.

.....	vii
Abstract.....	ix

.....	1
-------	---

1 –

1.1	3
1.2	μ μ	4
1.2.1	μ	4
1.2.2	μ	4
1.3	μ μ	6
1.3.1	μ	7
1.3.2	8
1.4	μ μ	9
1.4.1	10
1.4.2	μ μ	11
1.4.3	μ	11
1.4.4	12
1.5	μ	13

2 –

2.1	17
2.2	μ	20
2.3	μ	22
2.4	μ	25

3 –

3.1	29
3.2	μ μ	29

3.3	μ	μ	μ	33
3.4	μ	μ		37
3.5				40
3.6		μ		41
3.7	μ		μ	42
3.8			μ	42

4 –

4.1				43
4.2	$\mu\mu$			44
4.3		μ	μ	78

5 –

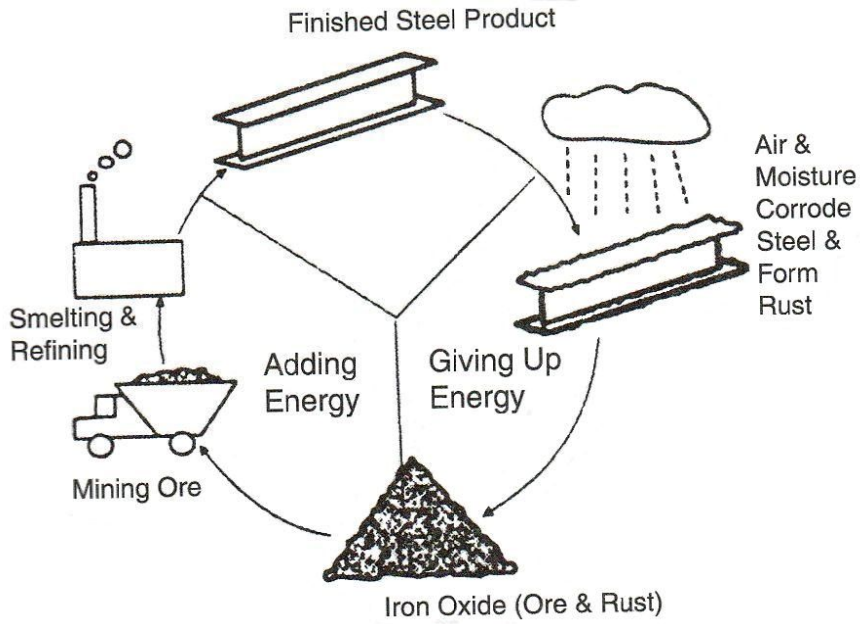
				85
				89
				93

μ μ μ μ μ
μ .
, ,
100 , μ μ
μ . μ
μ , μ
, μ .
μ μ μ ,
μ . μ
μ , μ μ
« » , μ μ μ
, μ μ μ
μ (μ)
μ μ ,
μ μ
μ .
μ μ μ ,
μ μ μ
μ μ μ .
μ μ μ μ μ μ μ μ
μ μ μ μ μ μ μ μ μ .
μ μ μ μ μ μ μ μ μ μ .
μ μ μ μ μ μ μ μ μ μ .
μ μ μ μ μ μ μ μ μ μ .
μ μ μ μ μ μ μ μ μ μ .
μ μ μ μ μ μ μ μ μ μ .
μ μ μ μ μ μ μ μ μ μ .

1

1.1

, μ μ μ μ (deterioration).
 μ μ
 μ μ
 μ - - μ μ
 μ μ μ μ
 , μ μ μ μ
 μ μ μ μ
 μ μ μ μ μ μ
 μ μ



. 1.1:

(J.R. Davis, 2000)

μ μ
 : , , ,
 , μ , , μμ , . . μ
 μ μ μ μ μ , ,
 μ . μ μ ,
 μ μ μ μ μ
 μ μ μ . , ,
 μ μ

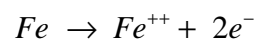
1.2 μ μ

1.2.1 μ

μ μ μ , μ
 μ μ μ
 μ () μ
 μ (). μ
 μ μ , μ (oxidation), μ
 μ (reduction) , μ
 μ .

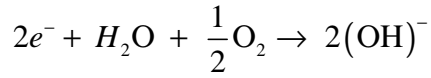
1.2.2 μ

(μ) μ
 . μ
 , μ μ
 , μ μ :

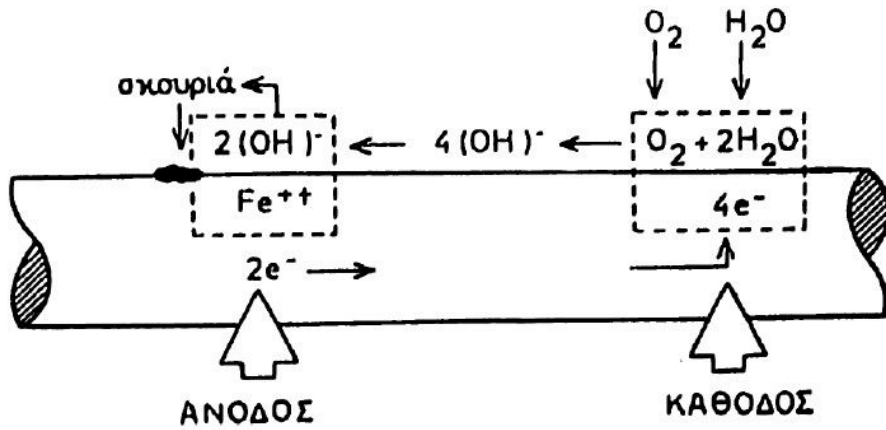
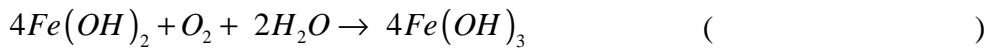


μ μ μ , μ
 μ
 , μ

· , μ
 , μ
 , μ μ :



μ
 , μ μ
 μ , :

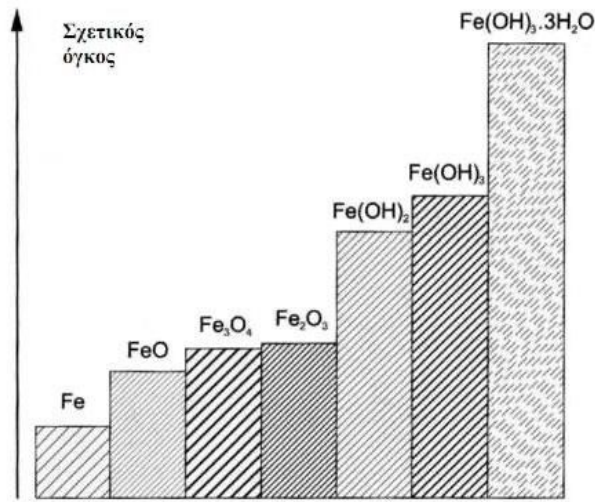


. 1.2: μ μ μ μ (. . . , . μ , 1993) μ



, μ , μ

μ μ



. 1.3:

1.3

μ μ

μ ,
 μ μ « » . μ
 , *Ca(OH)₂*,
 μ . , μ μ pH (9
 12,8) μ μ
 μ μ . μ
 μ . , μ μ
 , μ μ μ ,
 . . μ μ ()
 μ () .
 , μ μ
 . μ μ
 μ (carbonation of concrete)
 (chloride attack).

1.3.1

μ

μ

CO₂,

μ

μ

.

μ

μ

μ

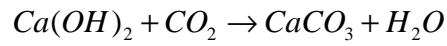
μ

,

μ

μ

:



μ

μ

μ

CO₂.

μ

μ

.

,

μ

μ

μ

μ

, μ

μ

pH μ

μ

μ

9,

μ

μ (

μ

μ

pH

μ 8,3).

μ

(μ

μ

50% 70%.

μ

,

μ

,

μ

μ

μ

μ

CO₂

),

μ

,

μ (

μ

μ

,

μ

μ

μ

μ),

(μ

μ

μ

μ),

μ

(. .

μ

μ

μ

μ

,

μ

μ Portland . .)

CO₂ (μ

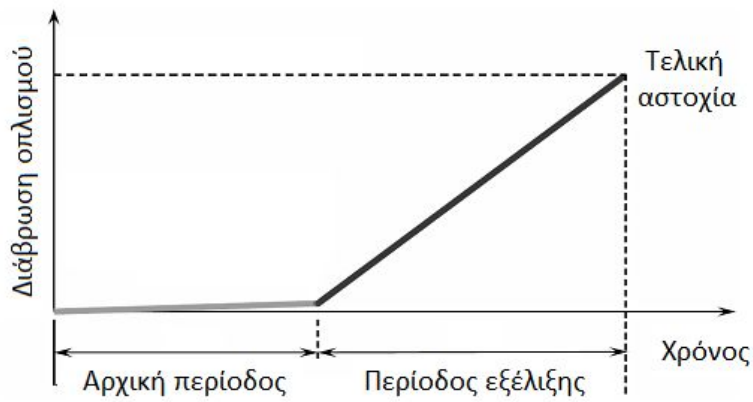
μ

CO₂

μ

).

μ , μ , μ , μ .
 μ () .
 μ μ
 μ « » (μ μ -
) .
 Tuutti (1982).

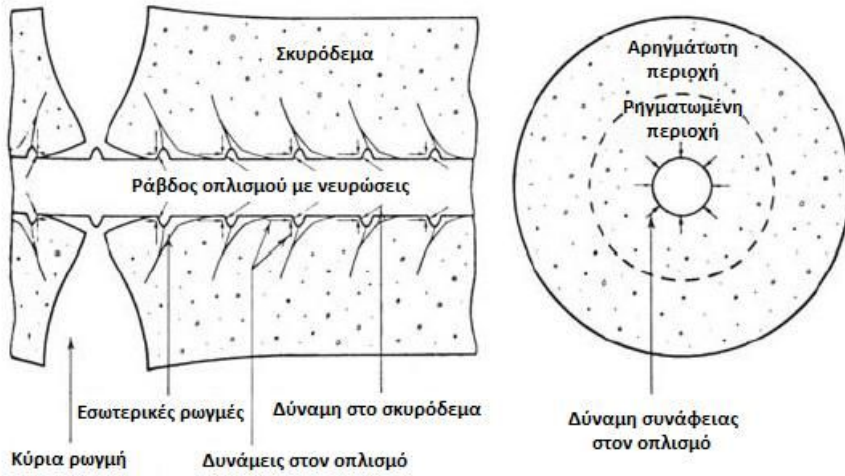


. 1.5: Tuutti (. . μ , . μ , 1993) -

1.4.1

μ μ
 (μ) μ μ
 (μ μ) . μ ,
 μ μ . μ
 (2007),
 μ .

μ μ μ
 μ , μ μ μ
 μ , μ
 μ .



. 1.6:

μ μ μ μ (, 2006) μ μ

μ - μ μ

μ

.

μ

μ

μ ,

μ .

, μ μ

,

μ

μ

μ

, μ μ

,

μ

.

1.4.4

μ

, μ

μ

μ .

μ

μ

.

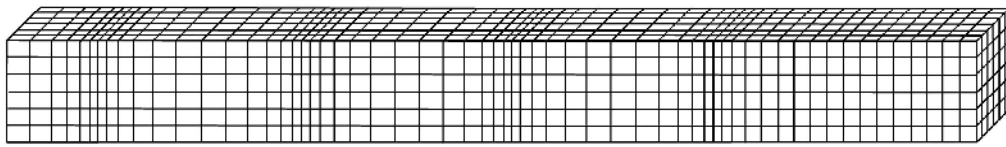
,

μ

μ .

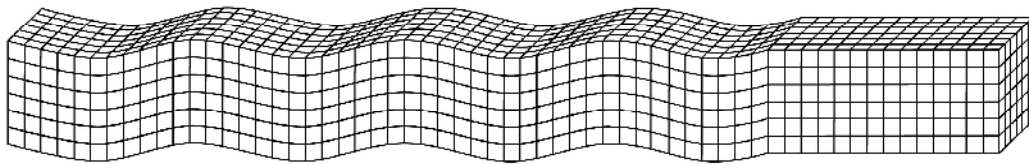
- μ , μ μ ,
 μ .
- μ , μ
 μ .
 μ μ μ μ μ
 μ μ μ μ
 μ μ . , μ μ
 μ , μ μ
 μ .
 μ μ μ μ
 μ μ μ .
 μ μ μ μ
 μ , , μ ,
 μ , .
, μ μ μ
: strain gauges (Batis and Routoulas,
1999). μ μ μ ,
 μ μ μ

μ μ « μ » « μ ». μ μ
 μ μ μ μ μ μ
 , μ μ μ .
 (transverse) μ μ
 μ μ . μ μ
 μ μ . μ , ,
 μ « » « » μ μ
 μ μ μ , μ
 μ , μ - .



Διεύθυνση διάδοσης κύματος →

. 2.1: μ μ μ μ

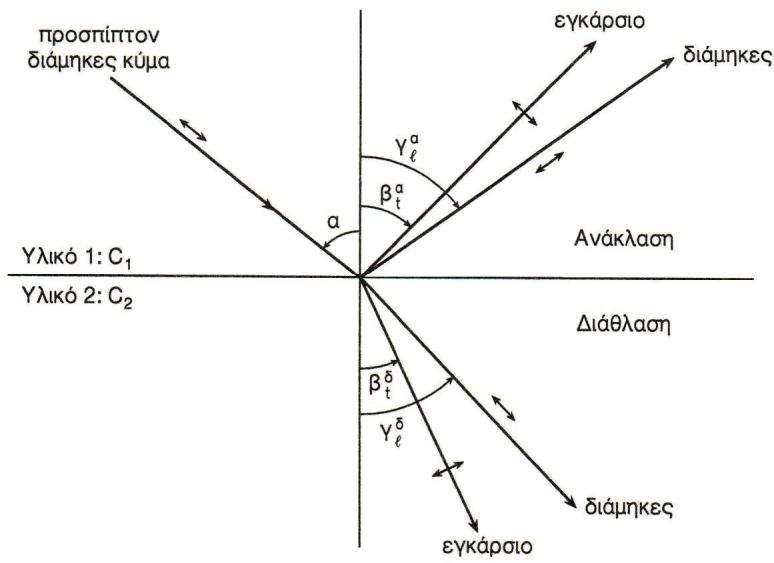


Διεύθυνση διάδοσης κύματος →

. 2.2: μ μ μ

μ μ μ
 μ μ μ
 μ μ μ
 μ μ μ
 μ .

μ μ μ ,
 μ μ μμ .
 μ μ , ,
 μ μ μ :
 μ (μ
) μ (μ
).



. 2.3: μ

μ μ μ c μ ,
 μ μ
 μ Snell:

$$\frac{\sin \alpha}{c^{\pi}_{11}} = \frac{\sin \gamma^{\alpha}_l}{c^{\alpha}_{11}} = \frac{\sin \beta^{\alpha}_t}{c^{\alpha}_{t1}} = \frac{\sin \gamma^{\delta}_l}{c^{\delta}_{12}} = \frac{\sin \beta^{\delta}_t}{c^{\delta}_{t2}}$$

, μ μ μ μ ,
 μ (μ) :

$$\frac{\sin \alpha}{c_{\alpha}} = \frac{\sin \gamma^{\alpha}_l}{c_l} = \frac{\sin \beta^{\alpha}_t}{c_t}$$

μ

μ

μ

μ

μ

Hopkinson (Hopkinson Pressure Bar).

$\mu : \mu$

μ

,

μ

μ

μ

,

μ

μ

,

.

μ

μ

μ

μ

(

μ

μ

μ

μ

).

μ

,

μ

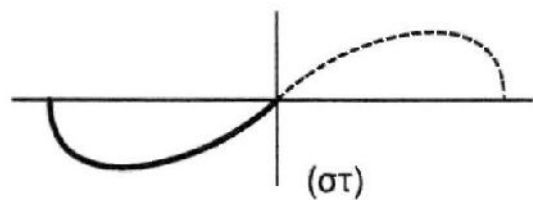
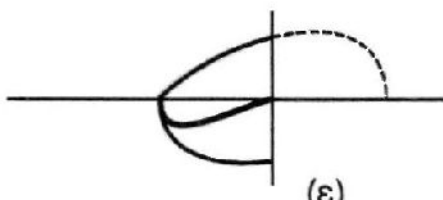
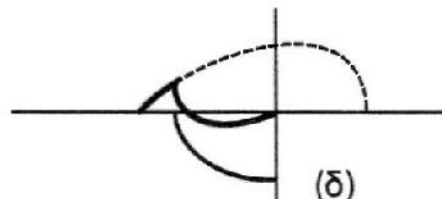
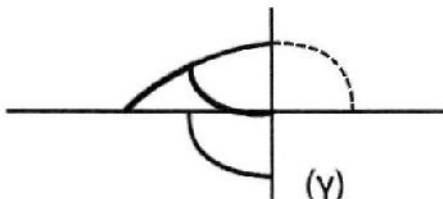
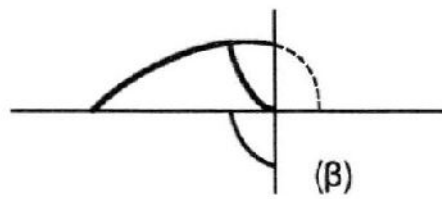
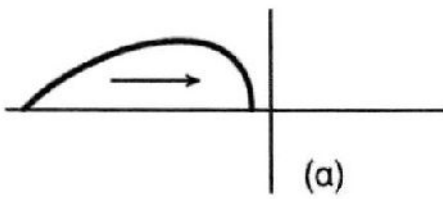
,

μ

,

μ

.



.2.5: μ

μ

2.3

μ

μ

μ

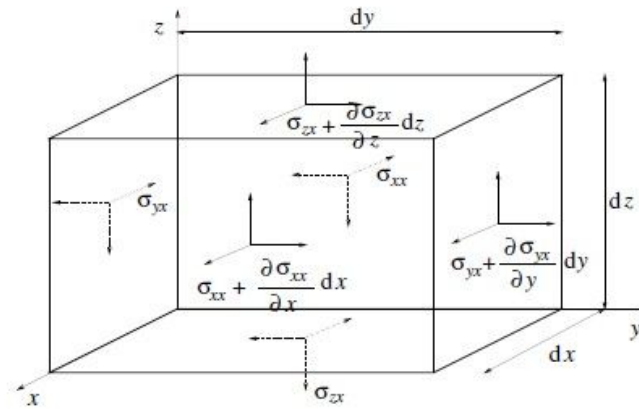
μ

dx, dy

dz, μ

μ

μ



. 2.6:

μ

μ

μ

μ

μ

μ

μ

μ

x

:

$$\left(\frac{\partial \sigma_{xx}}{\partial x} + \frac{\partial \sigma_{yx}}{\partial y} + \frac{\partial \sigma_{zx}}{\partial z} \right) dx dy dz \quad (2.1)$$

μ

μ

μ

μ

μ

$x:$

$$\rho dx dy dz \frac{\partial^2 u}{\partial t^2} \quad (2.2)$$

:

μ

u

μ

x

(2.1) (2.2) μ

x:

$$\frac{\partial \sigma_{xx}}{\partial x} + \frac{\partial \sigma_{yx}}{\partial y} + \frac{\partial \sigma_{zx}}{\partial z} = \rho \frac{\partial^2 u}{\partial t^2} \quad (2.3)$$

y z:

$$\frac{\partial \sigma_{xy}}{\partial x} + \frac{\partial \sigma_{yy}}{\partial y} + \frac{\partial \sigma_{zy}}{\partial z} = \rho \frac{\partial^2 v}{\partial t^2} \quad (2.4)$$

$$\frac{\partial \sigma_{xz}}{\partial x} + \frac{\partial \sigma_{yz}}{\partial y} + \frac{\partial \sigma_{zz}}{\partial z} = \rho \frac{\partial^2 w}{\partial t^2} \quad (2.5)$$

:

, w

μ

y z

μ

,

-

μ

:

$$\sigma_{xx} = \lambda \Delta + 2\mu \varepsilon_{xx}$$

$$\sigma_{yy} = \lambda \Delta + 2\mu \varepsilon_{yy}$$

$$\sigma_{zz} = \lambda \Delta + 2\mu \varepsilon_{zz}$$

(2.6)

$$\sigma_{yz} = 2\mu \varepsilon_{yz}$$

$$\sigma_{zx} = 2\mu \varepsilon_{zx}$$

$$\sigma_{xy} = 2\mu \varepsilon_{xy}$$

:

, μ

Lamé.

μ

μ

μ

μ

,

μ

: $\Delta = \varepsilon_{xx} + \varepsilon_{yy} + \varepsilon_{zz}$

μ $-\mu$:

$$\varepsilon_{xx} = \frac{\partial u}{\partial x}, \quad \varepsilon_{yy} = \frac{\partial v}{\partial y}, \quad \varepsilon_{zz} = \frac{\partial w}{\partial z}$$

$$\varepsilon_{xy} = \frac{1}{2} \left(\frac{\partial u}{\partial y} + \frac{\partial v}{\partial x} \right)$$

(2.7)

$$\varepsilon_{xz} = \frac{1}{2} \left(\frac{\partial w}{\partial x} + \frac{\partial u}{\partial z} \right)$$

$$\varepsilon_{yz} = \frac{1}{2} \left(\frac{\partial w}{\partial y} + \frac{\partial v}{\partial z} \right)$$

μ , (2.6) (2.7), (2.3), (2.4)
 (2.5) x,y z , :

$$(\lambda + \mu) \frac{\partial \Delta}{\partial x} + \mu \nabla^2 u = \rho \frac{\partial^2 u}{\partial t^2} \quad (2.8)$$

$$(\lambda + \mu) \frac{\partial \Delta}{\partial y} + \mu \nabla^2 v = \rho \frac{\partial^2 v}{\partial t^2} \quad (2.9)$$

$$(\lambda + \mu) \frac{\partial \Delta}{\partial z} + \mu \nabla^2 w = \rho \frac{\partial^2 w}{\partial t^2} \quad (2.10)$$

:

∇^2 Laplace : $\nabla^2 = \frac{\partial^2}{\partial x^2} + \frac{\partial^2}{\partial y^2} + \frac{\partial^2}{\partial z^2}$

μ μ (2.8) x, μ
 (2.9) y μ (2.10) z μ

μ :

$$\rho \frac{\partial^2 \Delta}{\partial t^2} = (\lambda + 2\mu) \nabla^2 \Delta \quad (2.11)$$

μ :

$$\frac{\partial^2 \Delta}{\partial t^2} = c_1^2 \nabla^2 \Delta \quad (2.12)$$

(2.12) μ μ . , μ , μ c_1 .

2.4 μ

μ μ

μ :

$$c_1 = \sqrt{\frac{\lambda + 2\mu}{\rho}} \quad (2.13)$$

μ (2.9) (2.10),

μ (2.9) z μ (2.10)

y μ μ , :

$$\rho \frac{\partial^2}{\partial t^2} \left(\frac{\partial w}{\partial y} - \frac{\partial v}{\partial z} \right) = \mu \nabla^2 \left(\frac{\partial w}{\partial y} - \frac{\partial v}{\partial z} \right) \quad (2.14)$$

:

$$\rho \frac{\partial^2 \bar{\omega}_x}{\partial t^2} = \mu \nabla^2 \bar{\omega}_x \quad (2.15)$$

:

$\bar{\omega}_x$ x

(2.15) μ :

$$c_2 = \sqrt{\frac{\mu}{\rho}} \quad (2.16)$$

$\bar{\omega}_y$ $\bar{\omega}_z$.

(2.10) : μ ($= 0$), (2.8), (2.9)

$$\rho \frac{\partial^2 u}{\partial t^2} = \mu \nabla^2 u \quad (2.17)$$

$$\rho \frac{\partial^2 v}{\partial t^2} = \mu \nabla^2 v \quad (2.18)$$

$$\rho \frac{\partial^2 w}{\partial t^2} = \mu \nabla^2 w \quad (2.19)$$

$\bar{\omega}_x, \bar{\omega}_y, \bar{\omega}_z$ μ , u, w
 μ μ :

$$u = \frac{\partial \varphi}{\partial x}, \quad v = \frac{\partial \varphi}{\partial y}, \quad w = \frac{\partial \varphi}{\partial z} \quad (2.20)$$

:

μ μ

:

$$\Delta = \nabla^2 \varphi, \quad \frac{\partial \Delta}{\partial \varphi} = \nabla^2 u \quad (2.21)$$

(2.21), (2.8) :

$$(\lambda + 2\mu) \nabla^2 u = \rho \frac{\partial^2 u}{\partial t^2} \quad (2.22)$$

μ (2.9) (2.10) :

$$(\lambda + 2\mu) \nabla^2 v = \rho \frac{\partial^2 v}{\partial t^2} \quad (2.23)$$

μ μ μ (μ)

μ , μ .

μ) , μ μ (μ) .

μ , μ μ μ ,

μ :
 μ μ μ , μ :

$$v_1 = \frac{\sigma}{\rho c_1} \quad (2.27)$$

:

μ

μ : μ μ ,

$$v_2 = \frac{\tau}{\rho c_2} \quad (2.28)$$

:

μ

μ

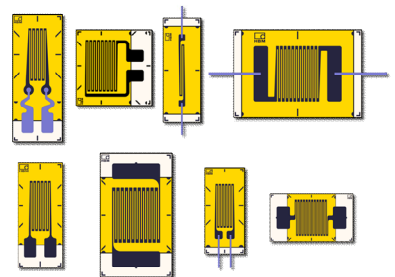
3

3.1

μ
 μ μ . μ μ ,
 μ μ , μ μ 15
 30 , μ
 μ μ . μ
 μ μ . μ 2 μ
 μ , μ μ , μ μ μ .
 μ μ μ μ
 μ , μ μ μ . ,
 μ μ μ μ

3.2

μ μ μ μ ,
 μ μ μ . μ
 μ μ μ μ (strain gauges)
 μ , μ μ .
 μ , μ



.3.1: μ μ

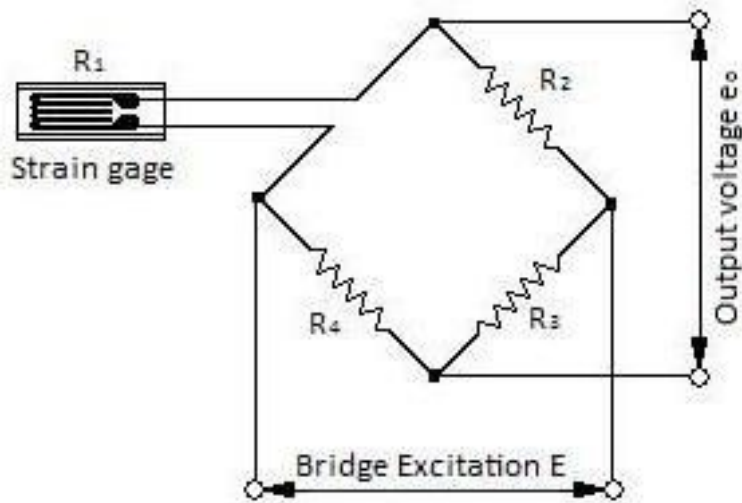
μ μ () μ
 (μ) μ , μ
 μ () μ . R
 μ R, :

$$\frac{\Delta R}{R} = K_s \cdot \epsilon$$

:

K_s μ (gauge factor), μ
 μ

μ μ μ μ μ μ μ μ
 μ . , μ μ μ μ , μ μ μ
 Wheatstone, μ μ μ
 μ .



. 3.2: Wheatstone

(Output voltage) e_0 :

$$e_0 = \frac{R_1 R_3 - R_2 R_4}{(R_1 + R_2)(R_3 + R_4)} \cdot E$$

:

(Bridge Excitation)

R_1 μ

R_2, R_3, R_4

μ $R,$ μ ,
:

$$e_0 = \frac{(R_1 + \Delta R) R_3 - R_2 R_4}{(R_1 + \Delta R + R_2)(R_3 + R_4)} \cdot E$$

μ $R_1 = R_2 = R_3 = R_4 = R,$:

$$e_0 = \frac{R^2 + R \Delta R - R^2}{(2R + \Delta R) 2R} \cdot E$$

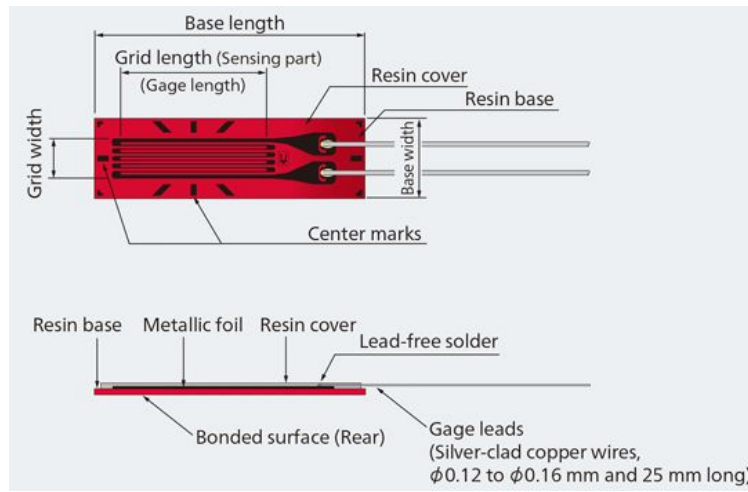
μ R μ $R,$
:

$$e_0 \approx \frac{1}{4} \frac{\Delta R}{R} \cdot E = \frac{1}{4} K_s \cdot \varepsilon \cdot E$$

μ , μ , μ

μ KFG-2-120-C1-11, μ KYOWA, μ

μ μ μ .



. 3.3: μ μ μ μ μ

$$\mu \quad 120.2 \pm 0.2 \Omega (24^\circ C, 50\% RH)$$

$$(\text{gauge factor}) \quad 2.21 \pm 1.0\% (24^\circ C, 50\% RH).$$

μ (μ) μ .

Materials Resistive element	CuNi alloy foil
Materials Base	Polyimide
Operating temperature ranges in combination with major adhesives after curing (°C)	CC-33A: -196 to 120°C CC-36: -30 to 100°C EP-340: -55 to 150°C PC-600: -196 to 150°C
Operating temperature ranges in combination with major leadwire cables (°C)	Polyester-coated copper cable: -196 to 150°C Vinyl-coated flat cable (L-6, L-7): -10 to 80°C middle-temperature cable (L-11, L-12): -100 to 150°C
Selftemperature-compensation range (°C)	10 to 100°C
Applicable linear expansion coefficient (×10 ⁻⁶ /°C)	5, 11, 16, 23, 27
Strain limit at room temp. (approx. %)	5.0
Fatigue life at room temp., approx. (times)	1.2×10 ⁷ (±1500μm/m)

. 3.4: μ μ μ μ

. 3.1:

μ

/	(mm)	(cm)		
1	12	31.0	S500s	
2	12	31.0	B500c	
3	12	27.0	S500s	
4	12	27.0	B500c	
5	14	31.0	B500c	
6	12	31.0	B500c	
7	14	29.0	B500c	
8	12	29.0	B500c	

μ , μ (μ)
 μ μ , μ
 μ μ , μ
 μ .



. 3.1:

μ μ μ

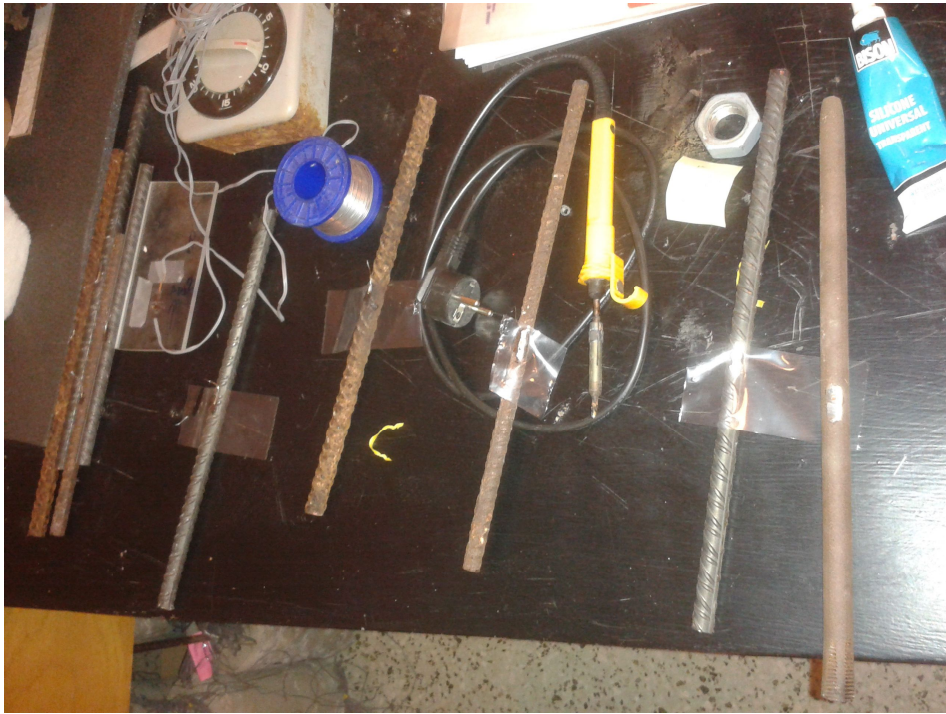
μ

μ

μ

μ

,



.3.2:

μ

μ

μ

μ



.3.3:

μ

μ

μ

μ

μ

μ

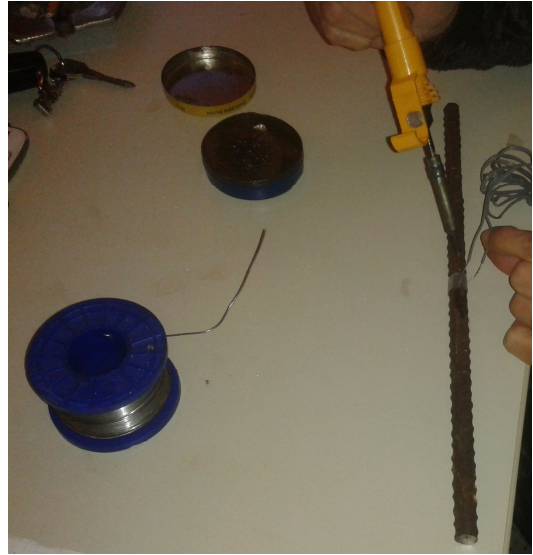
μ

,

μ

(Antex),

μ



. 3.4:

μ

μ

μ

μ

μ

μ

μ



. 3.5:

μ

μ

μ

μ

,

μ

μ

μ

,

μ

μ

μ

μ

μ

.



.3.6: μ

μ

3.4 μ μ

μ

μ

μ

μ μ

μ , μ μ

$d = 15 \text{ cm}$

$h = 30 \text{ cm}$.

μ

μ .

μ μ , μ (μμ μ)

μ μ

μ μ , μ

μ

μ μμ

μ .



.3.7: μ μ

μ μ μ .

μ , μ μ μ ,

ASTM C192/C192M.

μ , μμ ,

μ , μ 16 mm, μ μ ,

μ ,
μ μ μ .



.3.9: μ

μ μ ,
μ . μ μ ,
μ ,



.3.10: μ μ

μ

μ μ

.



.3.11: μ μ μ μ

3.5

μ μ μ μ , μ
 , μ μ
 μ μ
 μ μ μ μ μ μ
 μ μ :
 , μ
 μ μ .



.3.12: μ μ

3.6

μ

μ

μ

μ

μ

μ

μ

μ

μ

μ

,

μ

(Data Acquisition System) Model 6035

Pacific

Instruments,

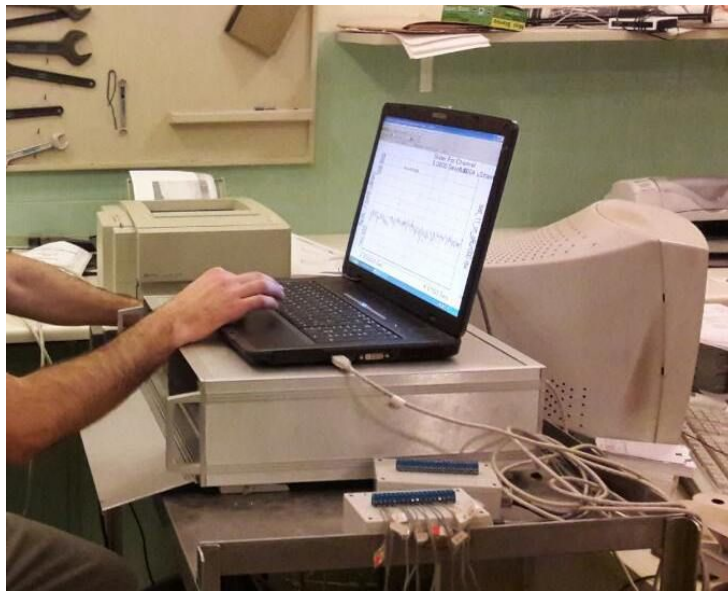
μ

μ μ

μ

μ

.



. 3.13: μ μ

μ

μ

:

1.

μ

μ

μ

μ

μ

,

4

8

, μ

USB.

2.

8-

μ

μ

μ

-

.

3.

μ

,

μ

, μ

/ .

4.

/ .

μ

μ

μ

250.000

3	μ
---	---

3.7 μ μ

μ μ , μ

μ μ .

μ μ , μ μ 27 cm, 29 cm 31 cm,

μ 12 mm 14 mm, B500c S500s, μ

μ .

μ .

.3.2: μ μ

/ μ	μ μ	/	(mm)	(cm)		
1	F12_long	1	12	31.0	S500s	
		2	12	31.0	B500c	
2	F12_short	3	12	27.0	S500s	
		4	12	27.0	B500c	
3	F14_long	5	14	31.0	B500c	
		6	12	31.0	B500c	
4	F14_short	7	14	29.0	B500c	
		8	12	29.0	B500c	

3.8 μ

μ μ μ

μ μ 150 mm 300 mm,

μ μ .

μ 23.9 MPa, 28 μ 27.5 MPa, 60 μ .

4

4.1

μ
μ ,
μ PI660-6000 μ μ Model 6035 Pacific
Instruments μ . μ
μ .

μ :
μ μ μ , μ
50.000 (μ μ
) μ 80.000 .
μ μ μ ,

μ . μ μ :
,
μ
μ μ .
μ μ

μ μ
μ (μ μ), μ
μ μ μ
μ μ .

μ :

- μμ μ μ .

- μ , μμ μ (μ , μ 3.2) μ .

• μ , μ μ (quickplot)
 μ μ μ
 (oscilloscope).

• μ , μ μ 1
 3. μ , μ μ
 , μ μ
 μ μ ,
 μ μ μ μ
 μ μ μ μ .
 μ μ μ μ

• μ μ μ μ 4.1 μ 4.24. 'q'
 μ μ μ μ μ quickplot
 'o' oscilloscope.

• μ , μ μ μ . μ ,
 μ μ μ μ
 μ μ μ μ μ
 μ . μ
 μ μ μ .

• μ μ μ μ 4.25 μ 4.32. 'q'
 μ μ μ μ μ quickplot
 'o' oscilloscope.

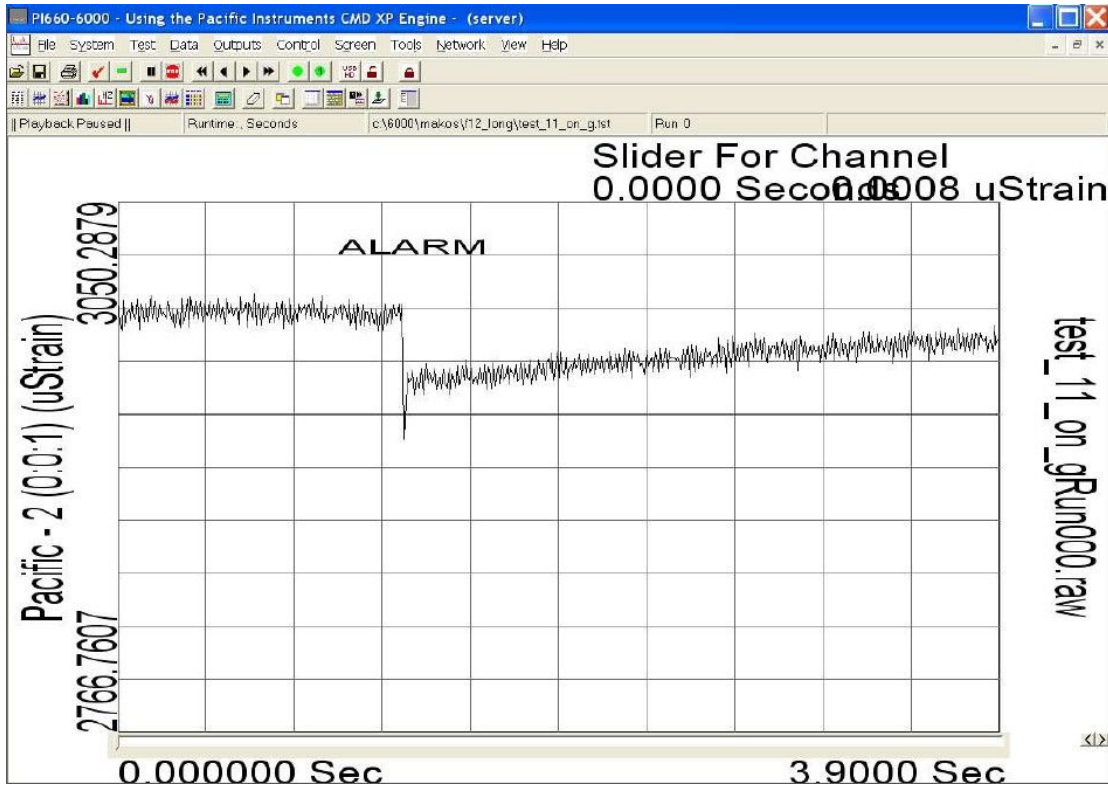
4.2 μμ

μμ μ μ (quickplot,
 μ μ 'q'), μ μ
 μ μ (μ).

μμ μ μ μ
 (oscilloscope, μ μ 'o'), μ ,
 μ μ msec,

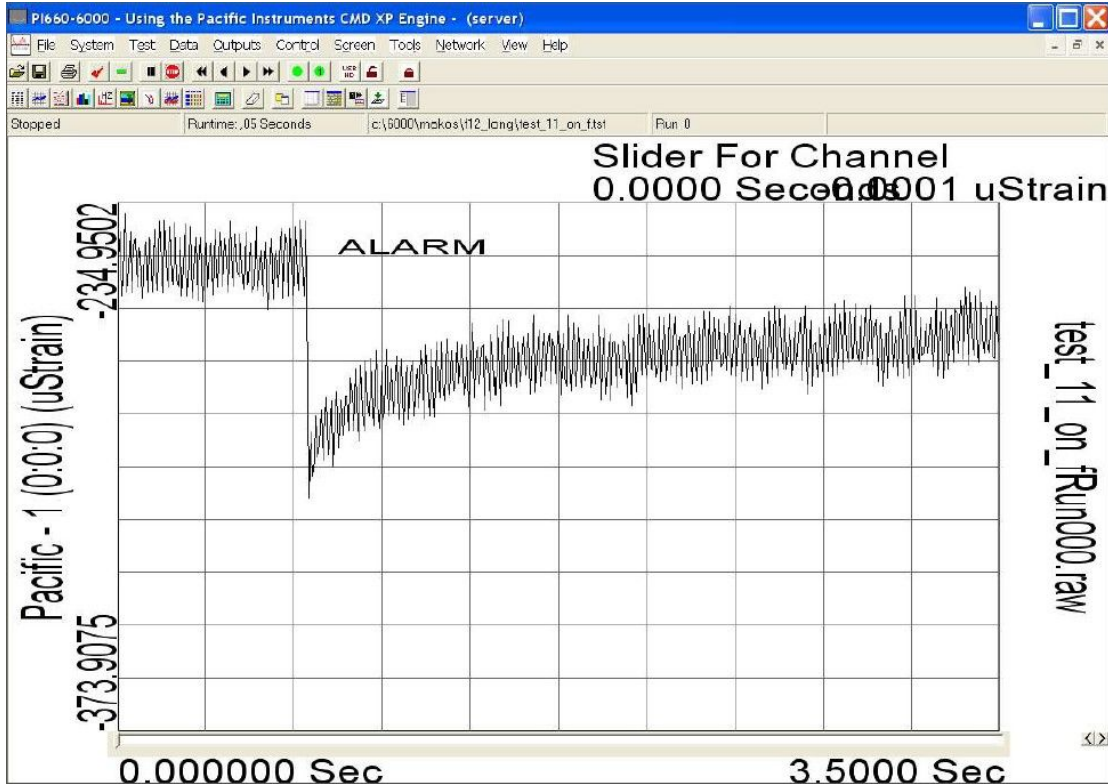
, μ μ .
μ μ , μ
μ μ μ μ μ μ
μ μ μ μ . , μ μ
μ μ μ μ μ μ
.

μ 1, μ 11



.4.1q: μ μ

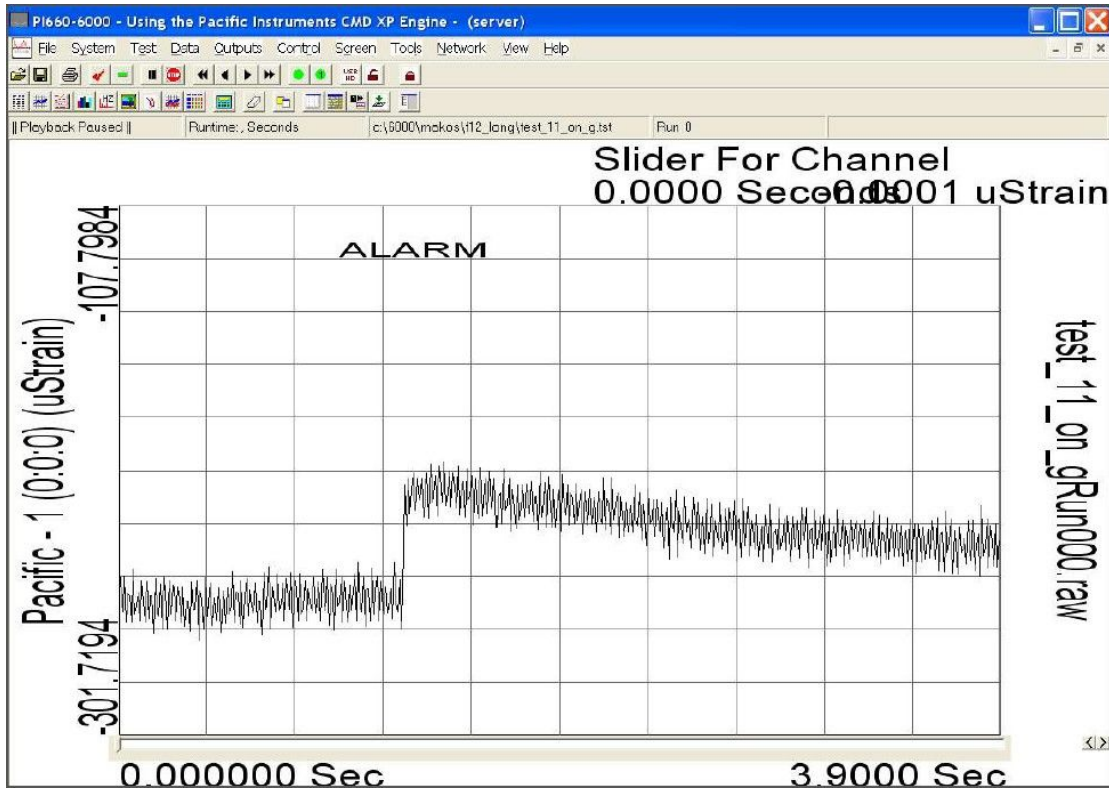
()



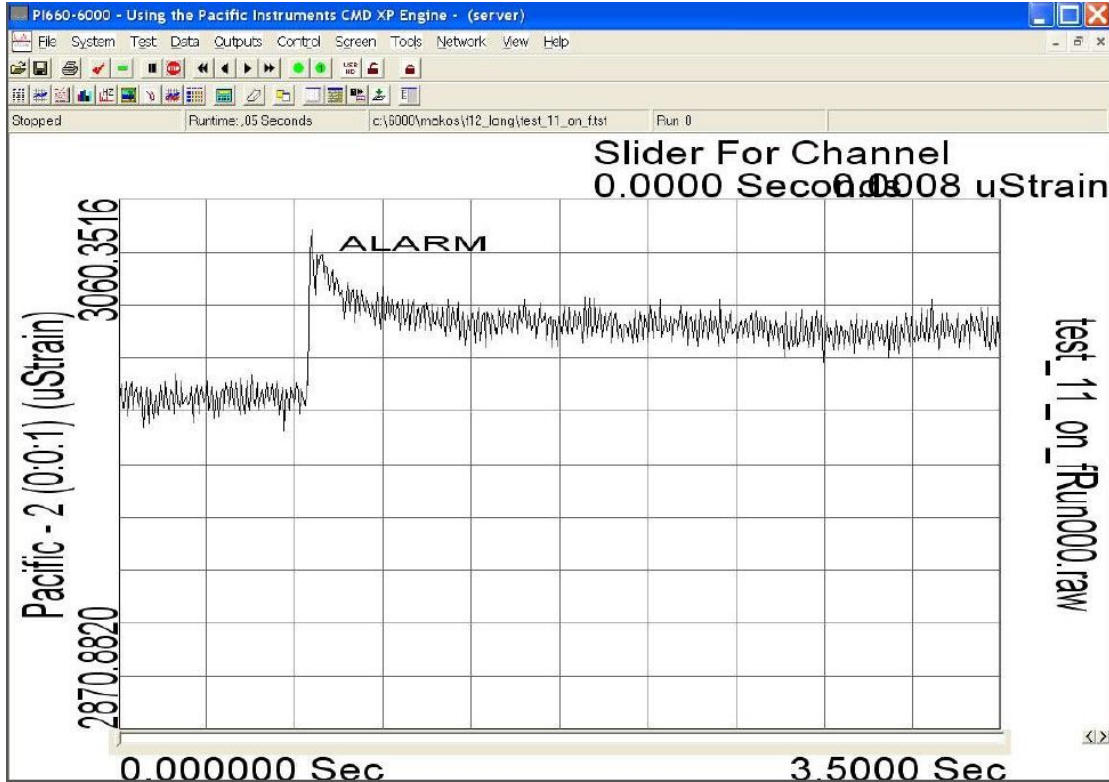
.4.2q: μ μ μ

μ ()

μ 1, μ 11

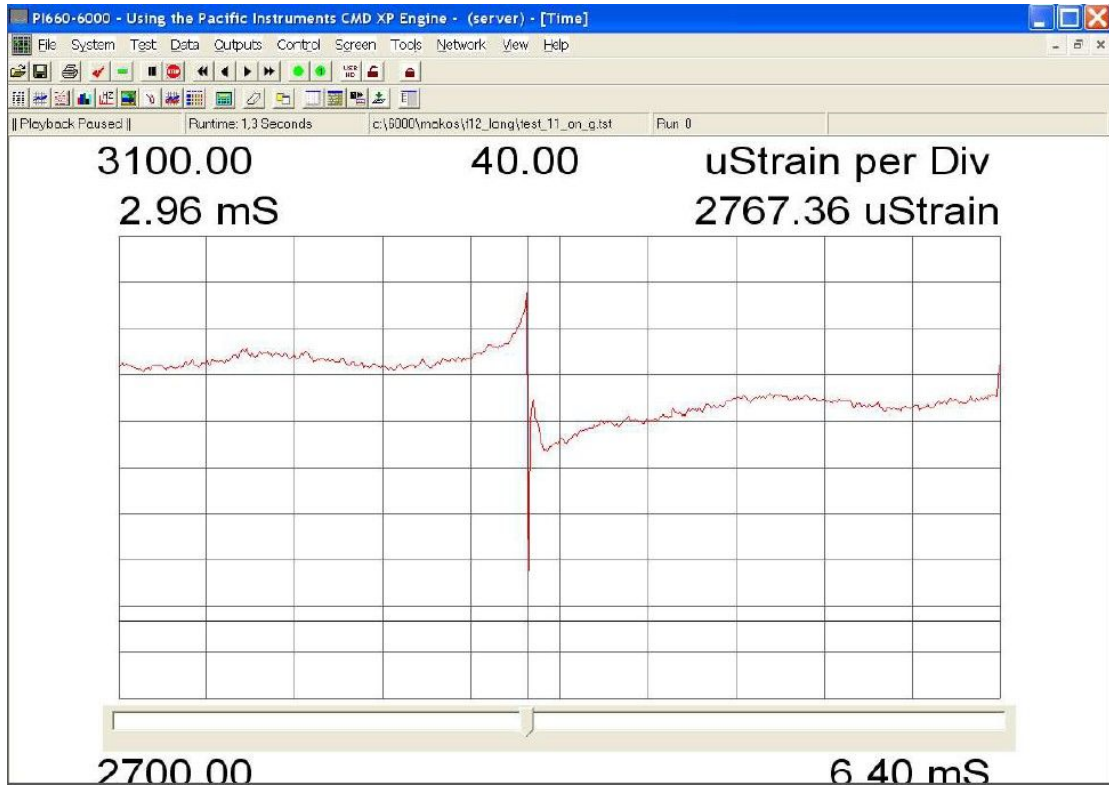


.4.3q: μ μ μ ()

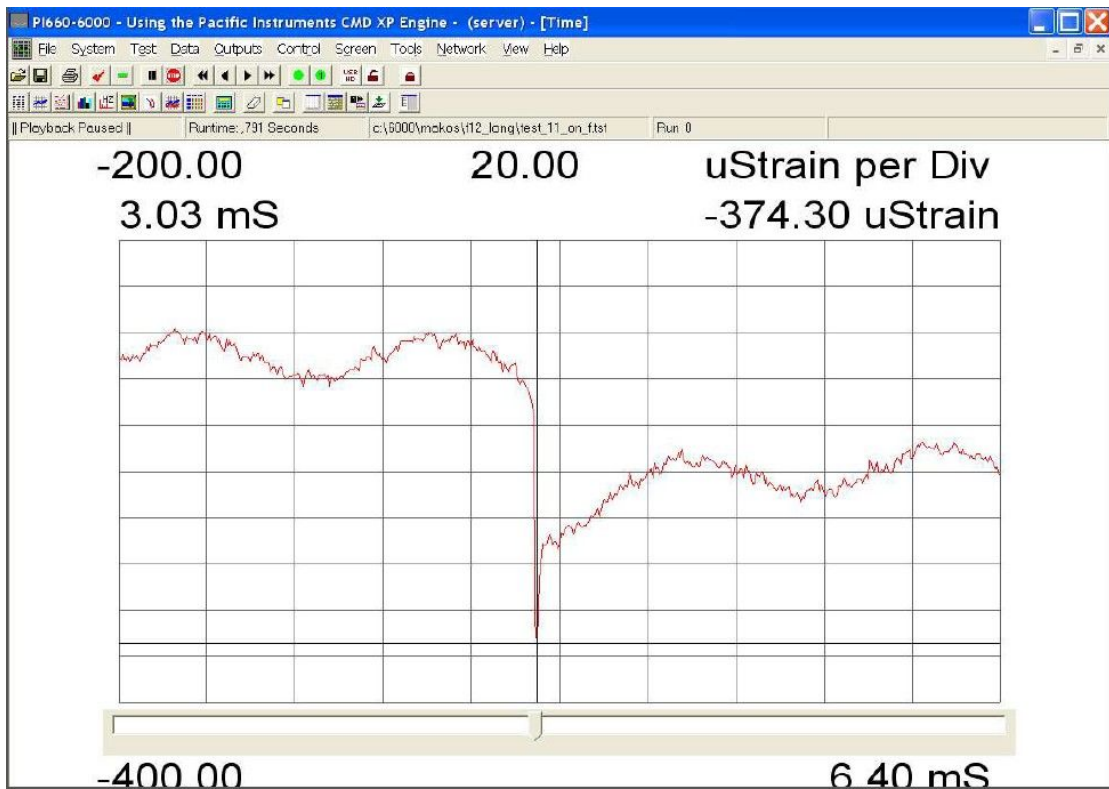


.4.4q: μ μ μ ()

μ 1, μ 11

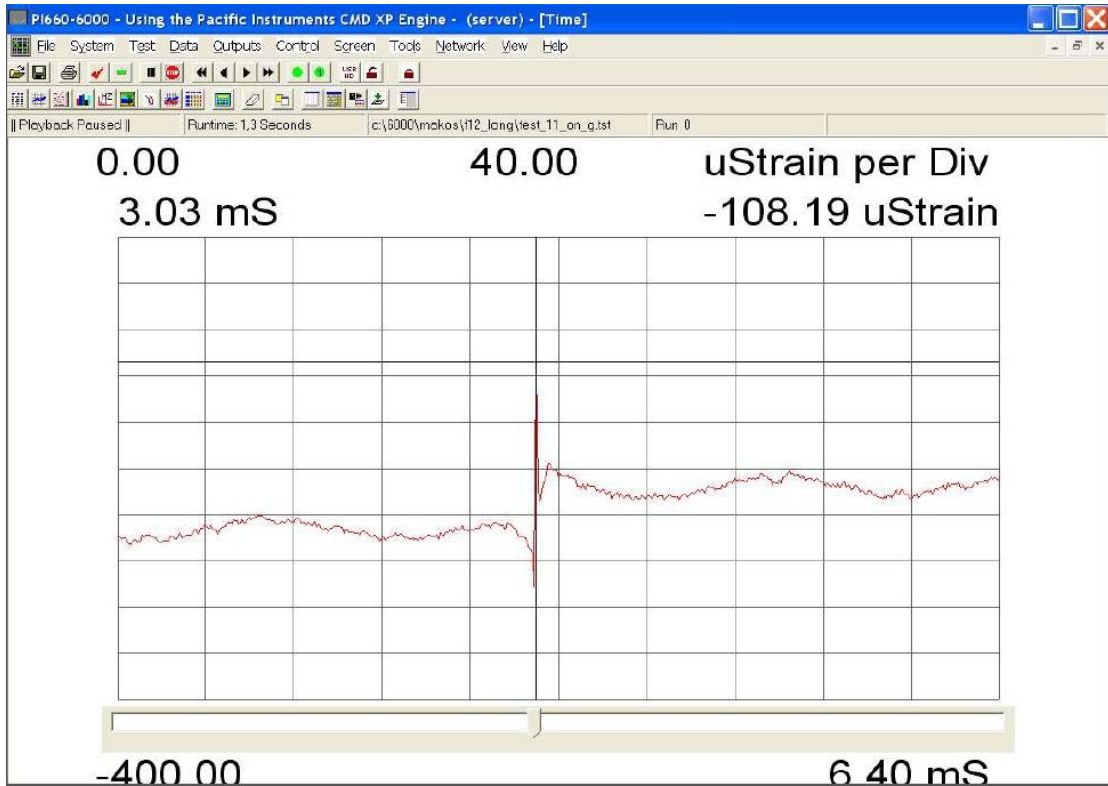


. 4.1o: μ μ (μ)

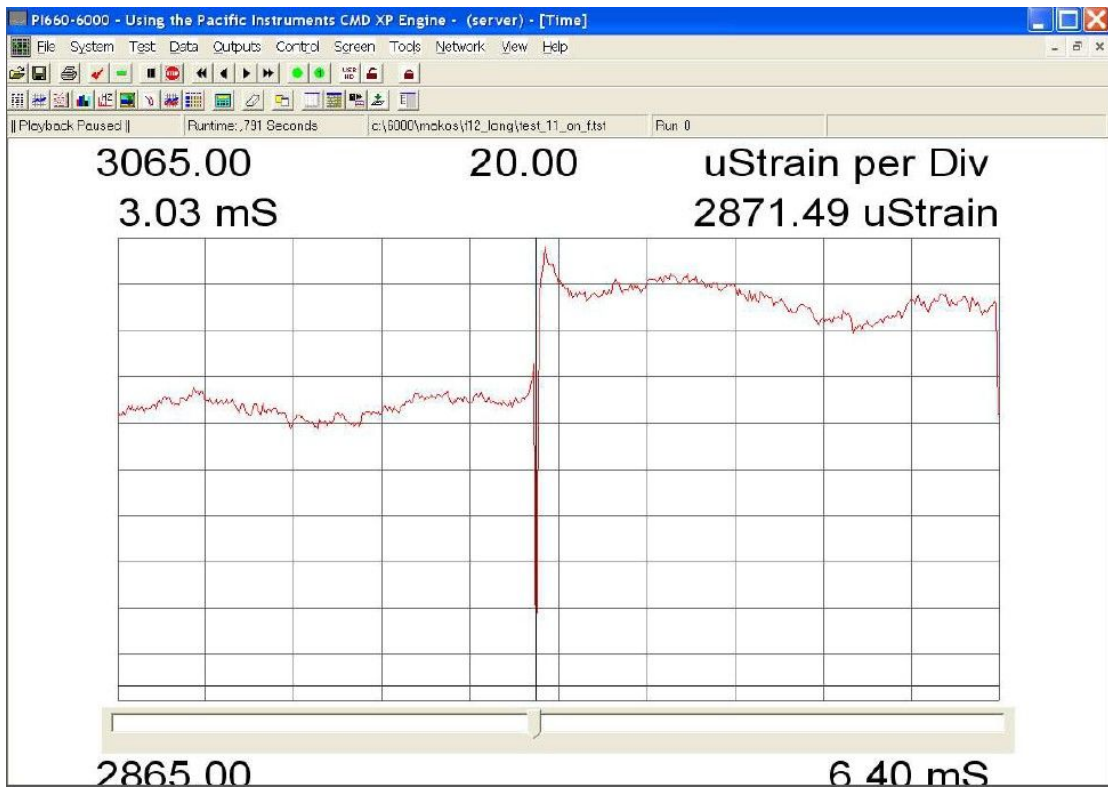


. 4.2o: μ μ μ μ (μ)

μ 1, μ 11

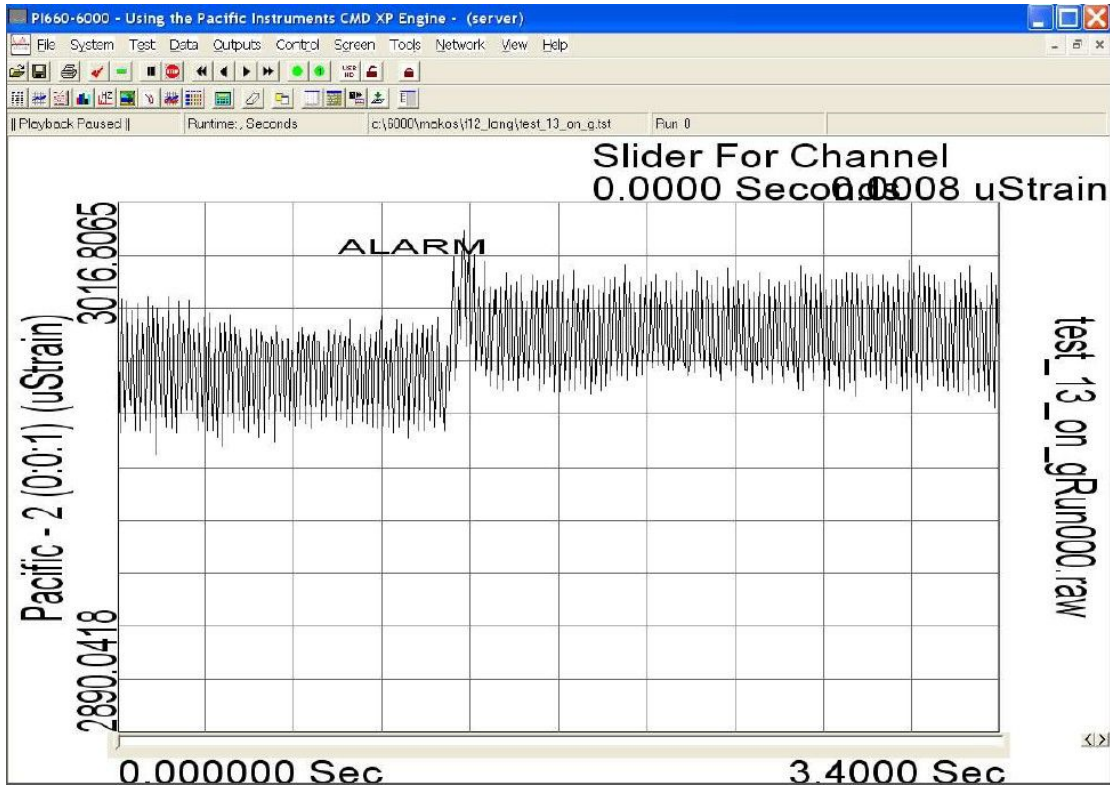


.4.3o: μ μ μ (μ)



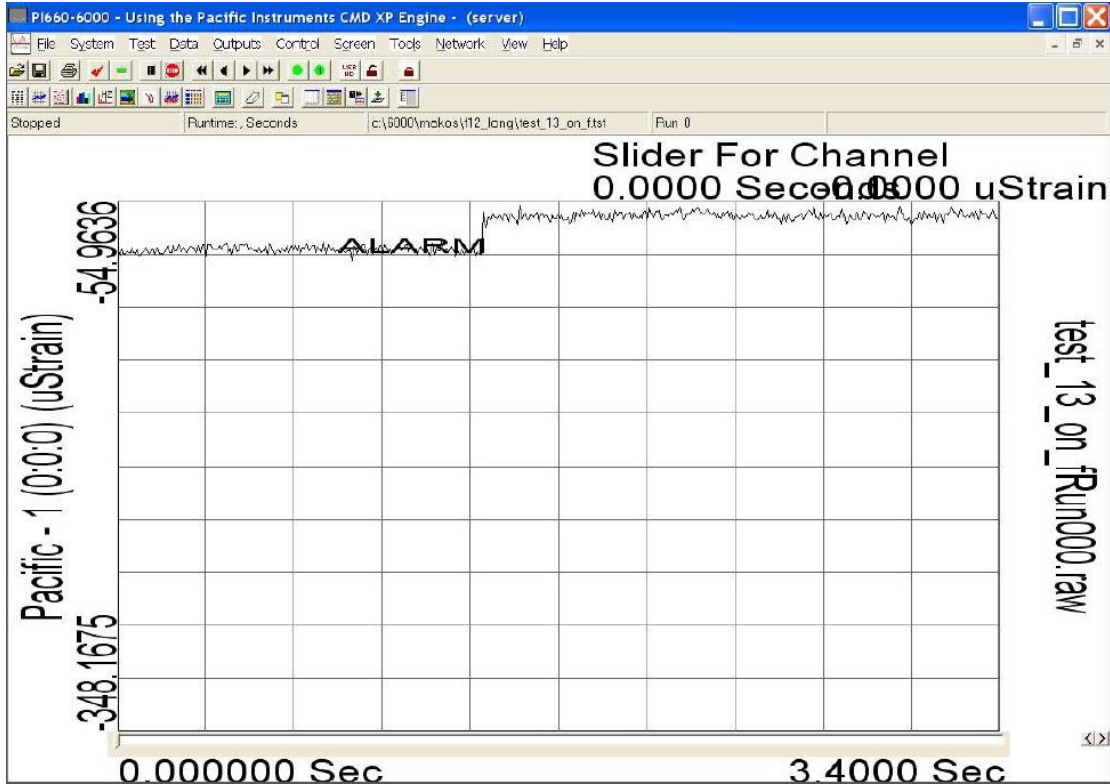
.4.4o: μ μ μ (μ)

μ 1, μ 13



.45q: μ μ

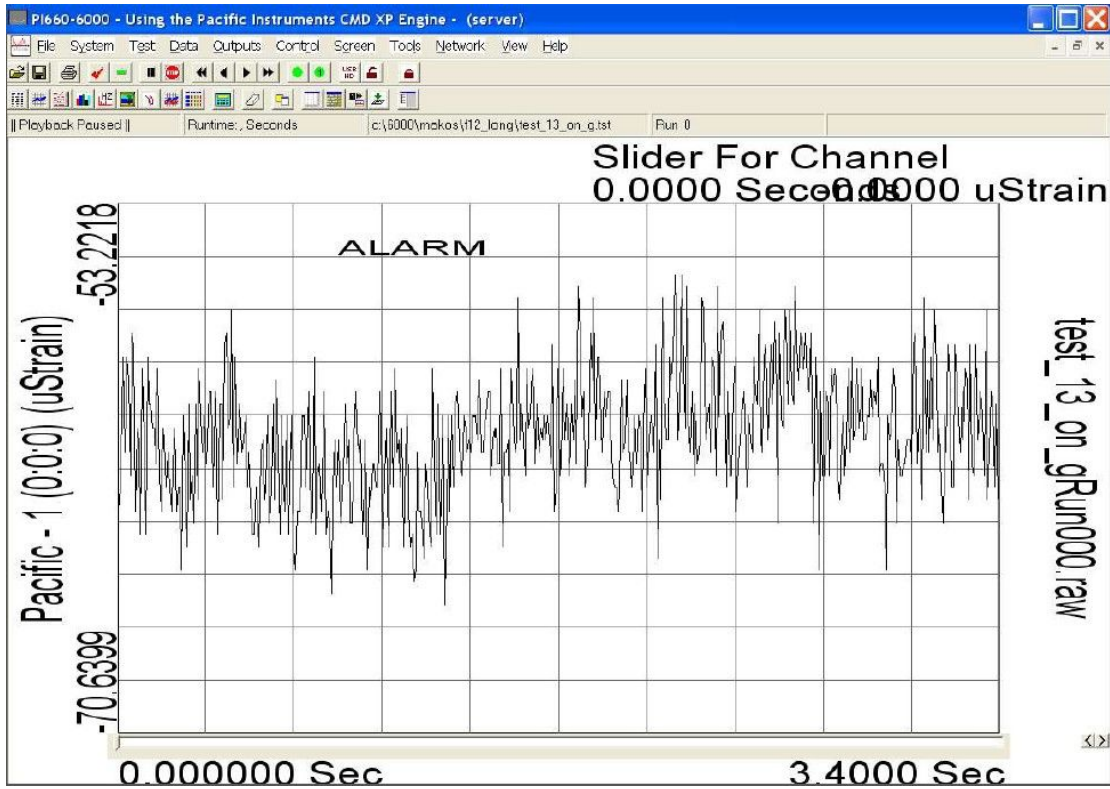
()



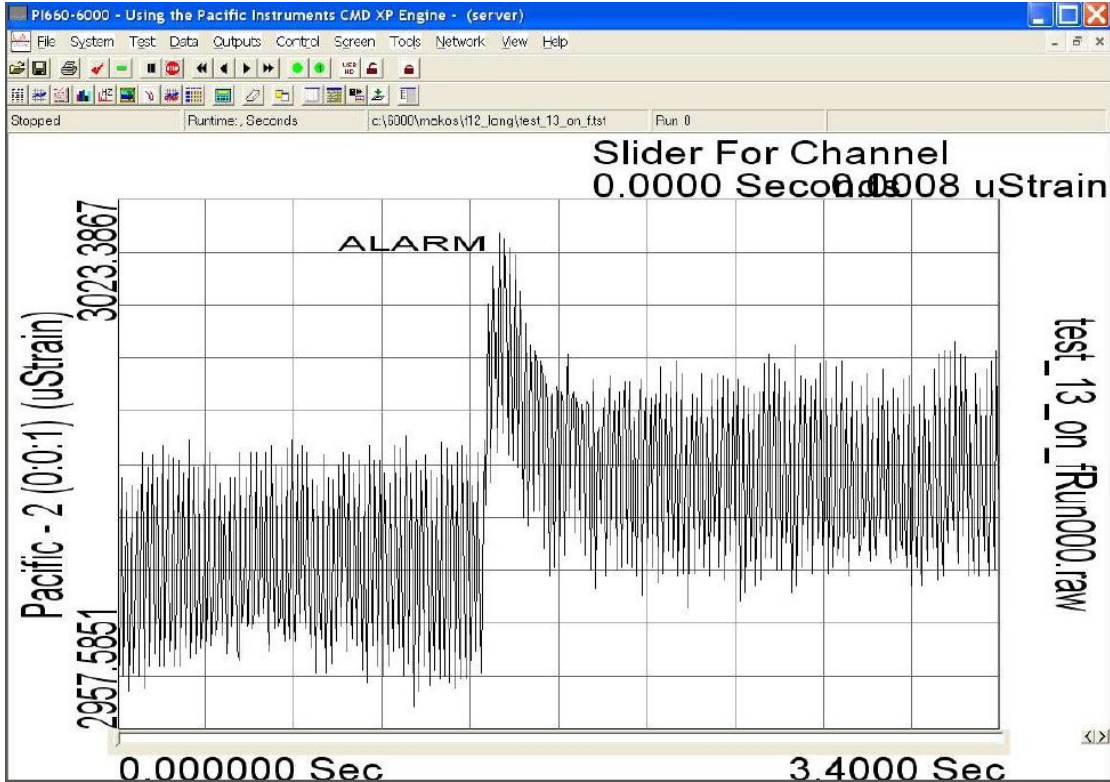
.46q: μ μ μ

μ ()

μ 1, μ 13



.47q: μ μ μ ()



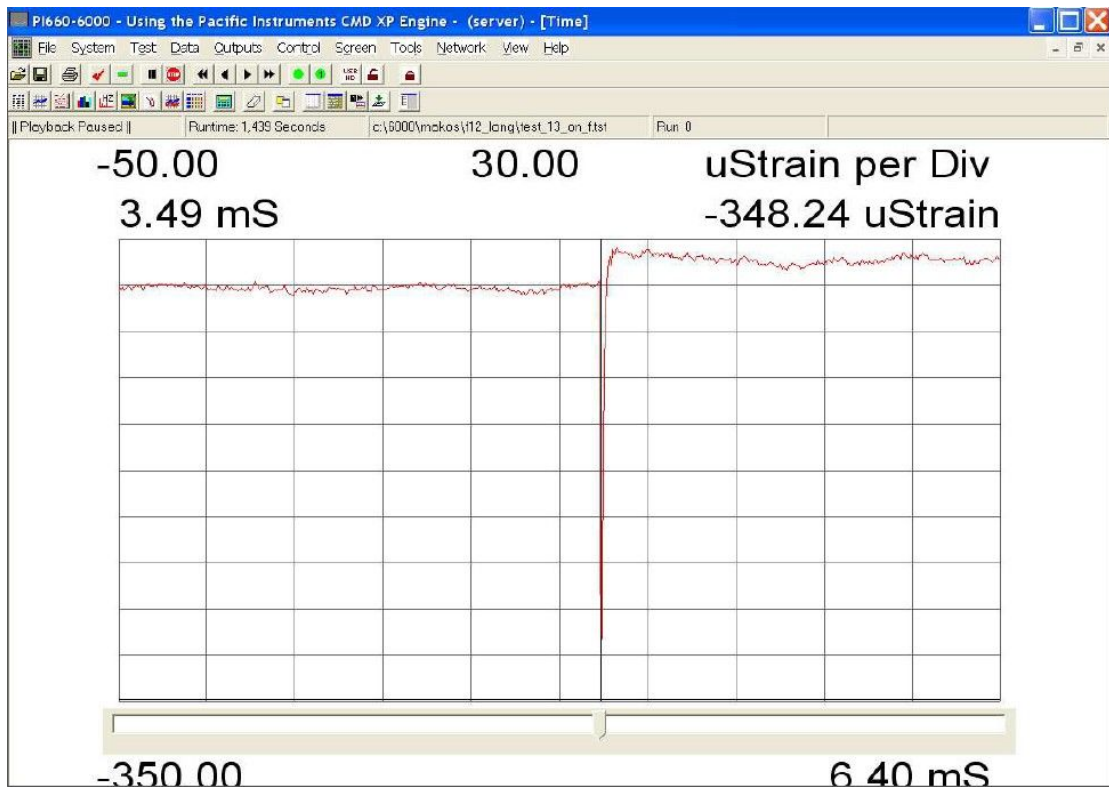
.48q: μ μ μ ()

μ 1, μ 13



.4.5o: μ μ

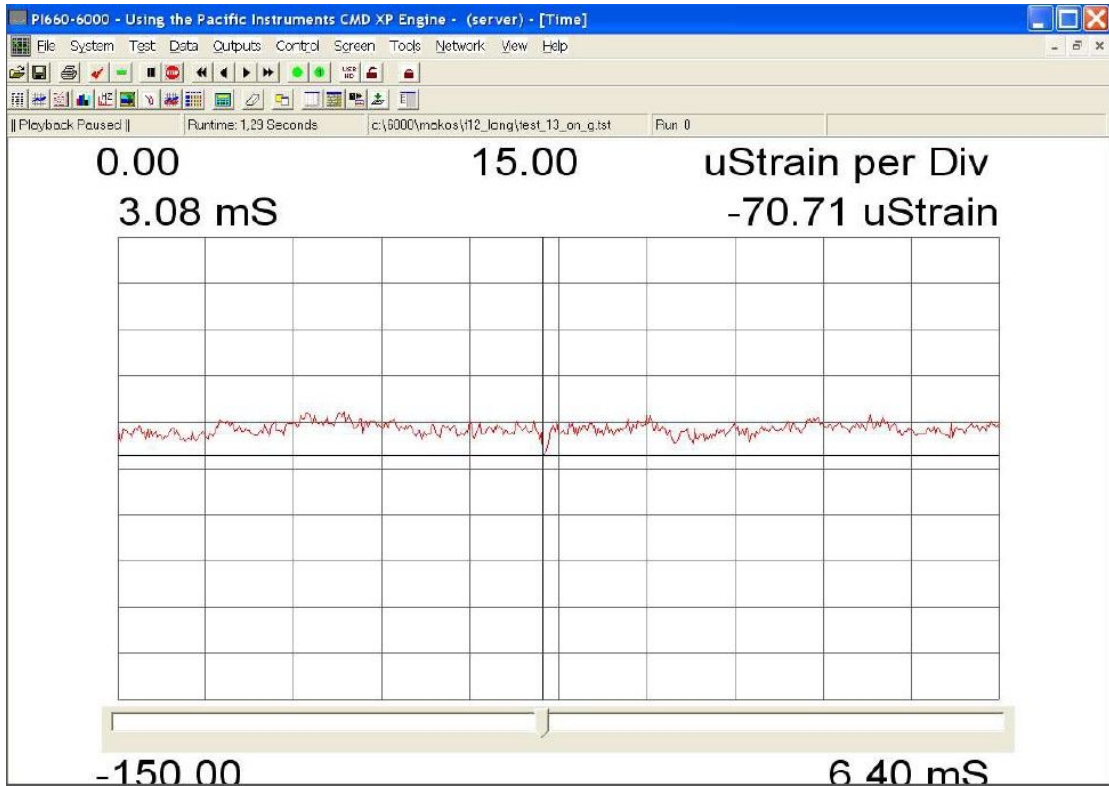
(μ)



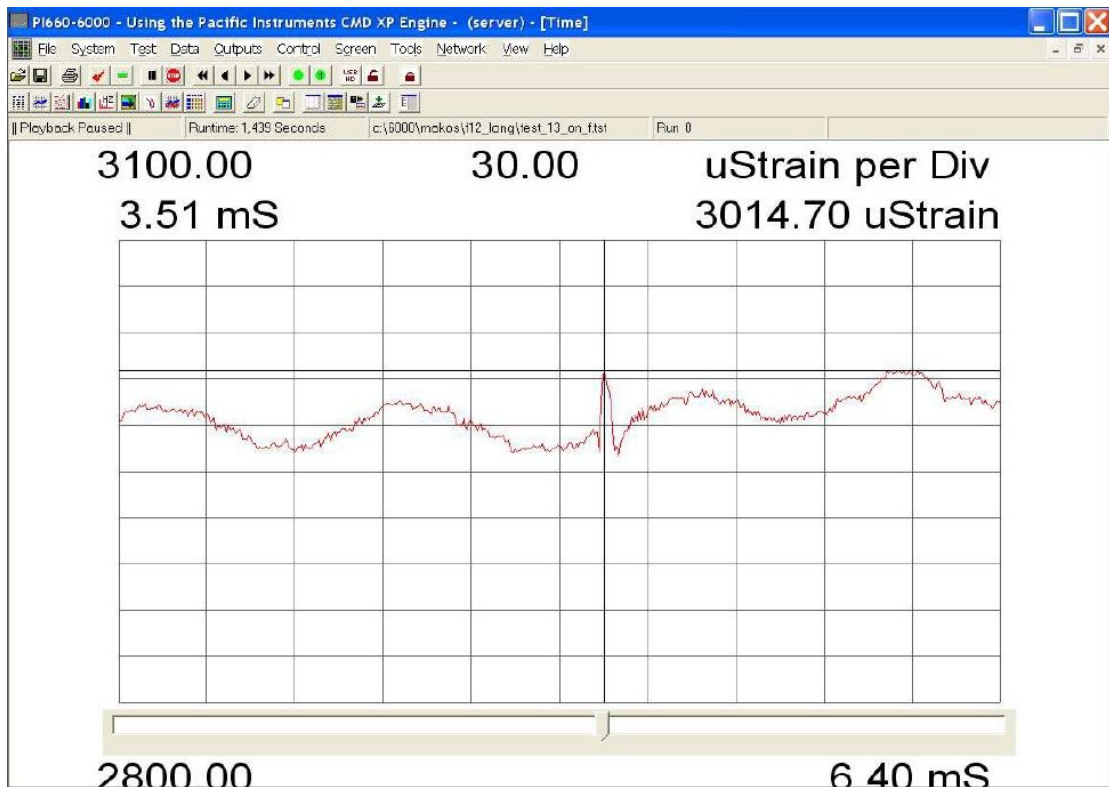
.4.6o: μ μ μ

μ (μ)

μ 1, μ 13

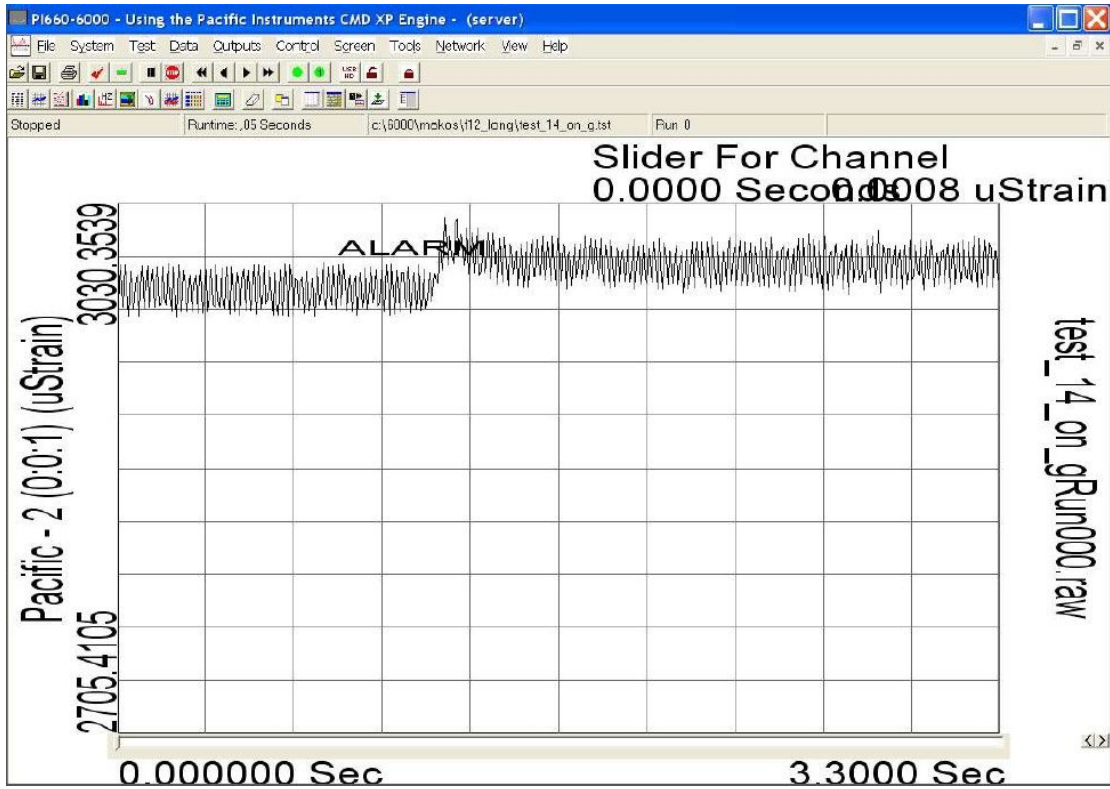


.4.7o: μ μ μ (μ)

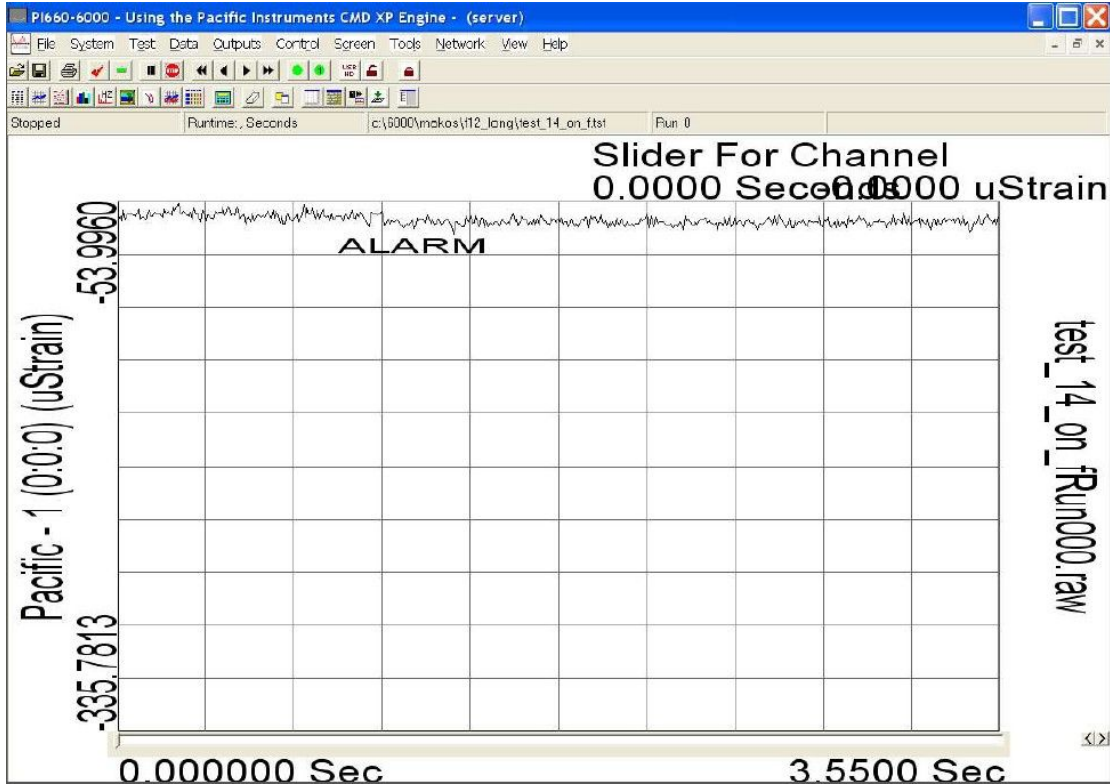


.4.8o: μ μ μ (μ)

μ 1, μ 14

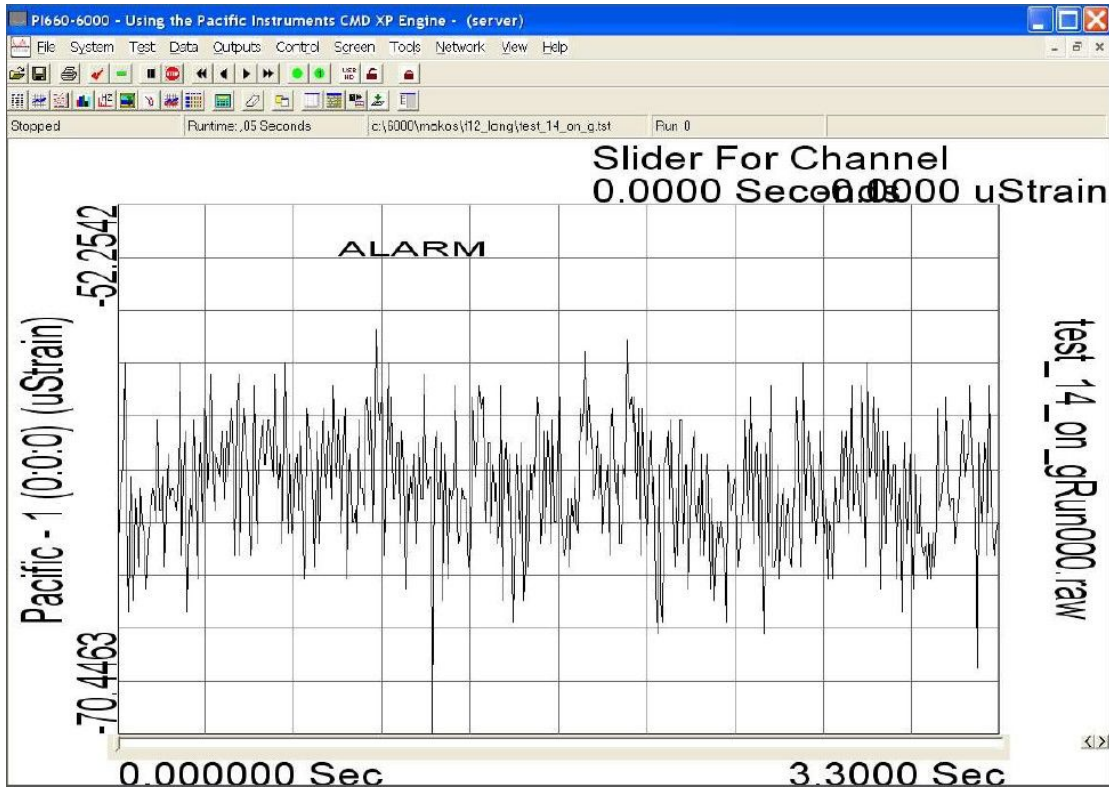


.4.9q: μ μ ()

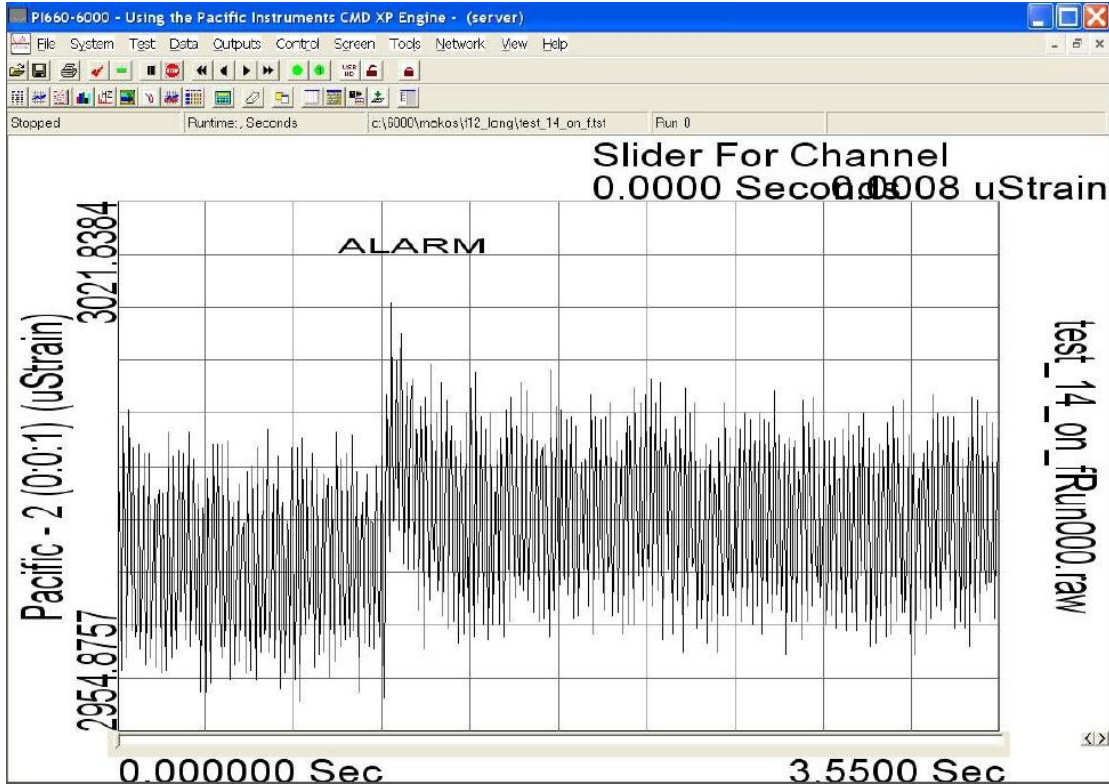


.4.10q: μ μ μ μ ()

μ 1, μ 14

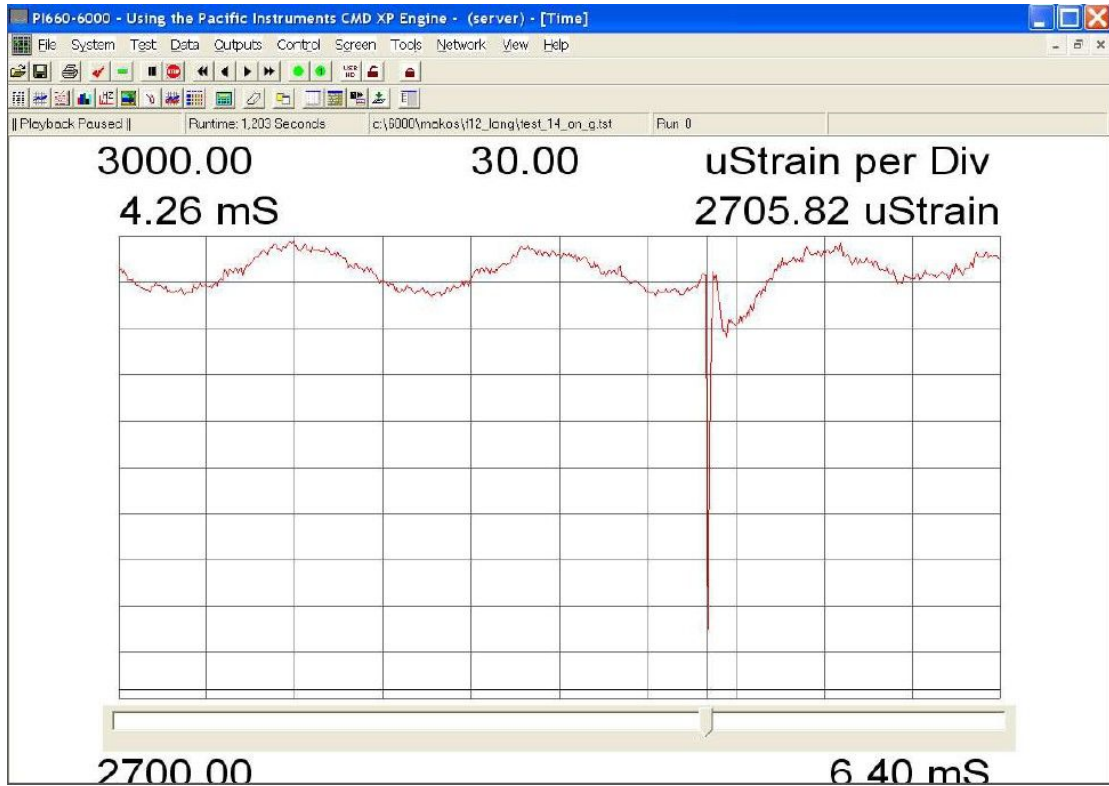


.4.11q: μ μ μ ()



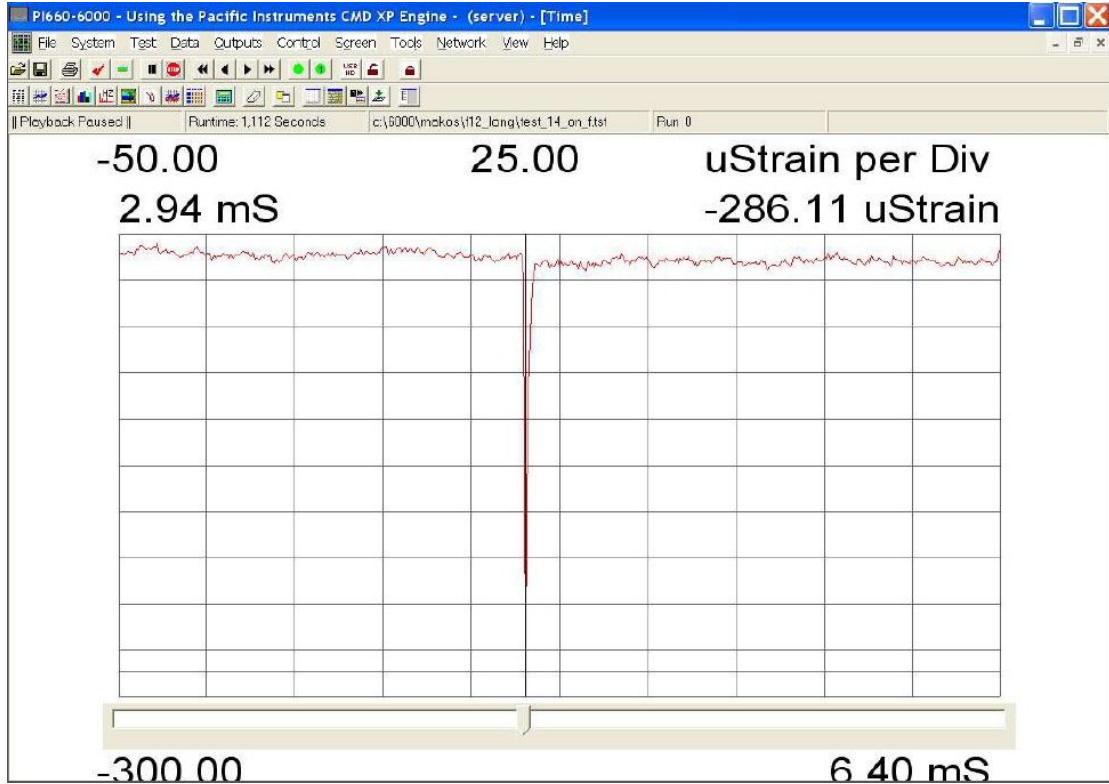
.4.12q: μ μ μ ()

μ 1, μ 14



.490: μ μ

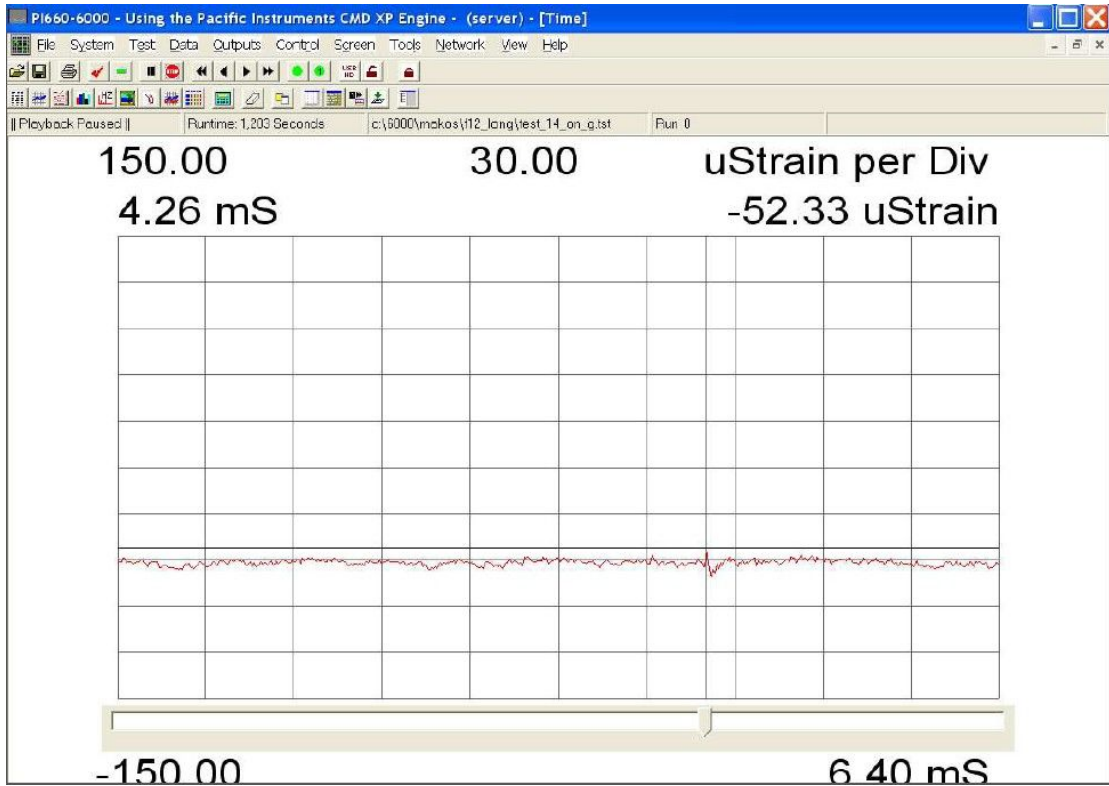
(μ)



.410: μ μ μ

μ (μ)

μ 1, μ 14

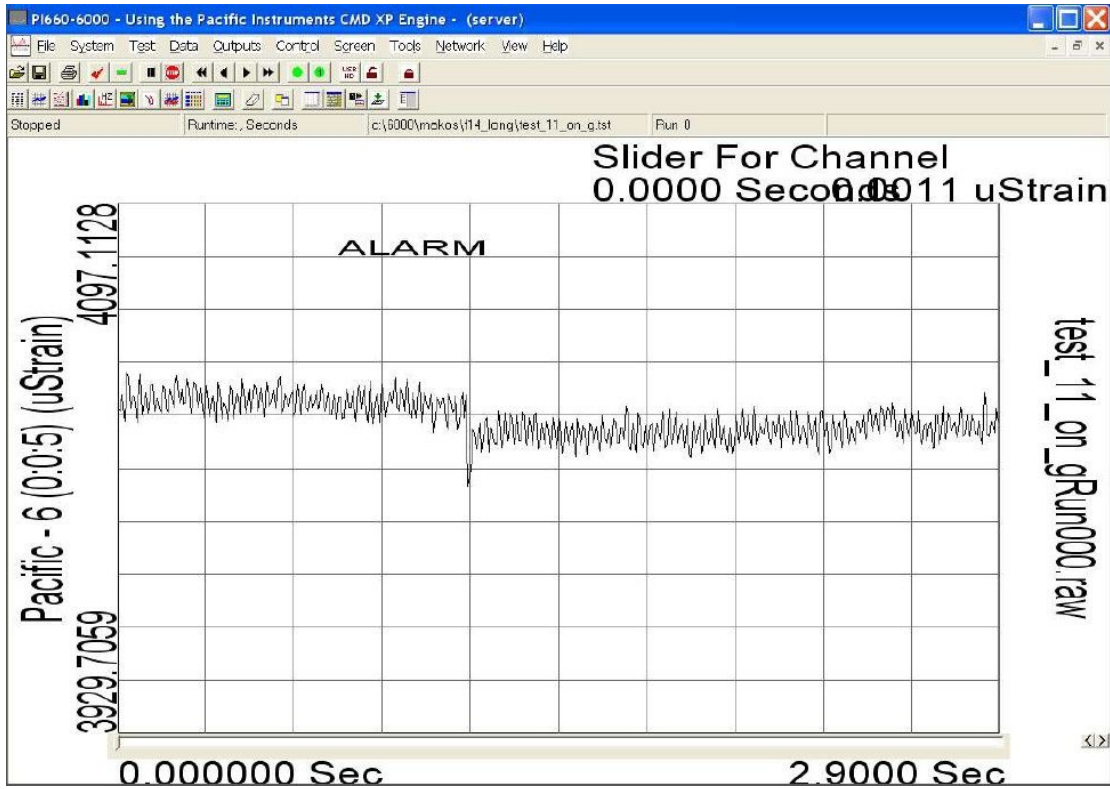


.4.11o: μ μ μ (μ)



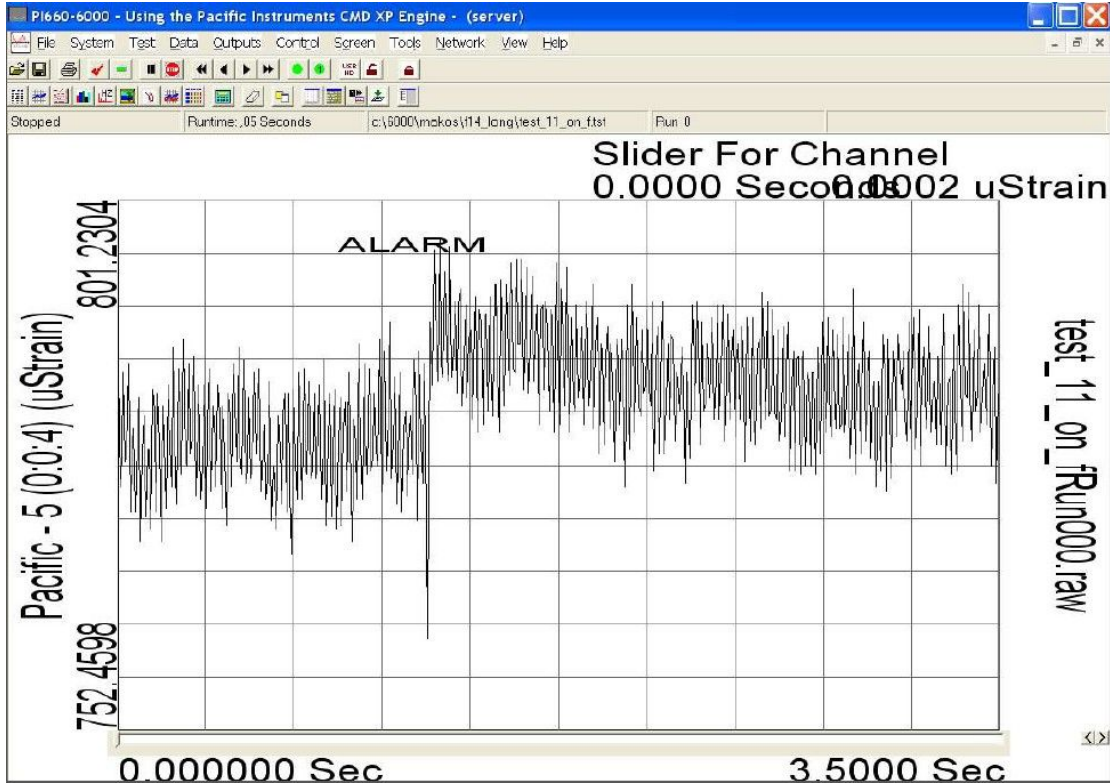
.4.12o: μ μ μ (μ)

μ 3, μ 11



.4.13q: μ μ

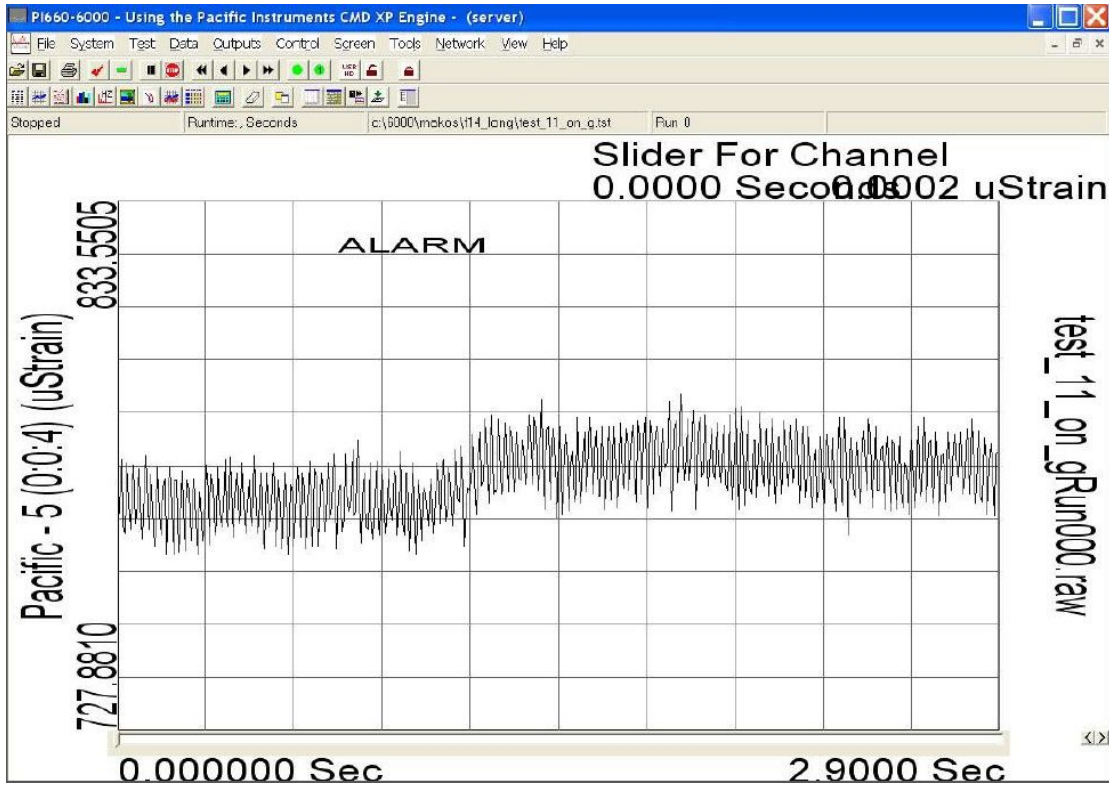
()



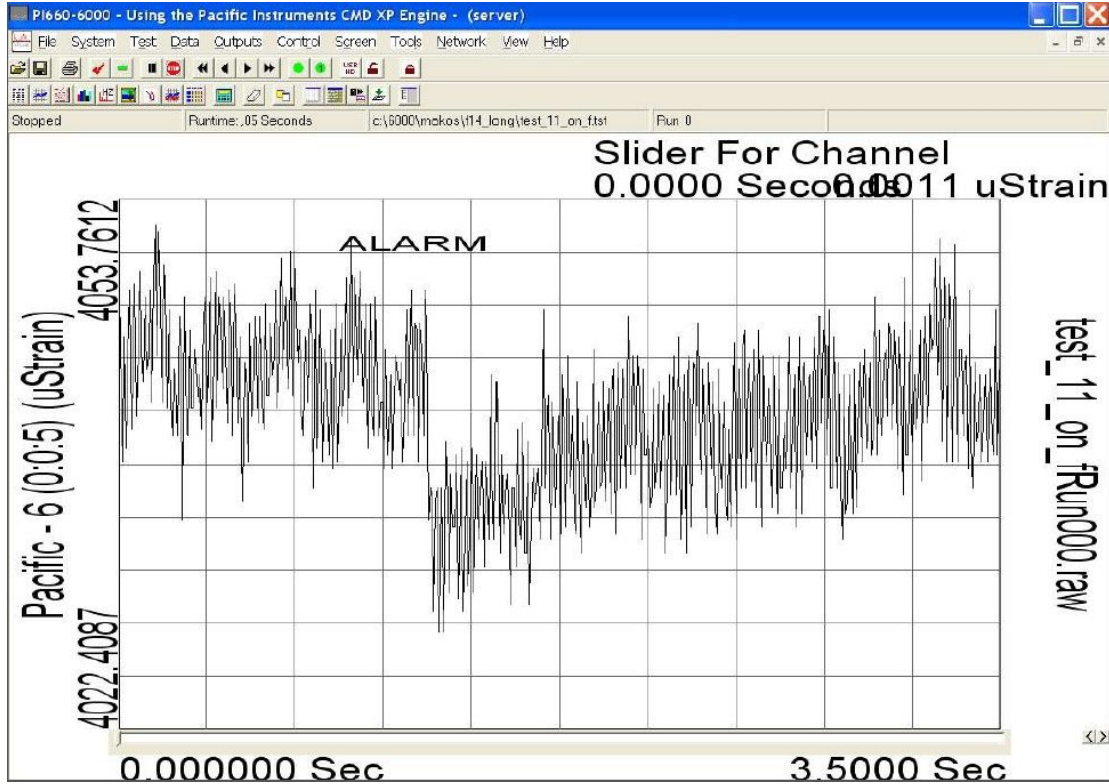
.4.14q: μ μ μ

μ ()

μ 3, μ 11

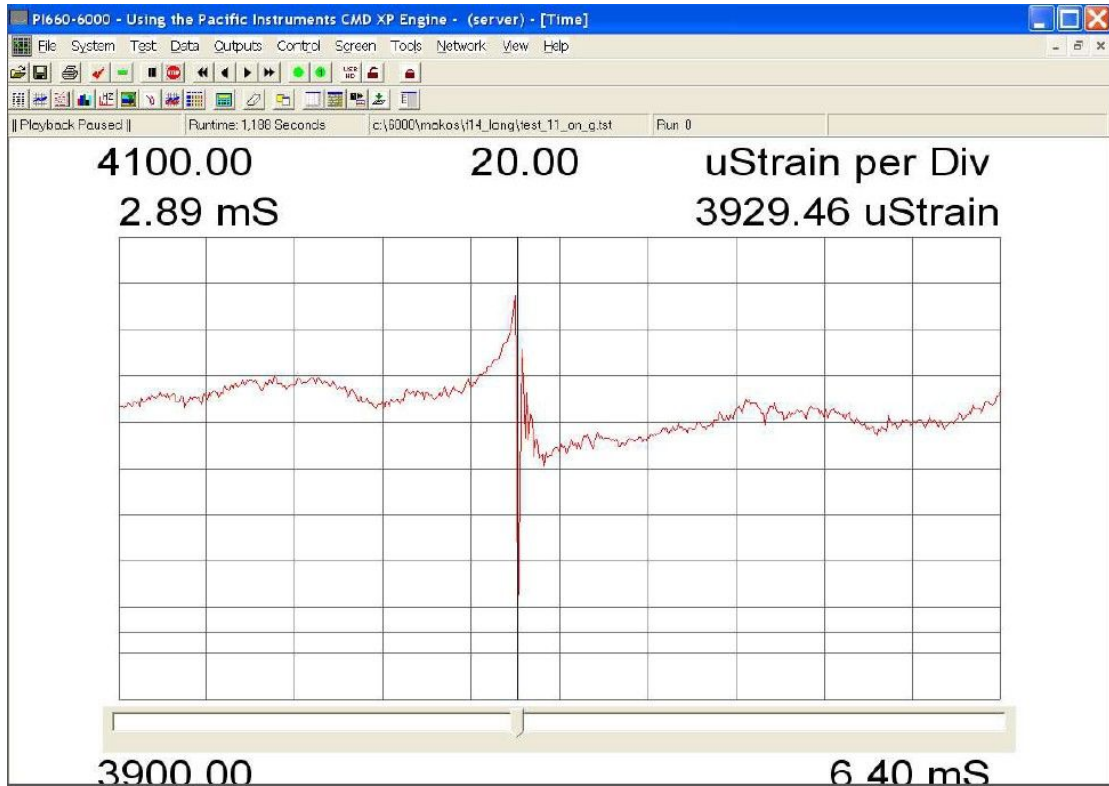


.4.15q: μ μ μ ()



.4.16q: μ μ μ ()

μ 3, μ 11

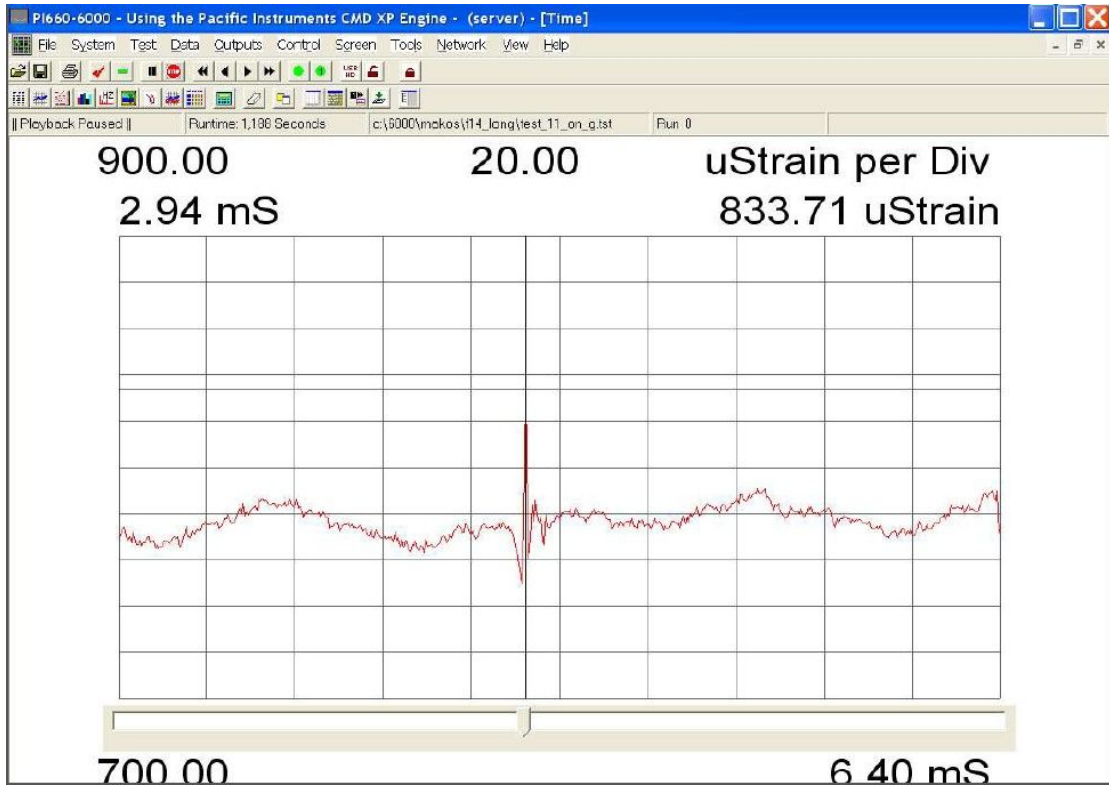


.4130: μ μ (μ)

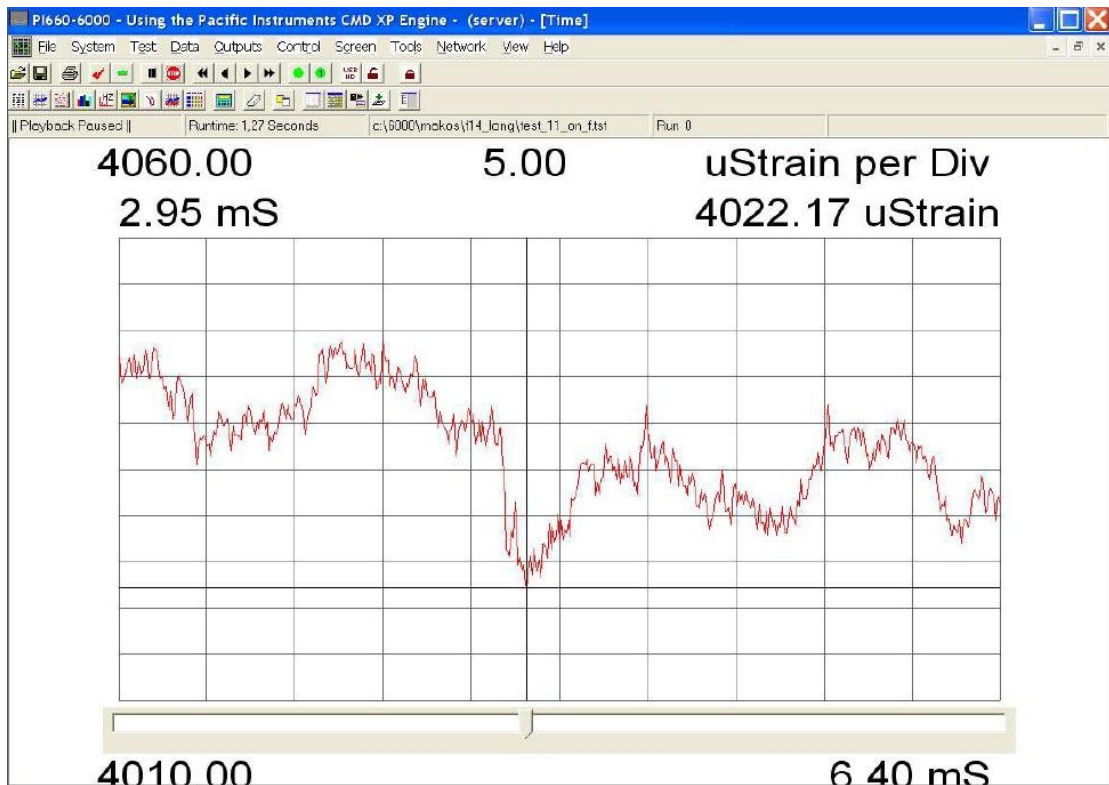


.4140: μ μ μ μ (μ)

μ 3, μ 11

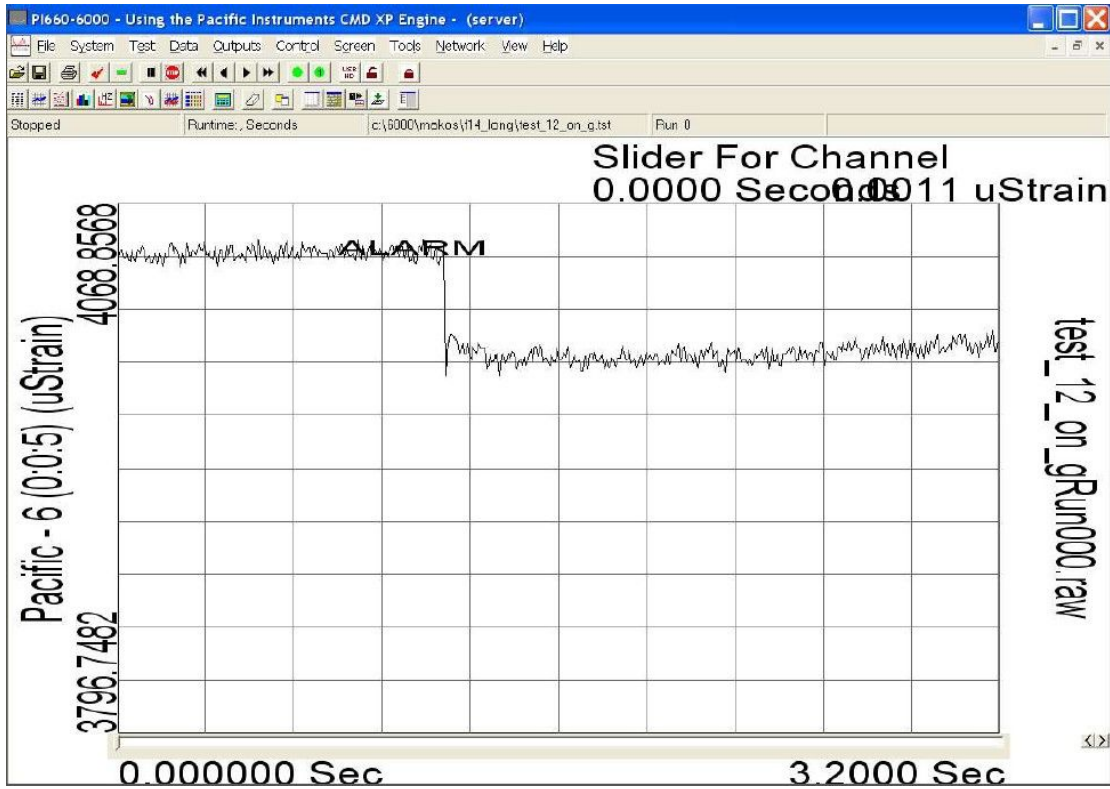


.4.15o: μ μ μ (μ)



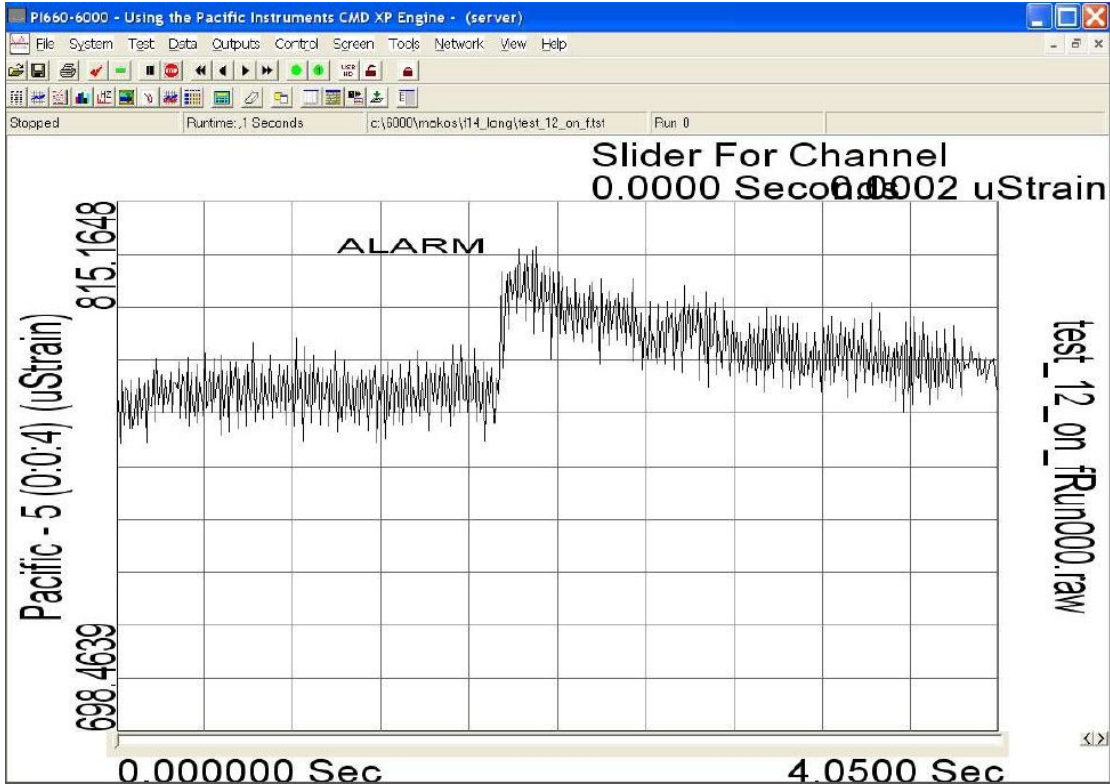
.4.16o: μ μ μ (μ)

μ 3, μ 12



.4.17q: μ μ

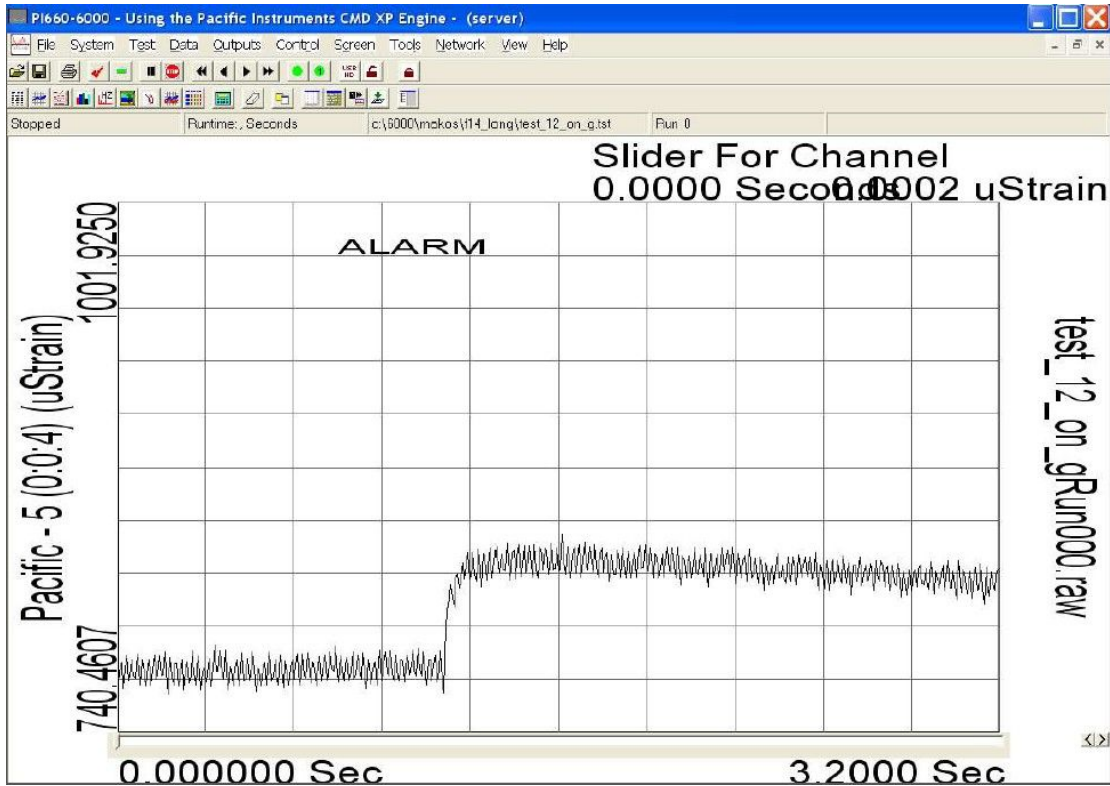
()



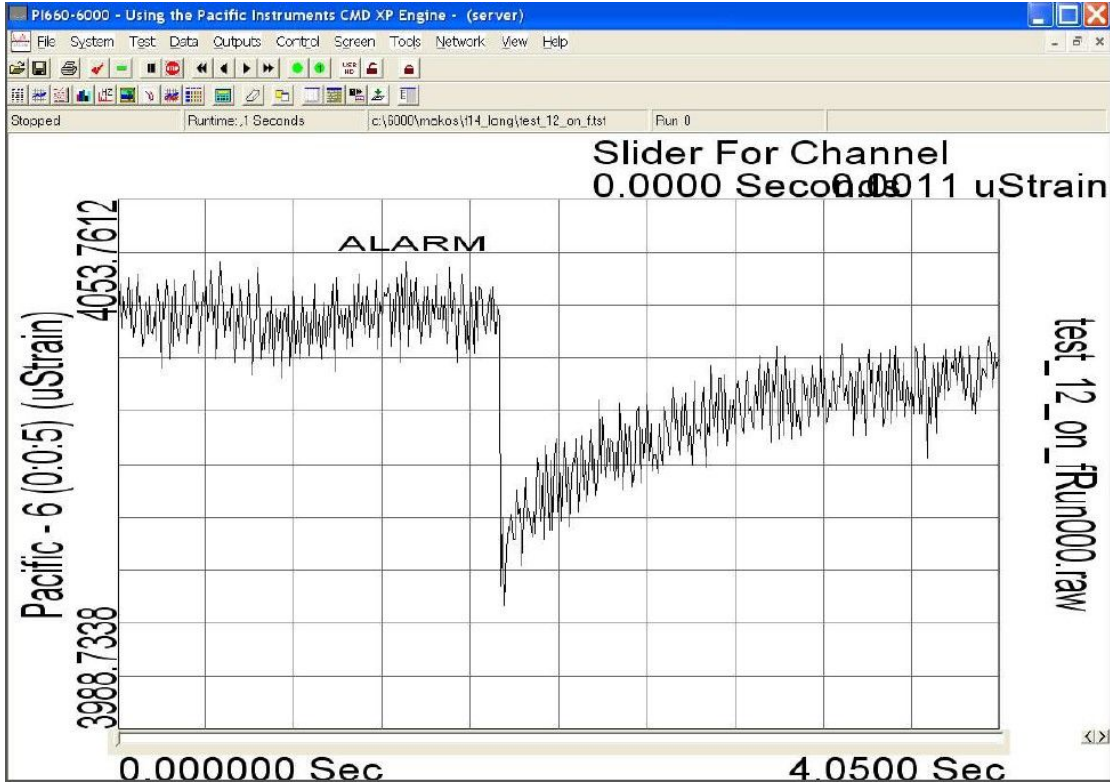
.4.18q: μ μ μ

μ ()

μ 3, μ 12

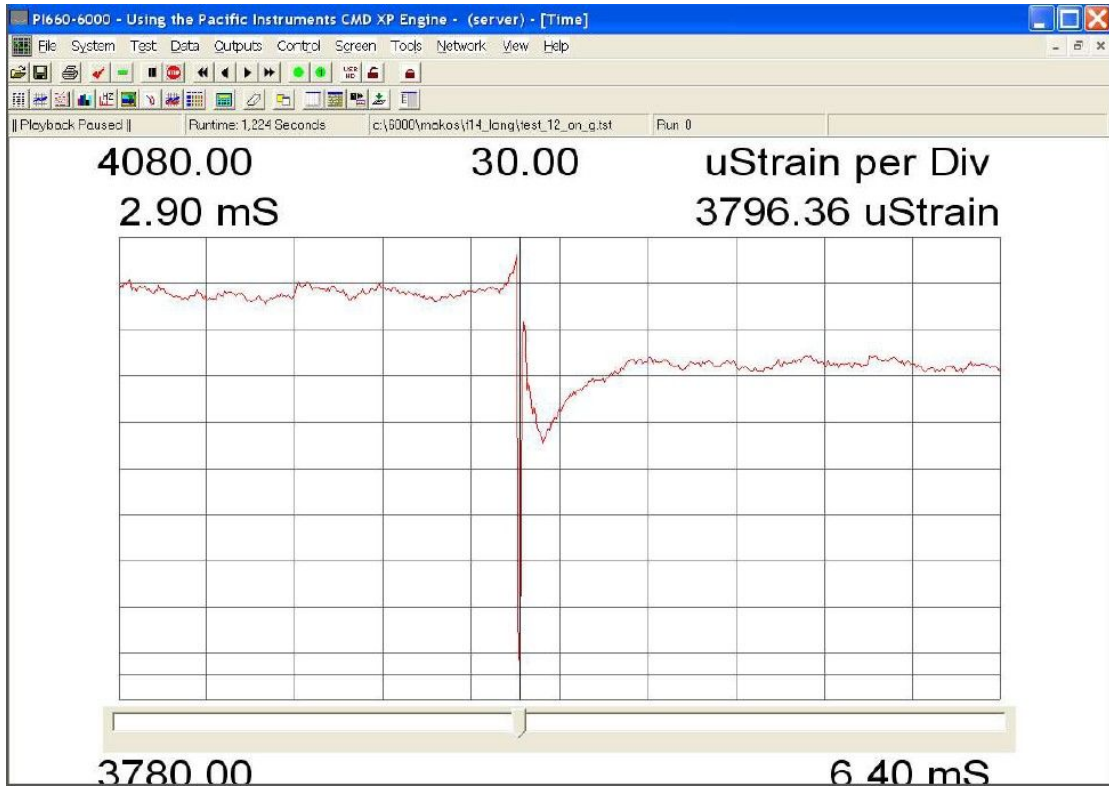


.4.19q: μ μ μ ()



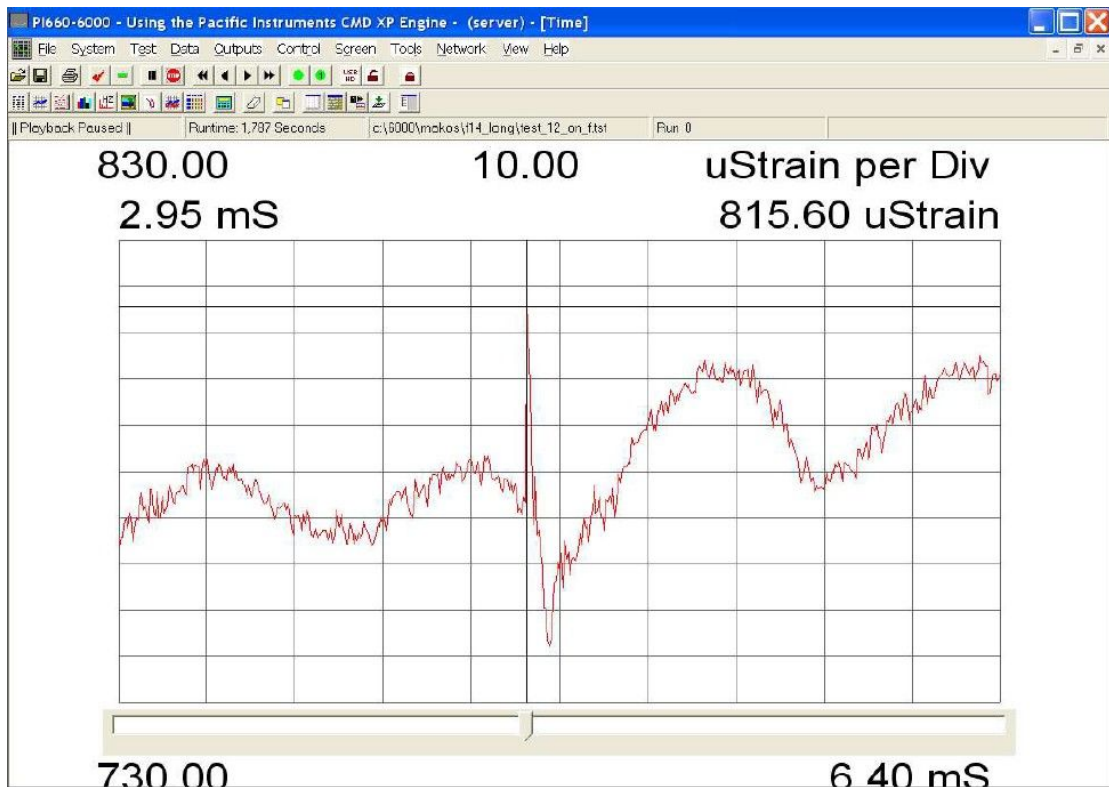
.4.20q: μ μ μ ()

μ 3, μ 12



.417o: μ μ

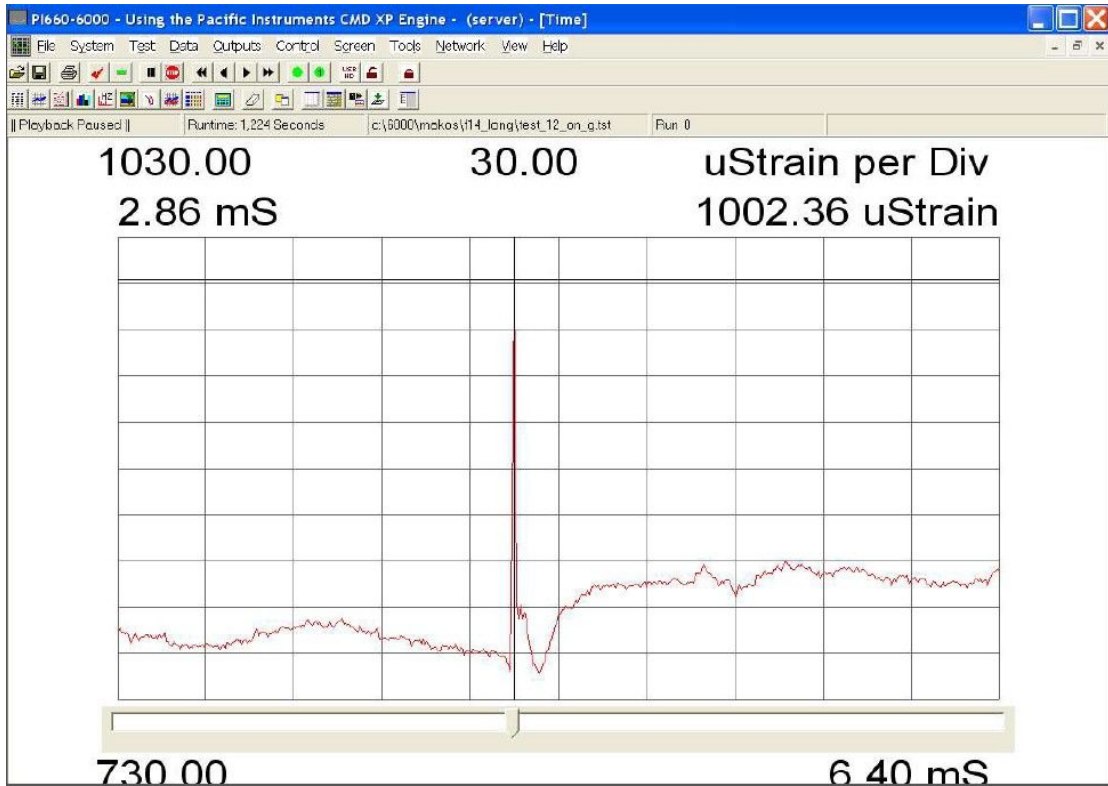
(μ)



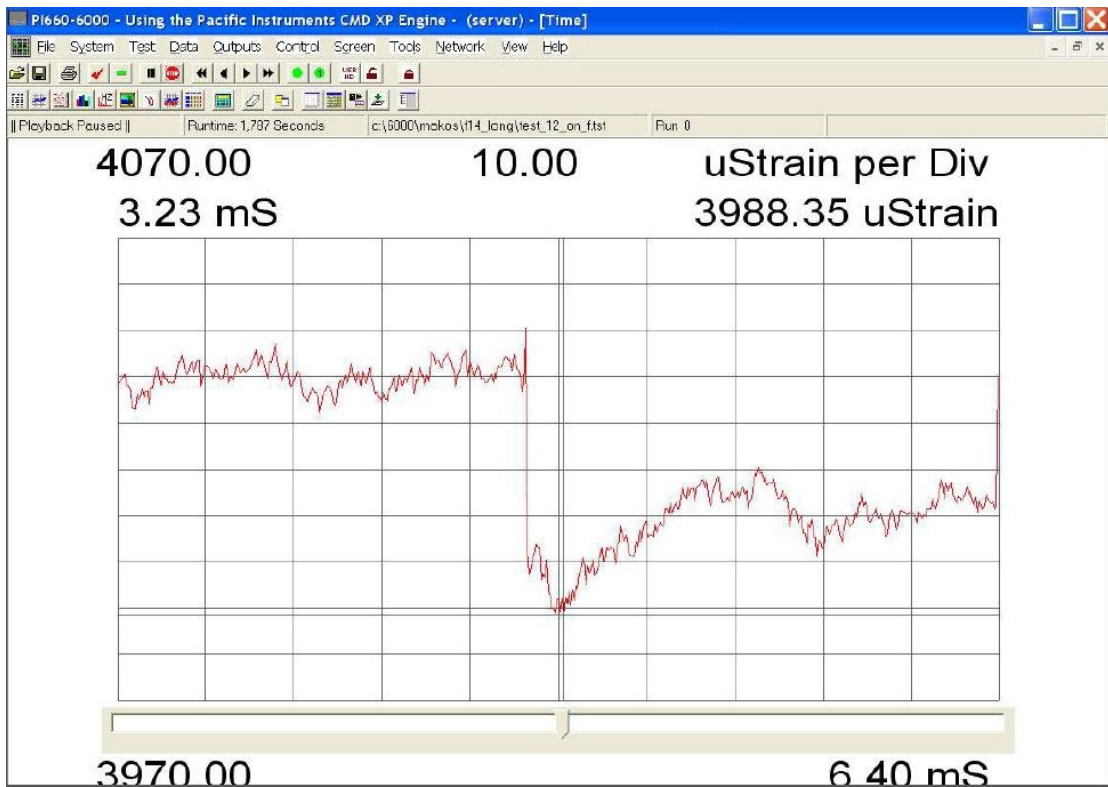
.418o: μ μ μ

μ (μ)

μ 3, μ 12

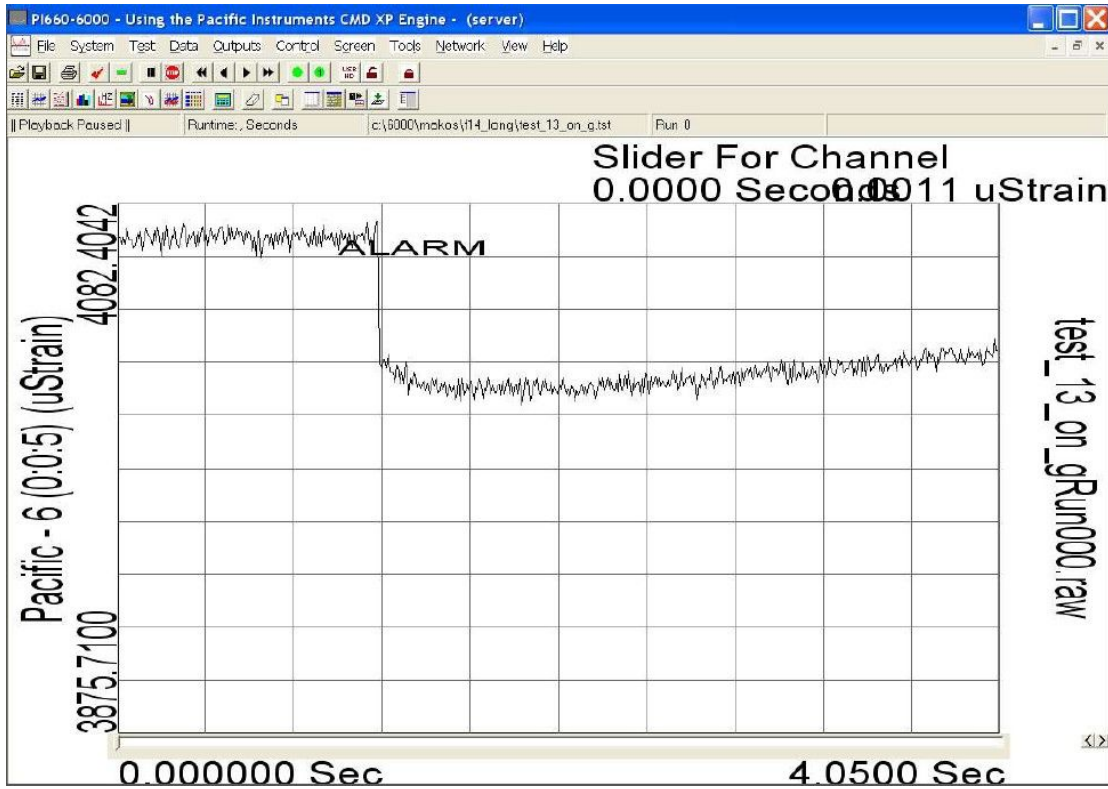


.419o: μ μ μ (μ)



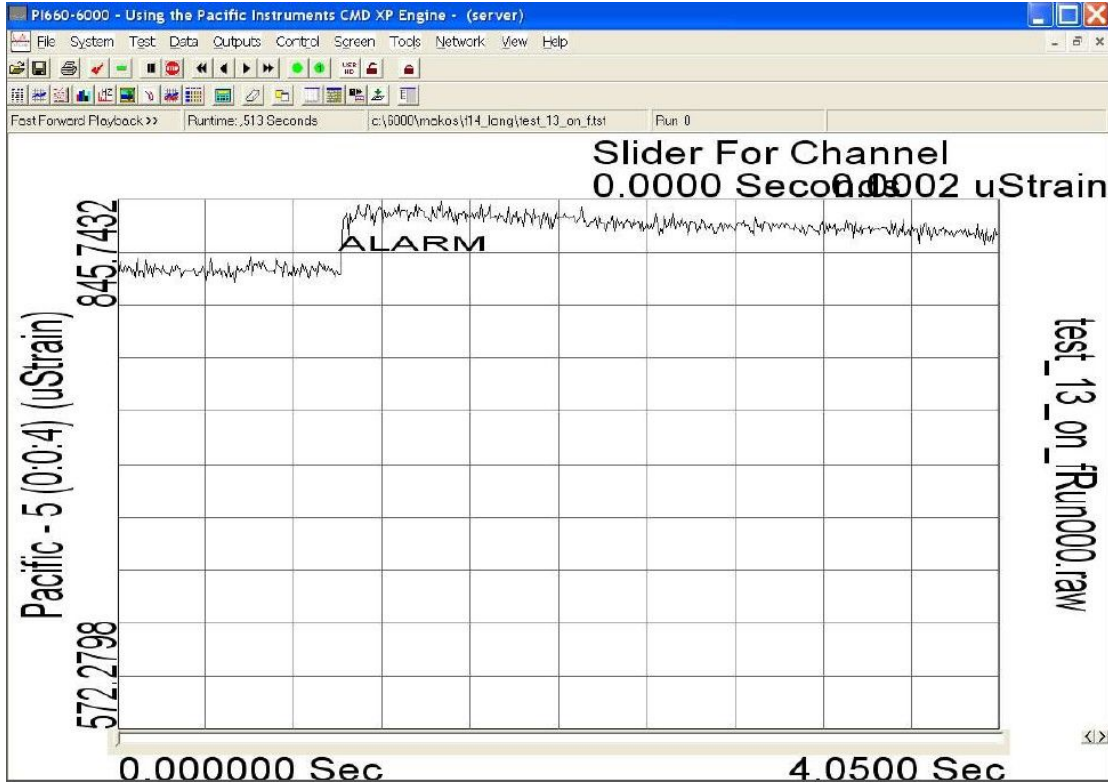
.420o: μ μ μ (μ)

μ 3, μ 13



.421q: μ μ

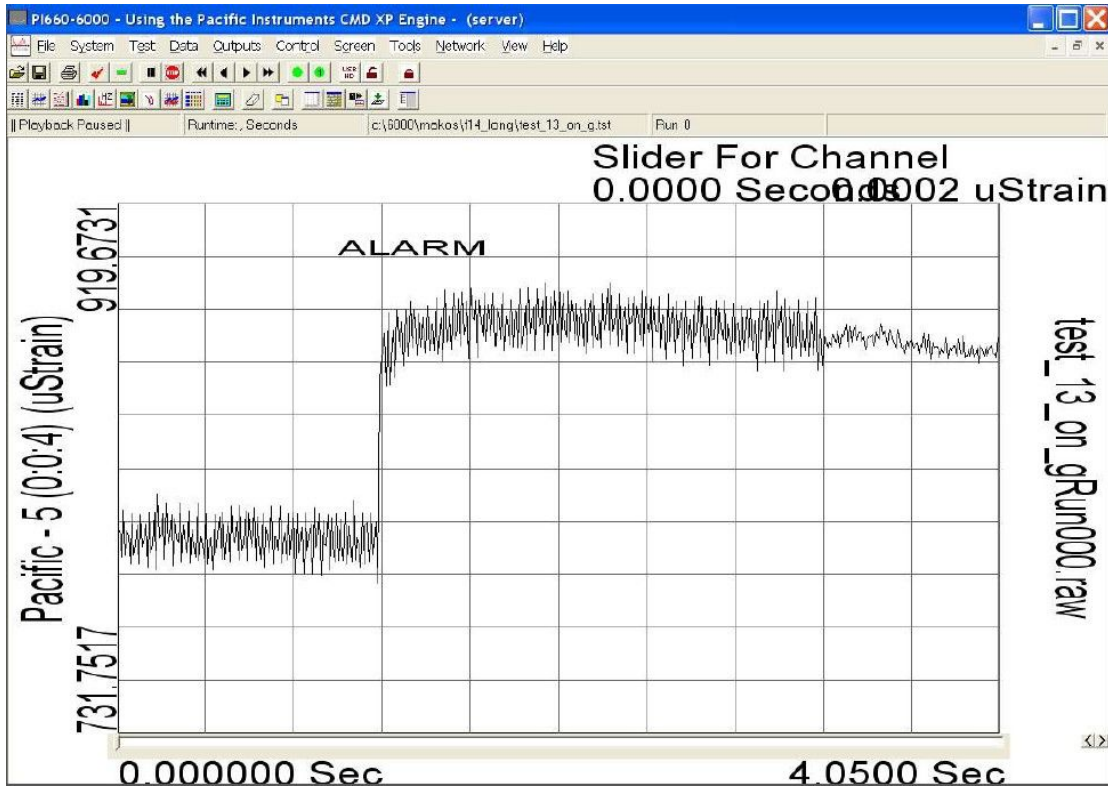
()



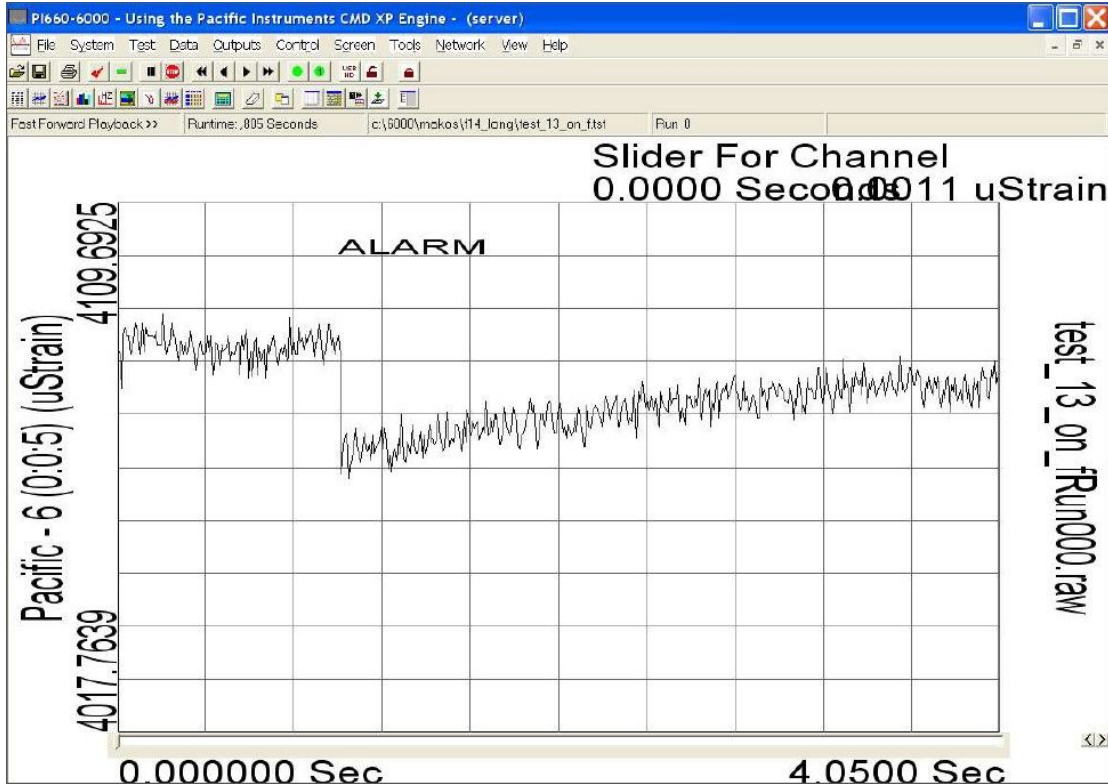
.422q: μ μ μ

μ ()

μ 3, μ 13

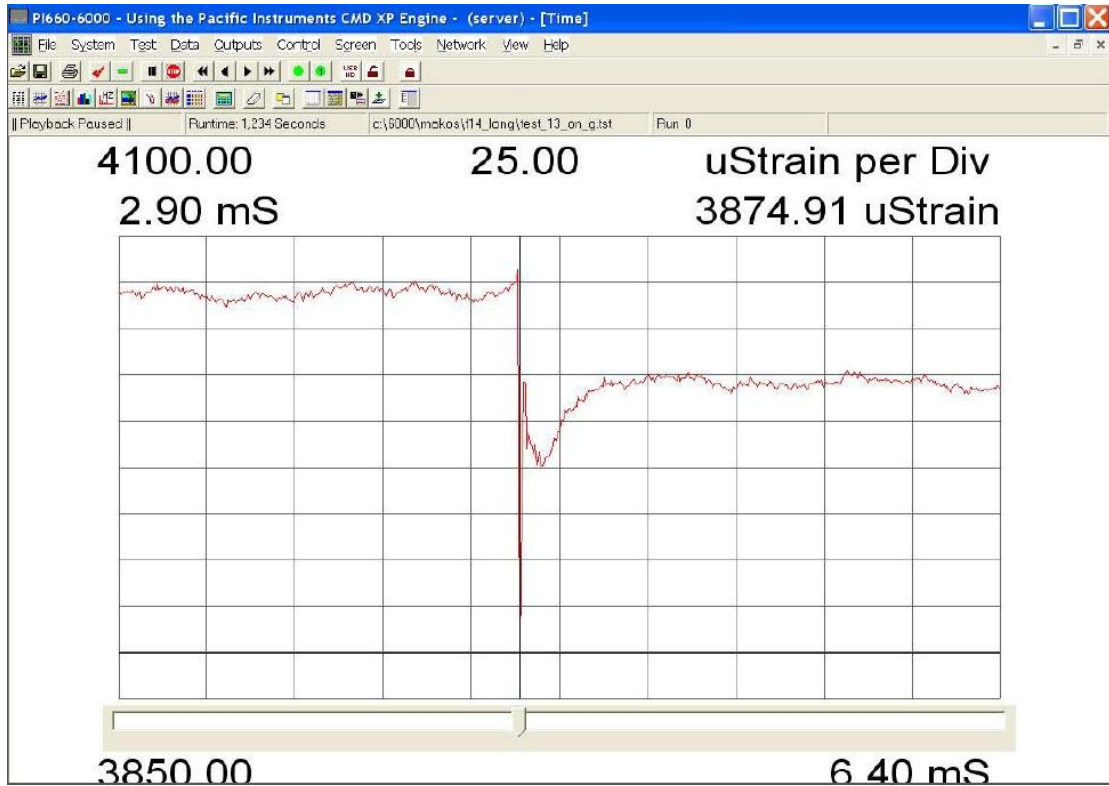


.4.23q: μ μ μ ()



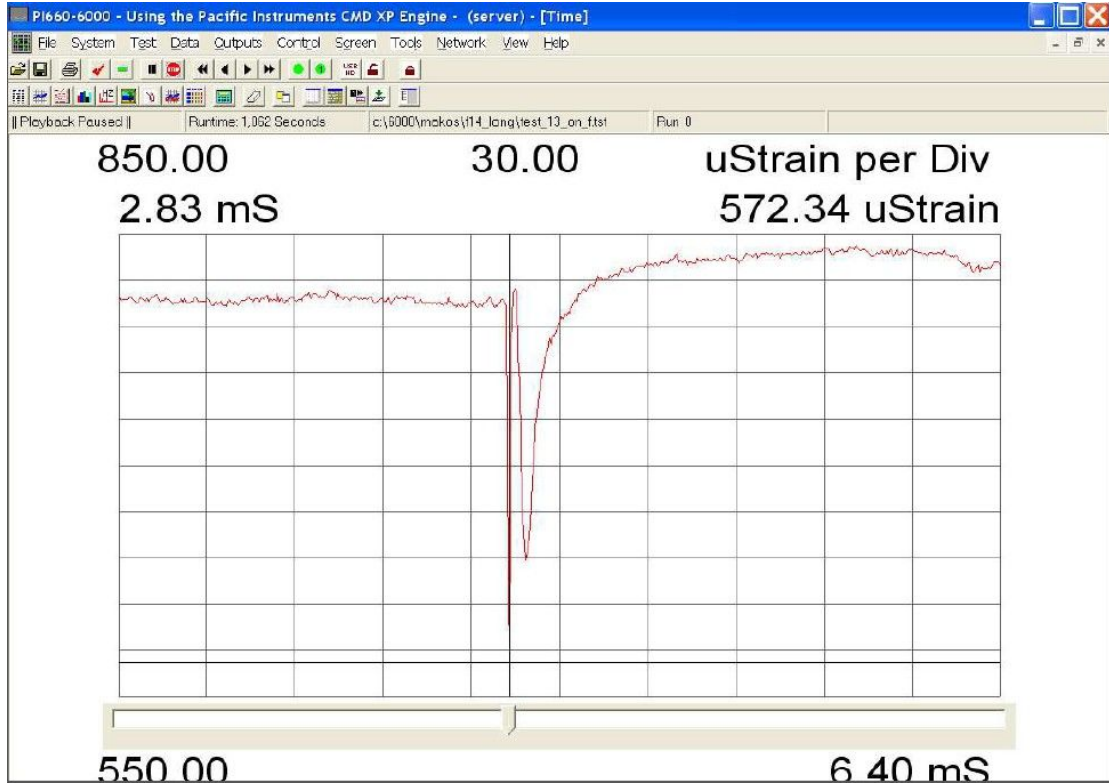
.4.24q: μ μ μ ()

μ 3, μ 13



.421o: μ μ

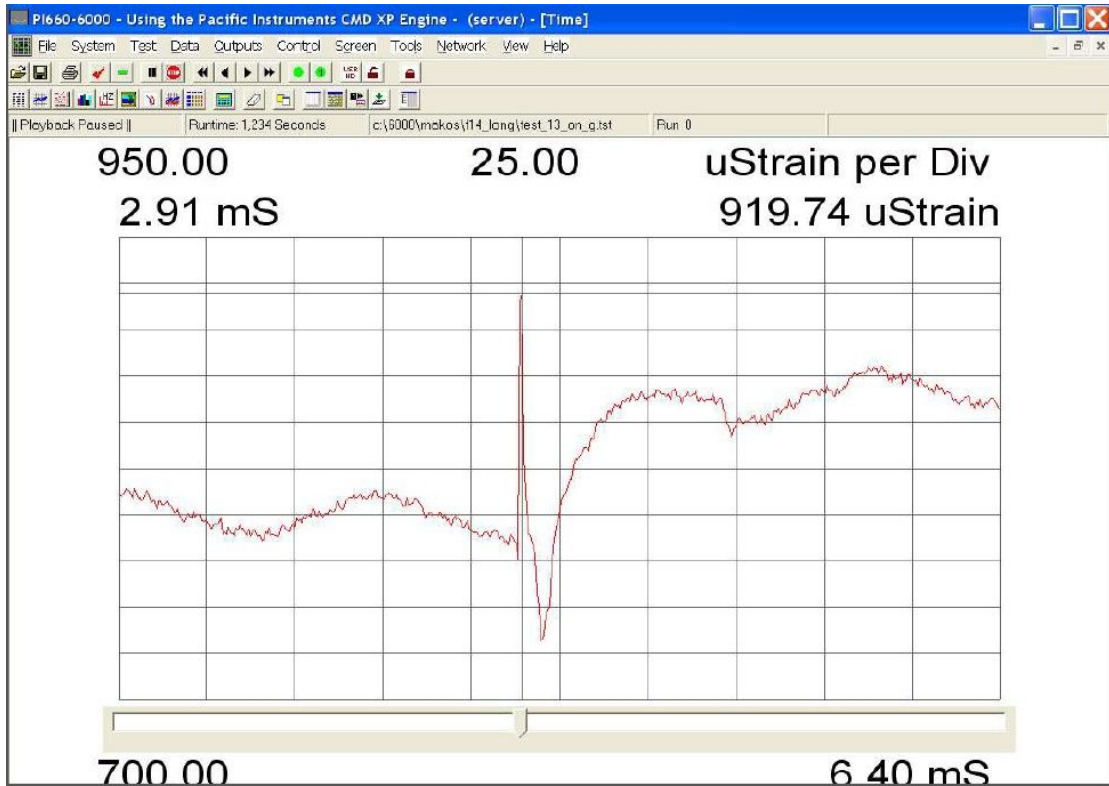
(μ)



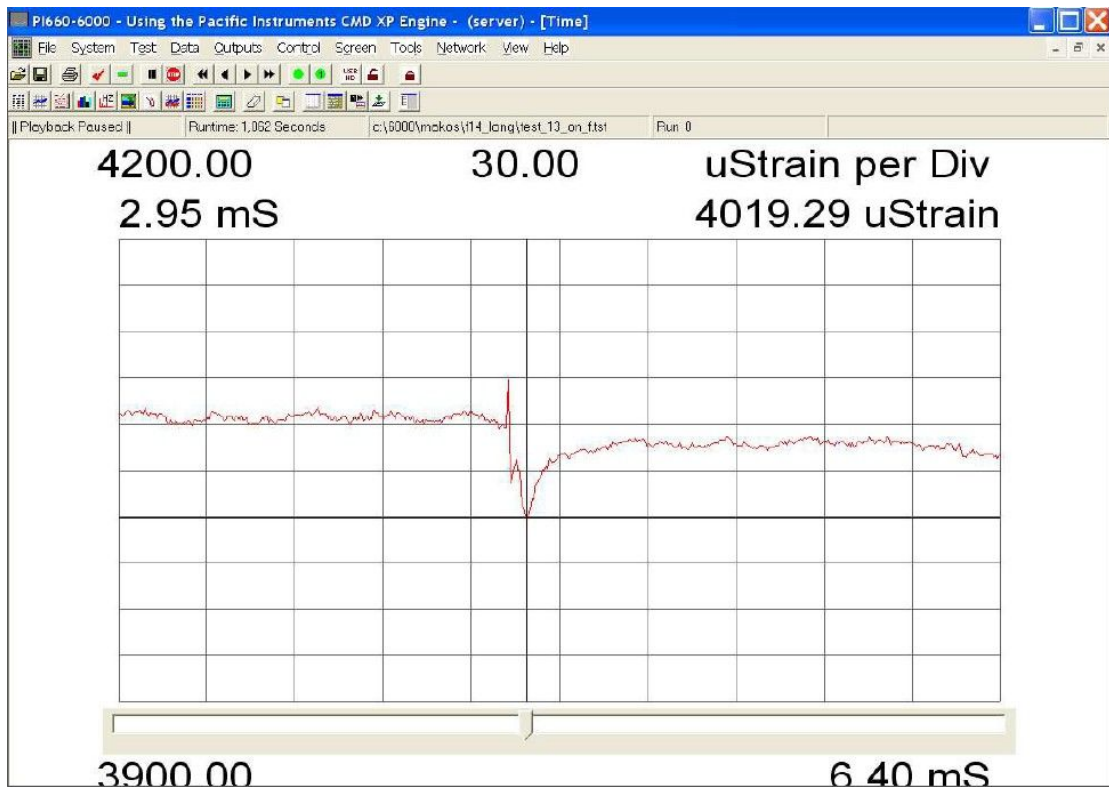
.422o: μ μ μ

μ (μ)

μ 3, μ 13

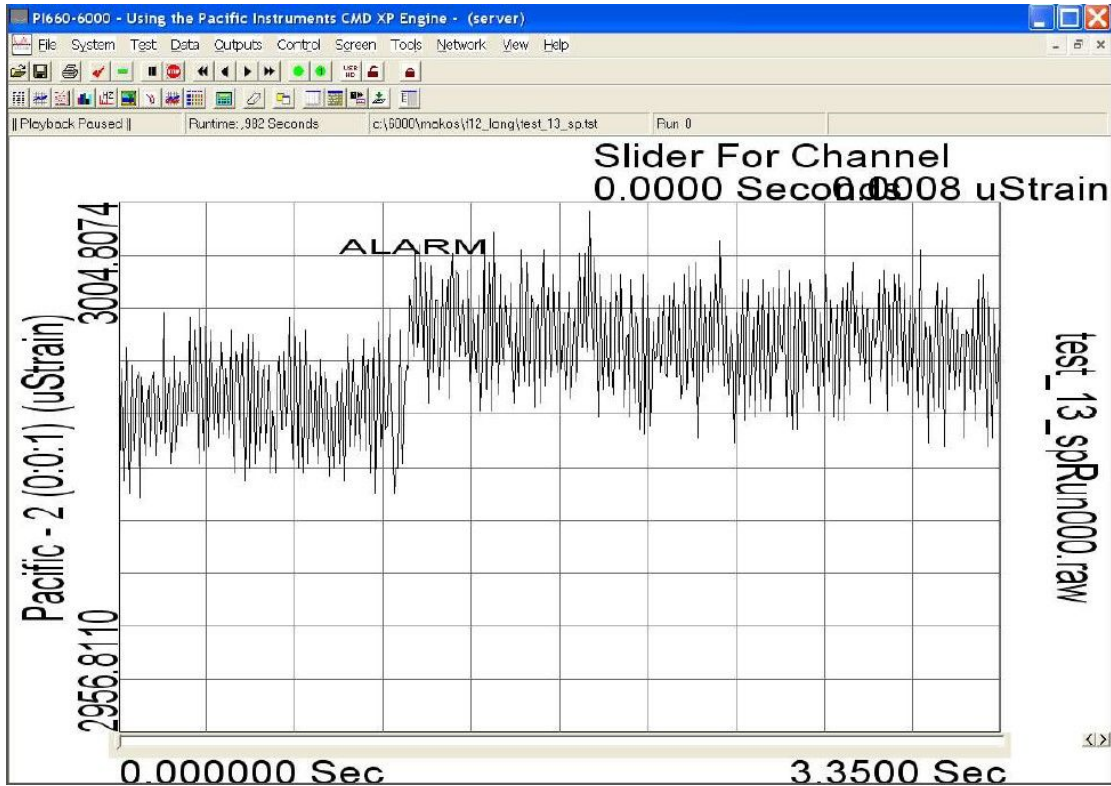


.4.23o: μ μ μ (μ)



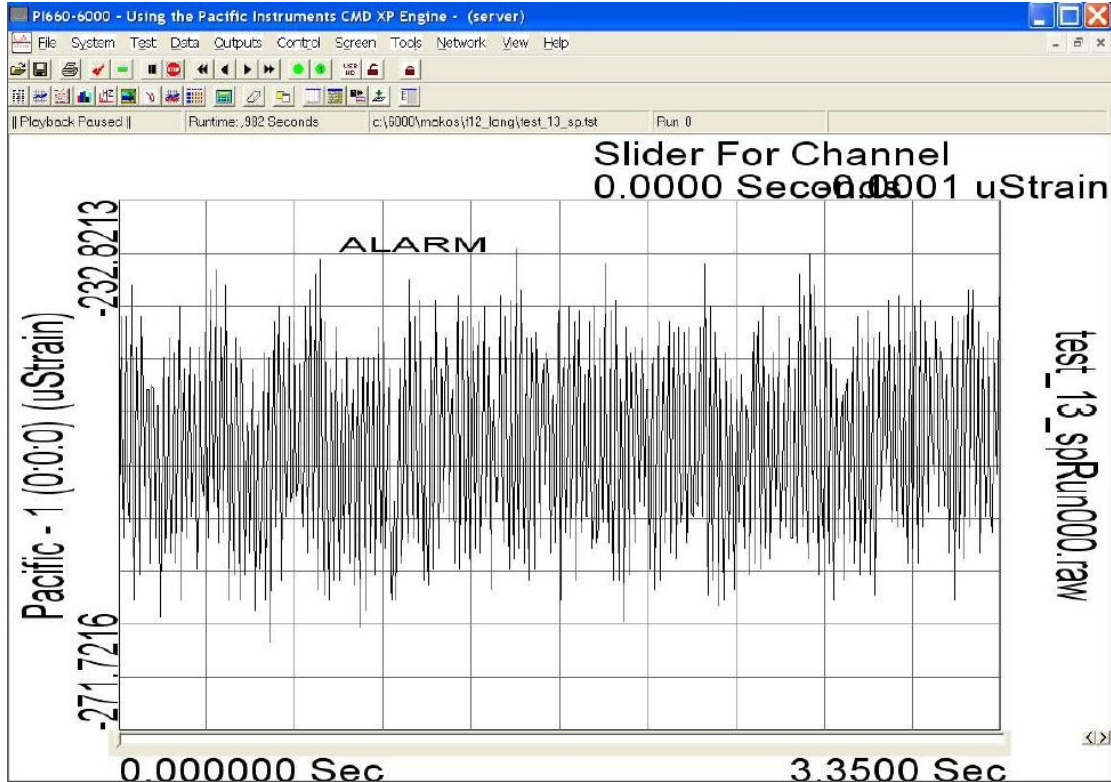
.4.24o: μ μ μ (μ)

μ 1, μ 13



.425q: μ μ

μ ()



.426q: μ μ μ

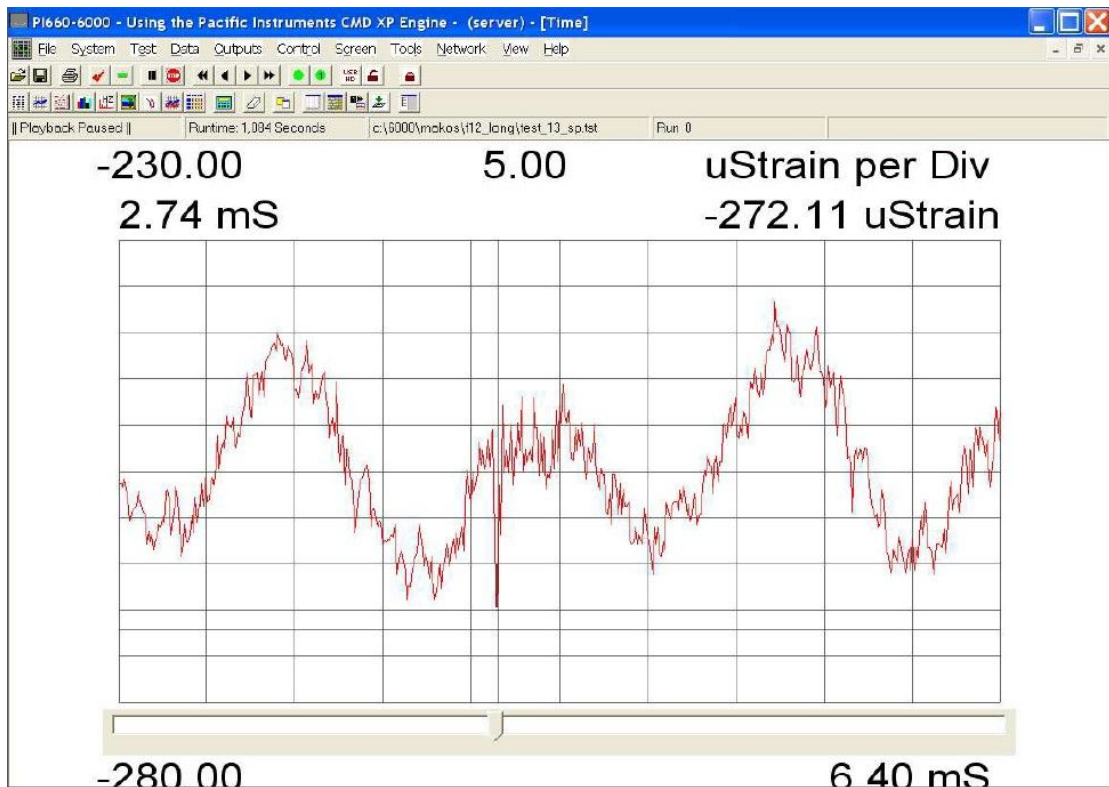
μ ()

μ 1, μ 13



.4250: μ μ

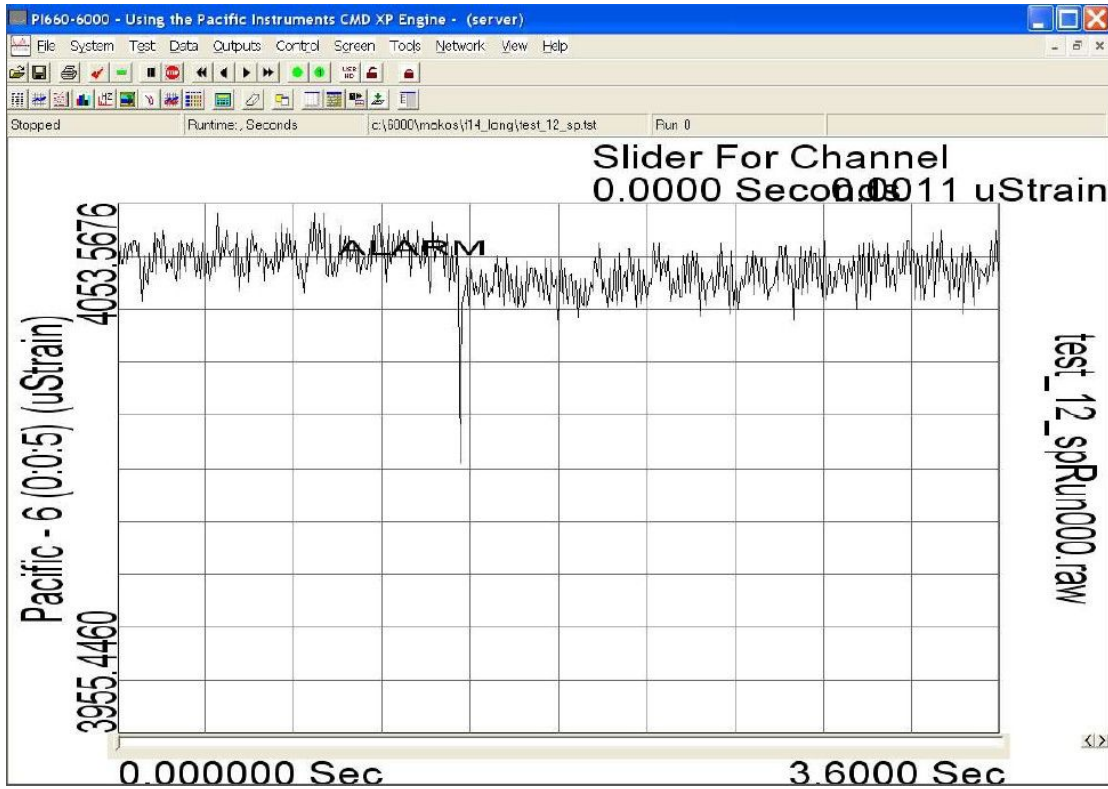
μ (μ)



.4260: μ μ μ

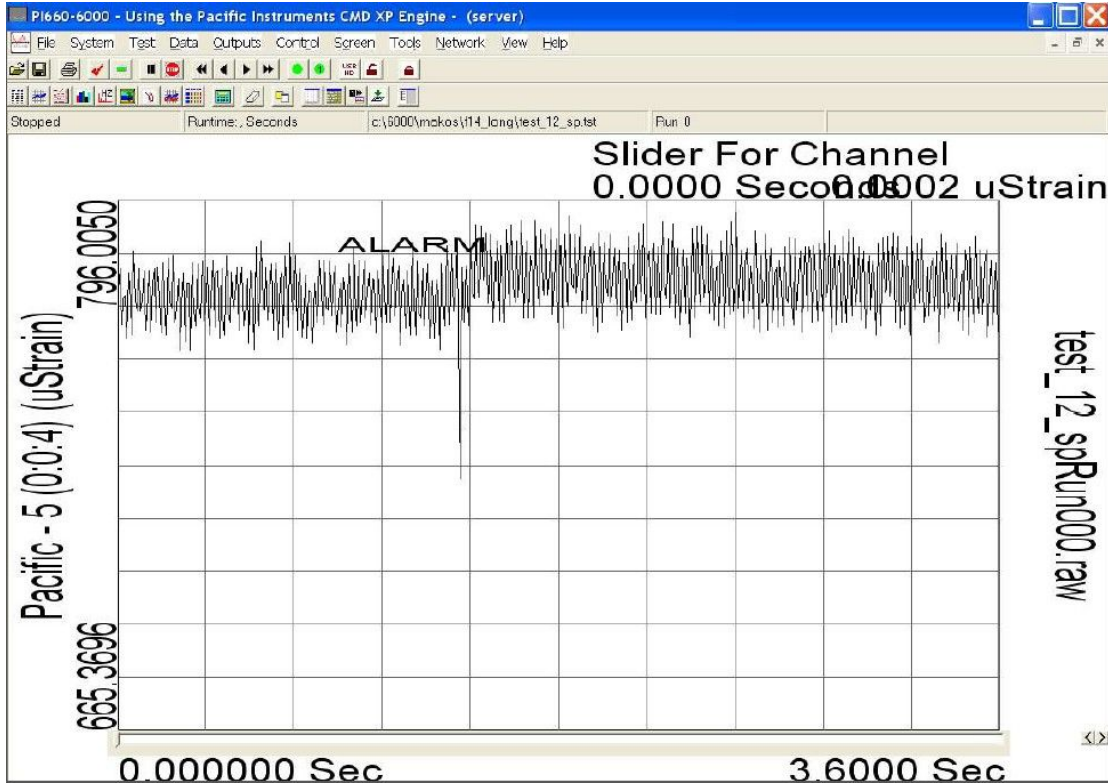
μ (μ)

μ 3, μ 12



.427q: μ μ

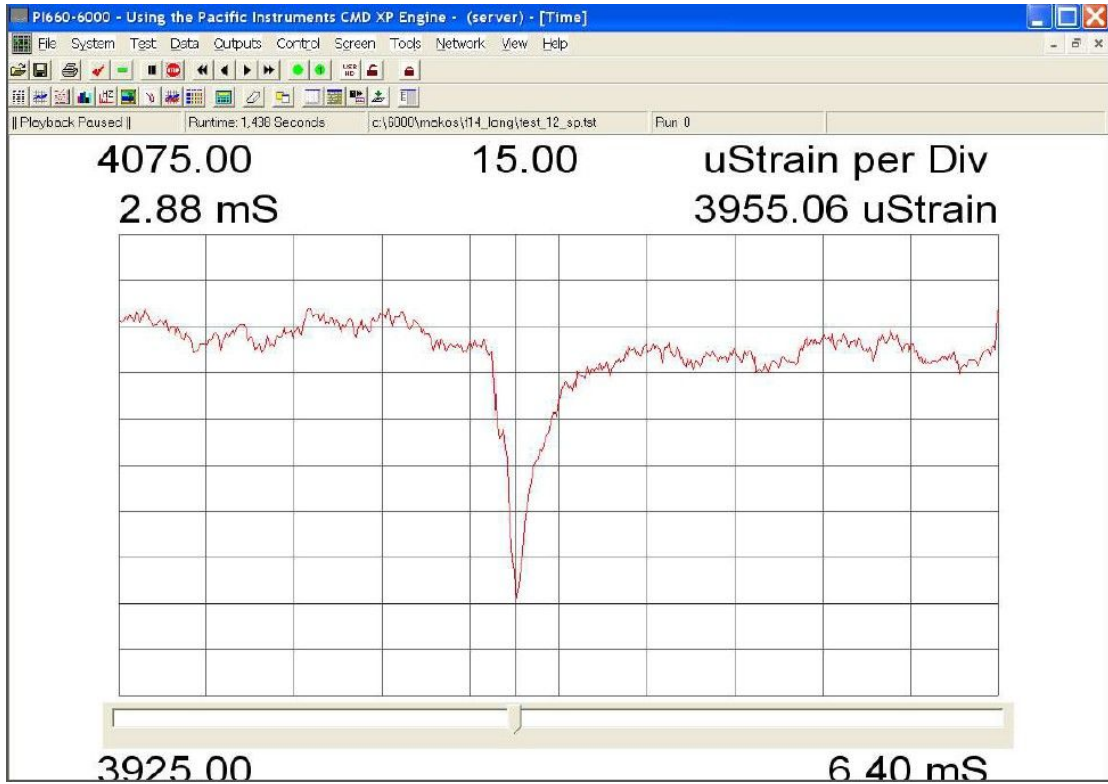
μ ()



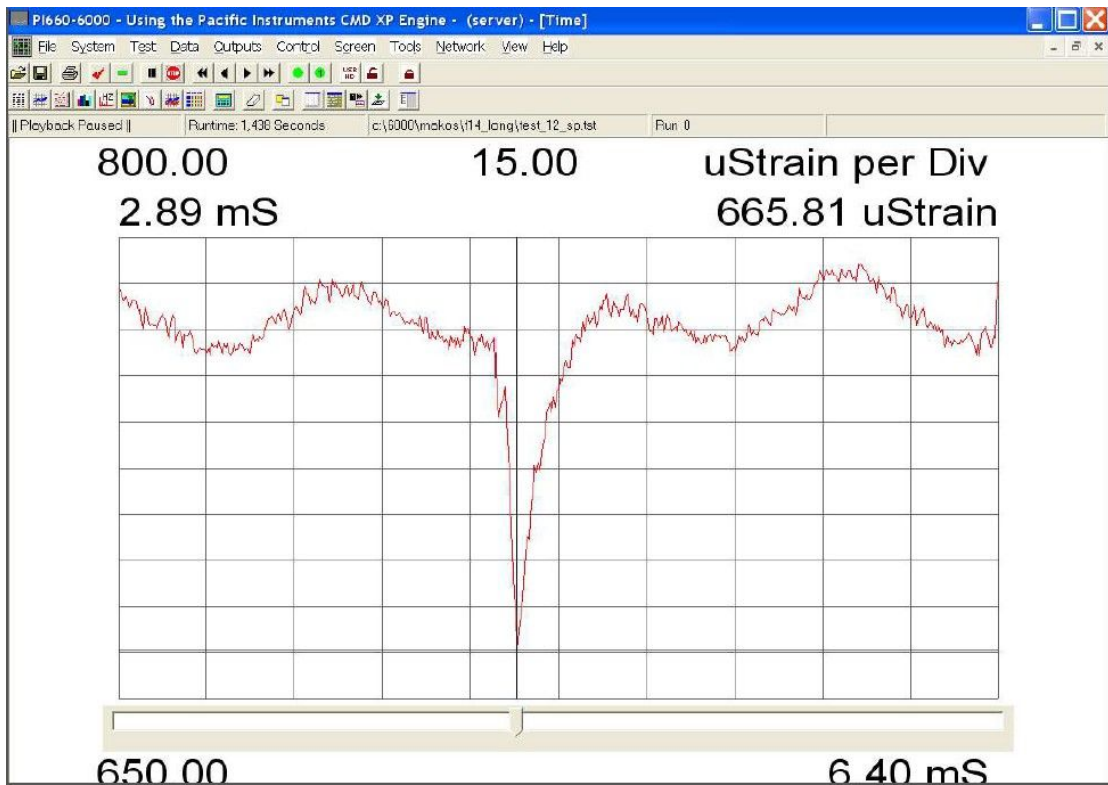
.428q: μ μ μ

μ ()

μ 3, μ 12

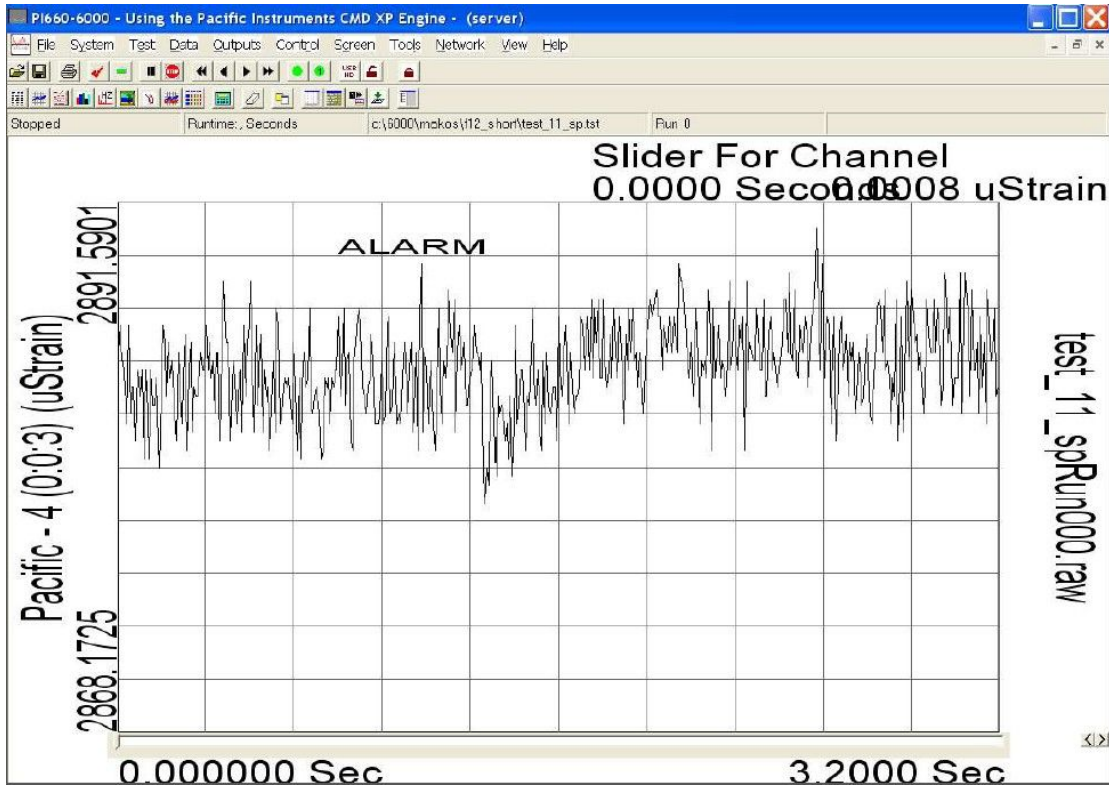


.4270: μ μ (μ)



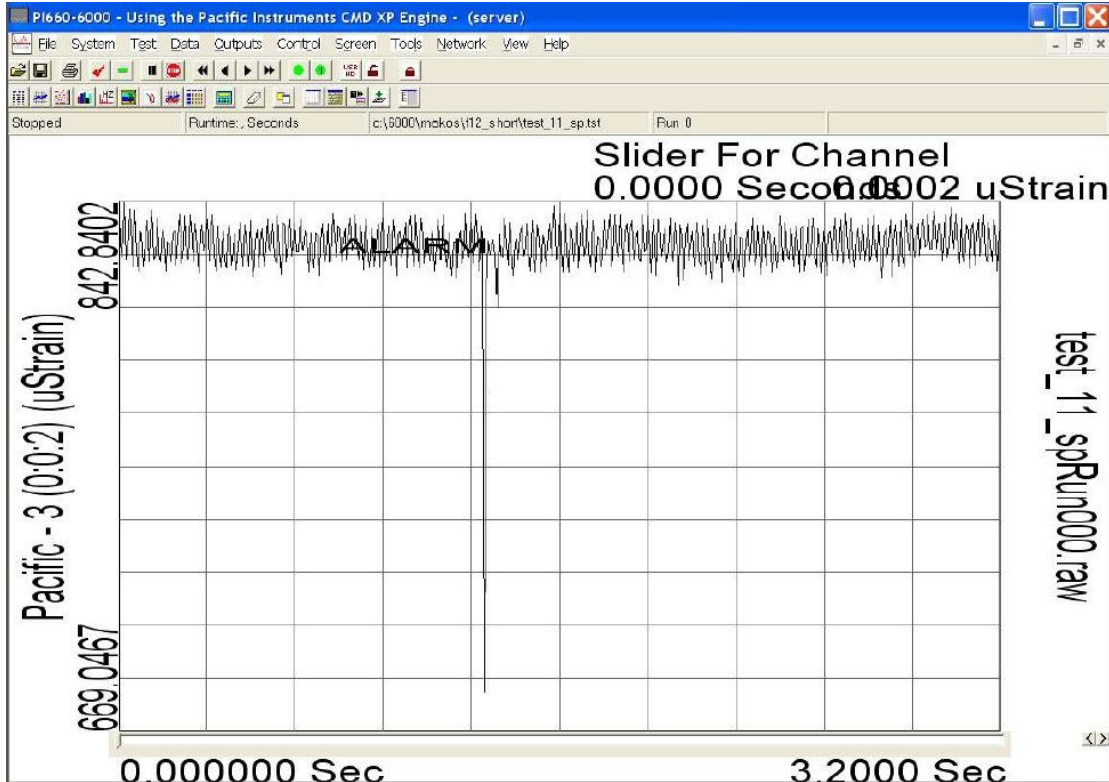
.4280: μ μ μ (μ)

μ 2, μ 11



.429q: μ μ

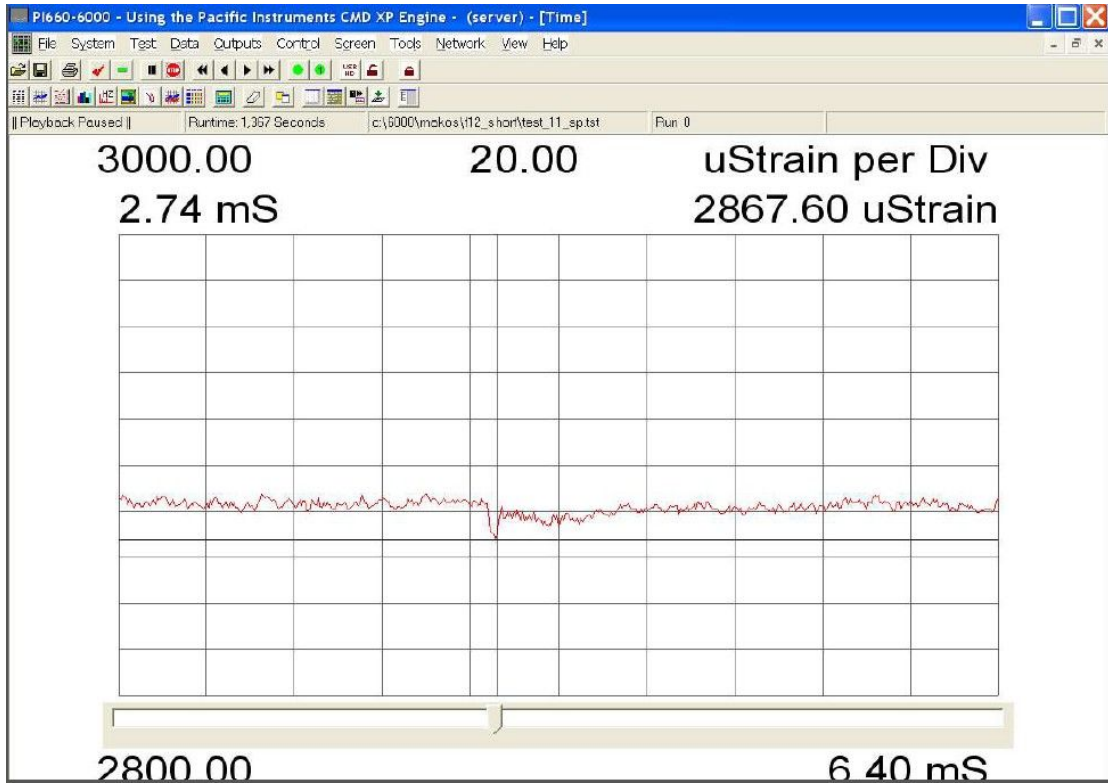
μ ()



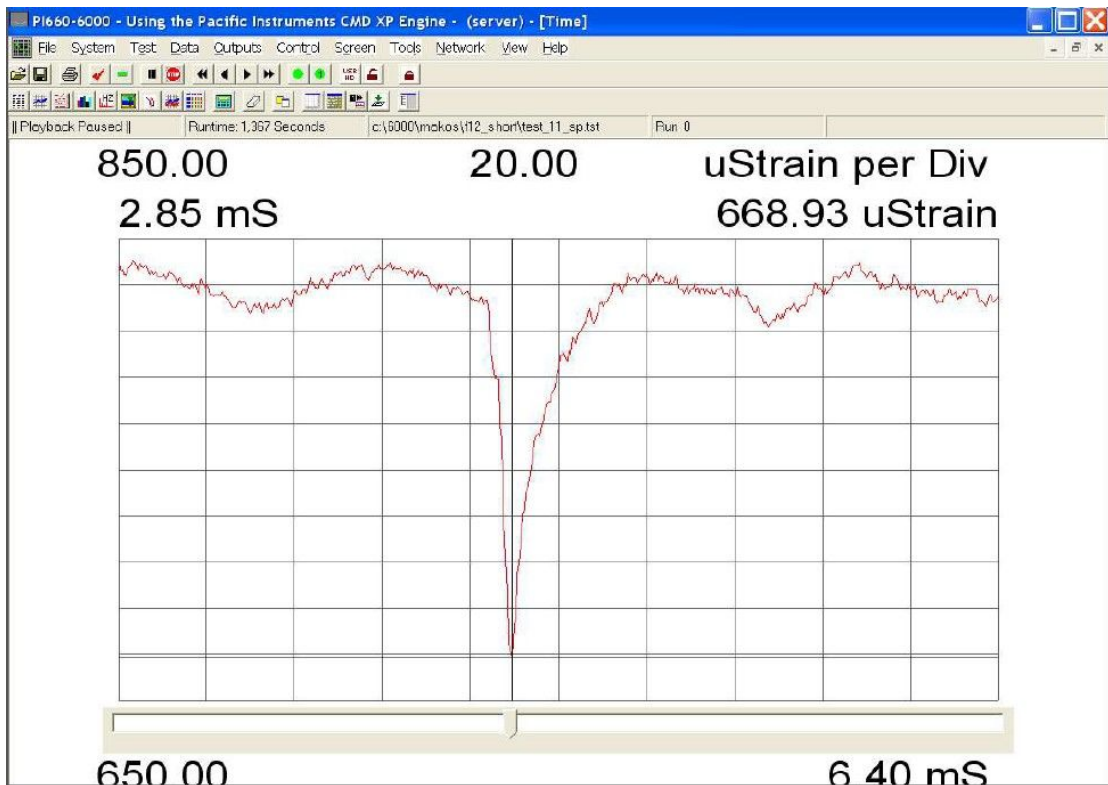
.430q: μ μ μ

μ ()

μ 2, μ 11

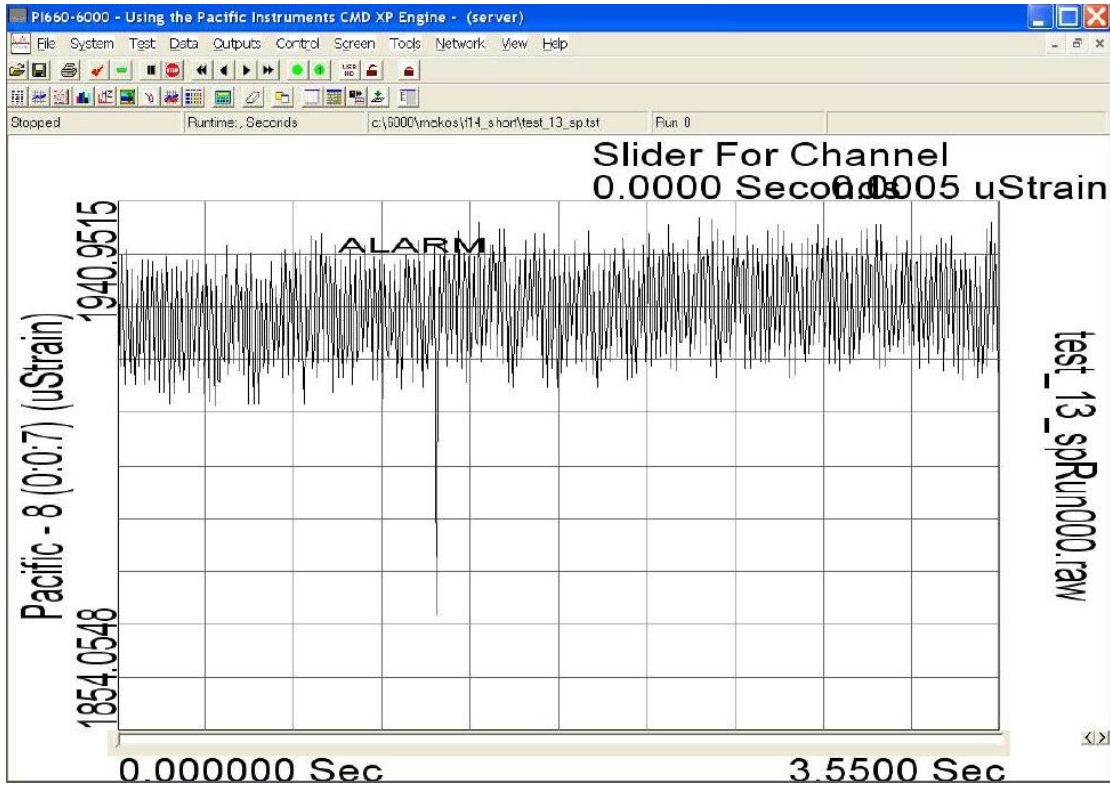


.4.290: μ μ (μ)

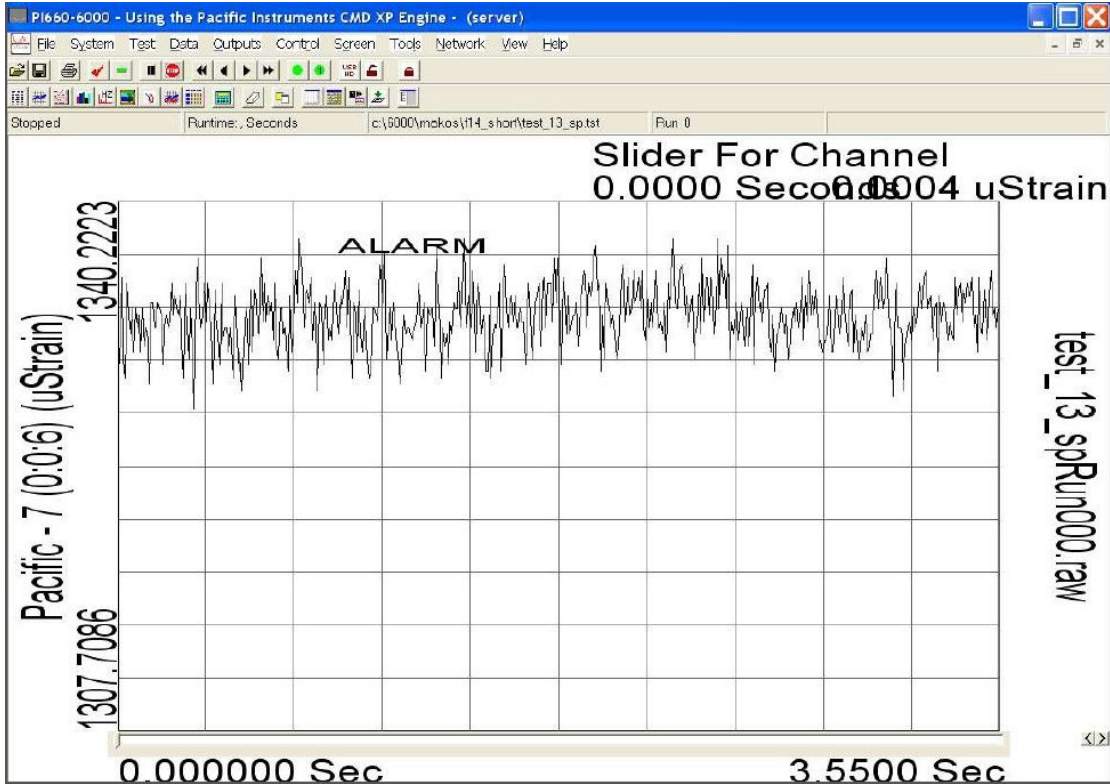


.4.300: μ μ μ (μ)

μ 4, μ 13



.431q: μ μ μ ()

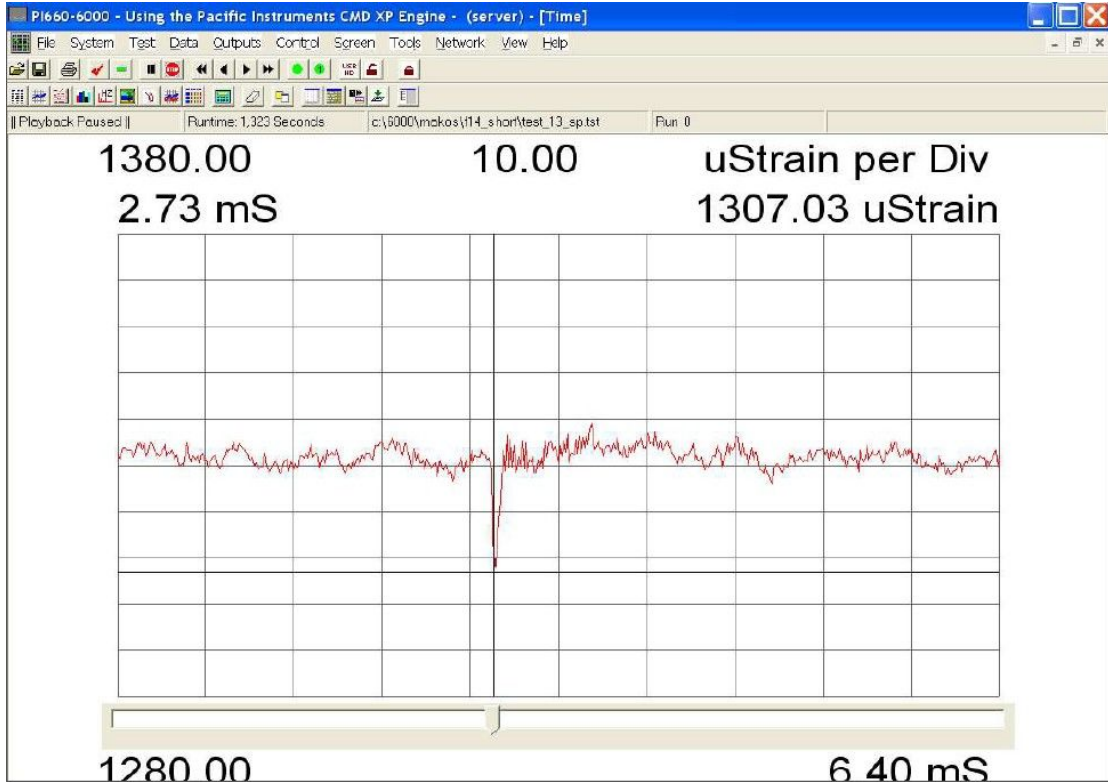


.432q: μ μ μ μ ()

μ 4, μ 13



.431o: μ μ μ (μ)



.432o: μ μ μ μ (μ)

4.3

μ

μ

, μ μμ μ 4.1q μ 4.24q,
μ μ (μ)
μ .

μ « μ » μ ,
μμ μ

4.1 μ 4.24 , μ μ μ
, μ μ μ μ μ
(μ μ) μ
μ μ μ μ
(« μ » μ).
μ μ (μ) μ ,
(μ),
μ 1 3.

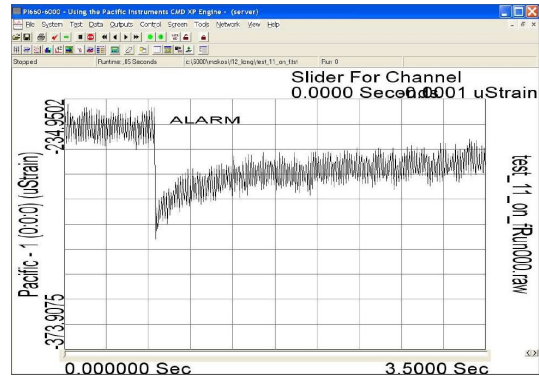
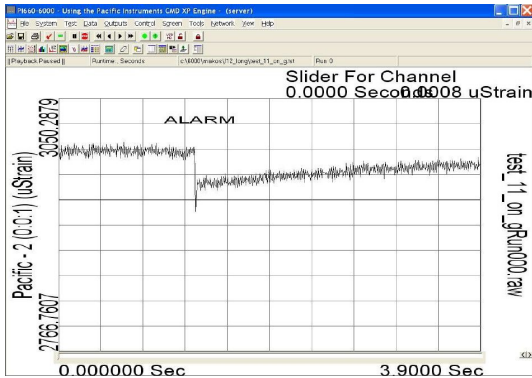
μ « μ » μ μ
μ μ , μ μ μ
μ μ μ
μ - μ μ (, 2012;
, 2013).

μμ μ μ μ cad μ
« μ » μ , μ μ
μ « μ »
μ μ (μ)
μ μ

.

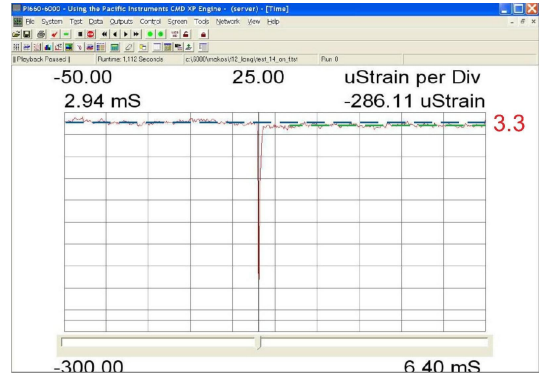
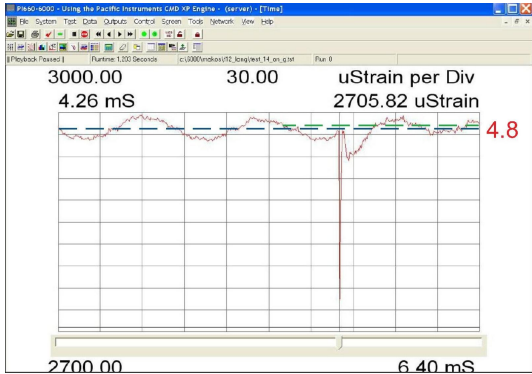
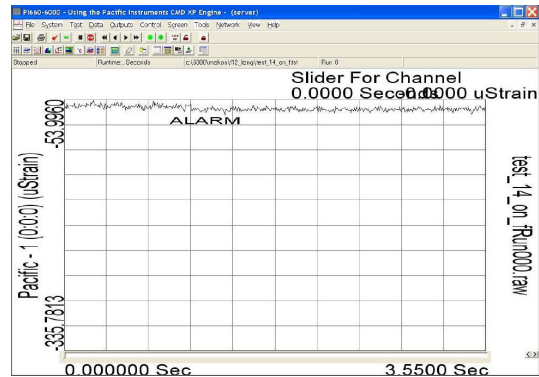
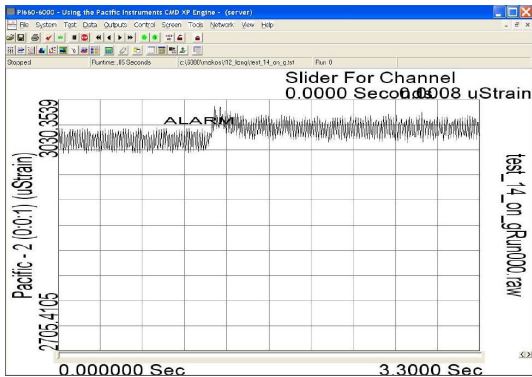
μ 1,

μ 11



μ 1,

μ 14



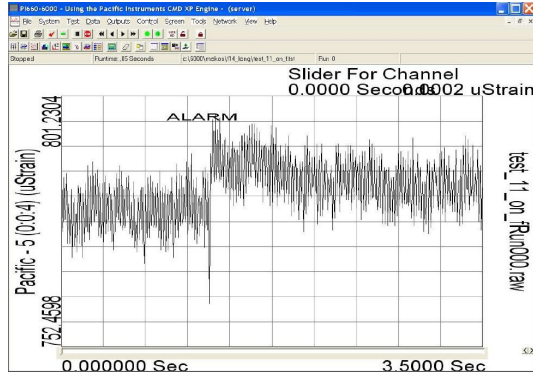
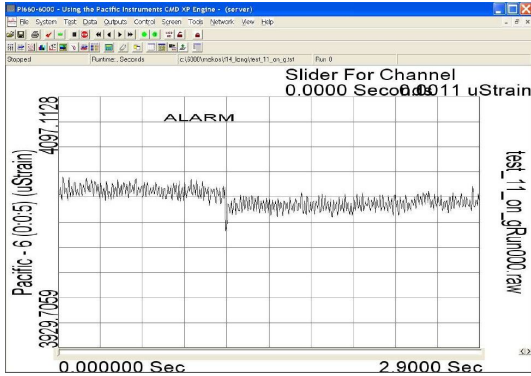
. 4.33: μ μ

() μ

μ ()

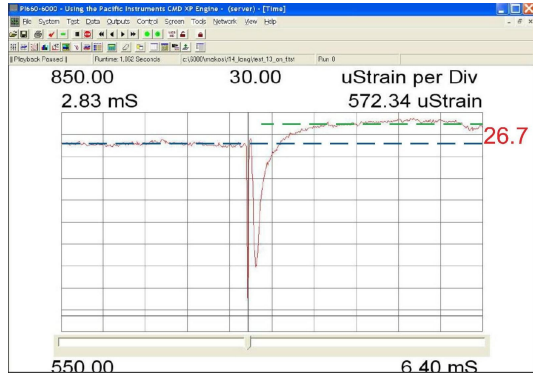
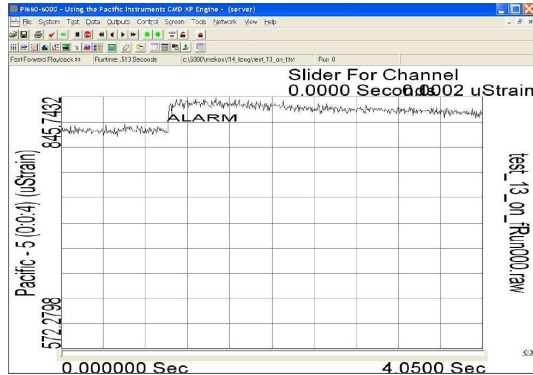
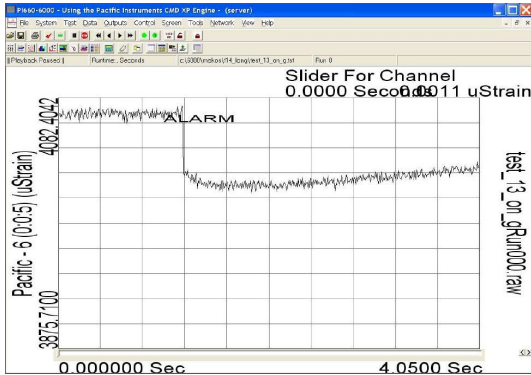
μ 3,

μ 11



μ 3,

μ 13



.434: μ μ

() μ

μ ()

4	μ	μ
---	-------	-------

μ μ μ , μ μ 1 3.
 μ , μ μ « μ »
 μ μ
 (on_g_g), μ « μ » μ μ μ
 μ (on_f_f)
 μ « μ » ($\frac{on_g_g}{on_f_f}$).

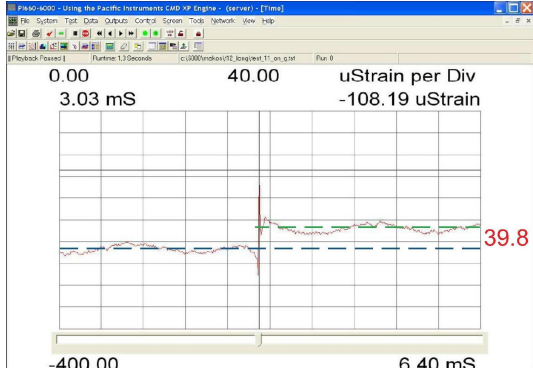
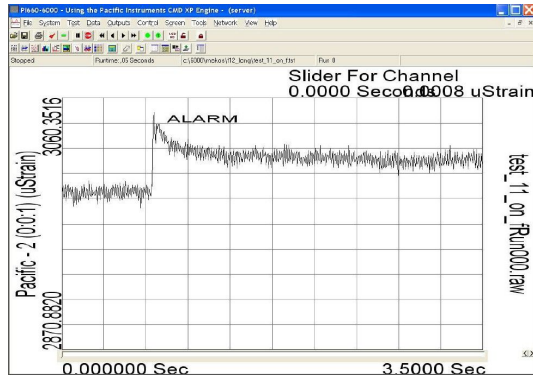
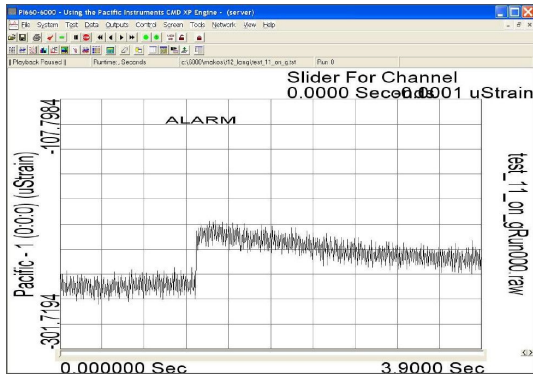
.4.1: « μ » μ

μ	μ 1			μ 3		
	on_g_g	on_f_f	$\frac{on_g_g}{on_f_f}$	on_g_g	on_f_f	$\frac{on_g_g}{on_f_f}$
test_11	50.3	49.9	1.01	14.8	9.1	1.63
test_12	-	-	-	46.6	17.9	2.60
test_13	5.9	19.1	0.31	51.2	26.7	1.92
test_14	4.8	3.3	1.45	-	-	-

μ μ « μ » μ μ
 μ μ μ
 μ μ .
 μ « μ » μ μ μ
 μ - μ μ -
 μ , μ μ
 (, 2012).
 , μ
 μ . μ μ , μ
 « μ » μ μ
 μ . μ « μ »
 μ μ (μ)
 μ μ .

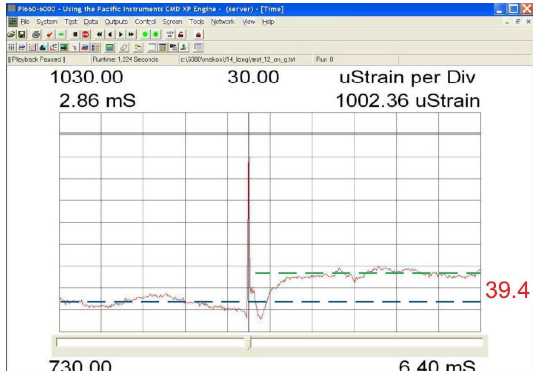
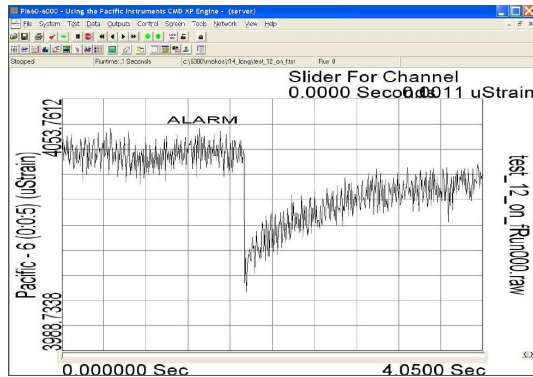
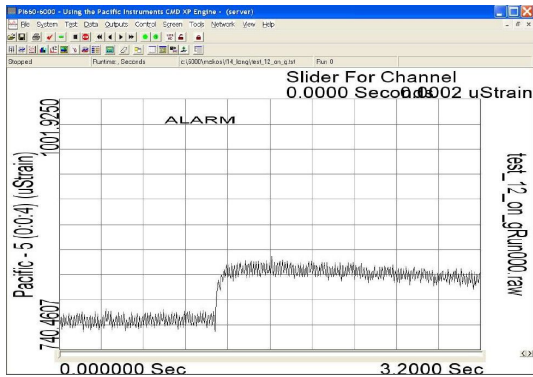
μ 1,

μ 11



μ 3,

μ 12



. 4.35: μ μ μ

()

μ ()

μ « μ »

μ μ μ , μ μ 1 3.

μ , μ ,

(on_g), μ « μ » μ μ (

g) μ (f) μ

(on_f), μ « μ » μ μ (

g) μ (f). μ μ

« μ » μ μ μ

($\frac{on_g_g}{on_g_f}$), μ

μ ($\frac{on_f_f}{on_f_g}$)

($\frac{\left(\frac{on_g_g}{on_g_f}\right)}{\left(\frac{on_f_f}{on_f_g}\right)}$).

.4.2: « μ » μ

μ	μ 1							
	on_g		on_f		$\frac{on_g_g}{on_f_f}$	$\frac{on_g_g}{on_g_f}$	$\frac{on_f_f}{on_f_g}$	$\frac{\left(\frac{on_g_g}{on_g_f}\right)}{\left(\frac{on_f_f}{on_f_g}\right)}$
	g	f	g	f				
test_11	50.3	39.8	46.4	49.9	1.01	1.26	1.08	1.18
test_13	5.9	1.3	17.5	19.1	0.31	4.54	1.09	4.16
test_14	4.8	1.4	9.8	3.3	1.45	3.43	0.34	10.18

μ	μ 3							
	on_g		on_f		$\frac{on_g_g}{on_f_f}$	$\frac{on_g_g}{on_g_f}$	$\frac{on_f_f}{on_f_g}$	$\frac{\left(\frac{on_g_g}{on_g_f}\right)}{\left(\frac{on_f_f}{on_f_g}\right)}$
	g	f	g	f				
test_11	14.8	5.8	8.6	9.1	1.63	2.55	1.06	2.41
test_12	46.6	39.4	27.1	17.9	2.60	1.18	0.66	1.79
test_13	51.2	61.1	18.3	26.7	1.92	0.84	1.46	0.57

μ μ « μ » $\frac{on_g_g}{on_g_f}$

μ $\frac{on_f_f}{on_f_g}$ μ

· μ ,

μ « μ » μ μ μ

μ , μ « μ » μ μ

μ μ μ μ

μ μ μ μ -

μ μ - μ .

μ μ « μ » μ μ μ

μ μ μ μ

μ .

μ μ μ μ 4.25 μ 4.32,

μ μ (μ)

μ . μ μ μ μ μ ,

μ .

5

μ , μ
μ .
μ , μ .
μ 2 μ , μ μ
μ . μ
μ μ . μ ,
μ μ :
μ , μ
μ μ μ .
μ μ , μ
μ μ .
μ μ μ μ
μ μ μ μ
μ . :
• μ 1 3 (μ 4 cm
μ) « μ » μ
μ μ μ , μ
« μ » μ μ μ μ μ
μ , μ μ μ μ μ
μ μ μ - μ
μ .
• μ 2 (μ mm) μ 4
(μ 2 cm) μ μ
μ . μ
μ μ μ μ ,

3, μ 4
cm μ .

- μ 1 3 μ « μ » μ μ
μ μ μ μ
μ . μ « μ » μ
μ μ – μ
μ – μ . , μ μ
, μ μ
μ μ .

- μ 1 3 μ , μ « μ » μ μ
μ μ . , μ « μ »
μ μ μ μ μ .
μ μ μ μ μ
– μ μ –
μ . μ μ

- μ μ μ μ , μ μ μ
μ μ μ μ . μ μ μ
μ μ μ μ , μ μ
3, μ .
,
μ μ μ μ
μ , μ
μ : μ

- μ
 μ .
- μ μ μ μ (. . . μ).
- μ μ (strain gauges)
 μ .
- μ μ μ μ μ μ
 μ (. . .).
- μ μ μ .
- μ (. . . μ μ ,
 μ).

- Apostolopoulos C. A., Kappatos V. Tensile properties of corroded embedded steel bars B500c in concrete. *International Journal of Structural Integrity*, Vol. 4 Iss: 2, pp. 275-294, 2013.
- Apostolopoulos C. A., Papadakis V. G. Consequences of steel corrosion on the ductility properties of reinforcement bar. *Construction and Building Materials*, Vol. 22 Iss: 12, pp. 2316–2324, 2008.
- ASTM C192/C192M-02 Standard practice for making and curing concrete test specimens in the laboratory. ASTM International, 2002.
- Batis G., Routoulas T. Steel rebars corrosion investigation with strain gages. *Cement & Concrete Composites*, Vol. 21(3), pp. 163-171, 1999.
- Böhni H. Corrosion in reinforced concrete structures. CRC Press, 2005.
- Broomfield J. P. Corrosion of steel in concrete, understanding, investigation and repair. E & FN SPON, 1997.
- Broomfield J.P., Davies K., Hladky K. The use of permanent corrosion monitoring in new and existing reinforced concrete structures. *Restoration of Buildings and Monuments*, Vol. 6 Iss: 6, pp. 631-646, 2000.
- Davies J.R. Corrosion: understanding the basics. ASM International, 2000.
- KYOWA Basic Information about Strain Gauges. : <http://www.kyowa-ei.com>, 4 2017.
- Lundgren . Effect of corrosion on the bond between steel and concrete: an overview. *Magazine of Concrete Research*, Vol. 59, No. 6, pp. 447–461, 2007.
- Ohanian H. , μ ’: – μ μ . μ . μμ , 1991.
- Zeris C., Batis G., Mouloudakis V., Marakis J. Accelerated corrosion investigation of axially loaded reinforced concrete elements. *Anti-Corrosion Methods and Materials*, Vol. 61 Iss: 4, pp. 215-223, 2014.

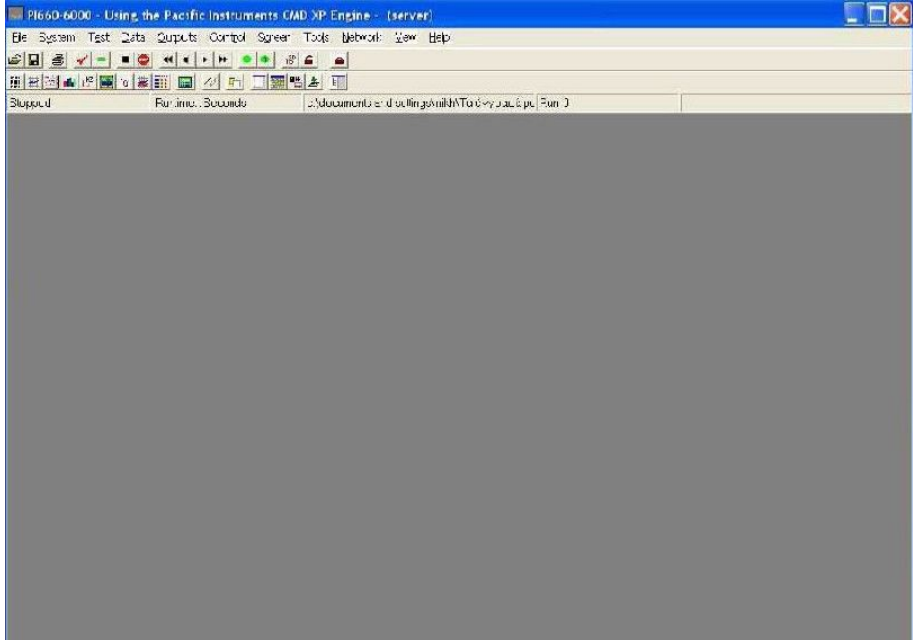
. . . , . . . μ
 μ , 2008, μ
 . μ & , .4 , .54-60, 2009.
 . μ μ μ -
 μ μ . ,
 2012.
 . . μ μ . : 15
 μ , , ,25-27 2006.
 . μ μ , μ ' .
 , μ μ μ &
 μ , 2012.
 KTX 2008 μ μ μ .
 μ , 2008.
 . μ μ . μ ,
 2013.
 . . μ μ μ
 μ . : μ μ ,
 , ,4 μ 2004.
 . . , . . μ μ ,
 , - . , 2009.
 . . μ μ μ
 μ . μ , 2007.
 . . , . . μ . μμ ,
 1999.
 ,, ,, . μ
 . , 2001.
 μ . 6:
 μ (μ -
). 1 , 2015.

.. . μ , 2007.
 . μ - μ μ μ
 μ . , 2013.
 . ., . μ μ . , 1993.
 . ., . ., . ., . . μ
 μ . , 1998.
 . . , & ().
 , 2003.

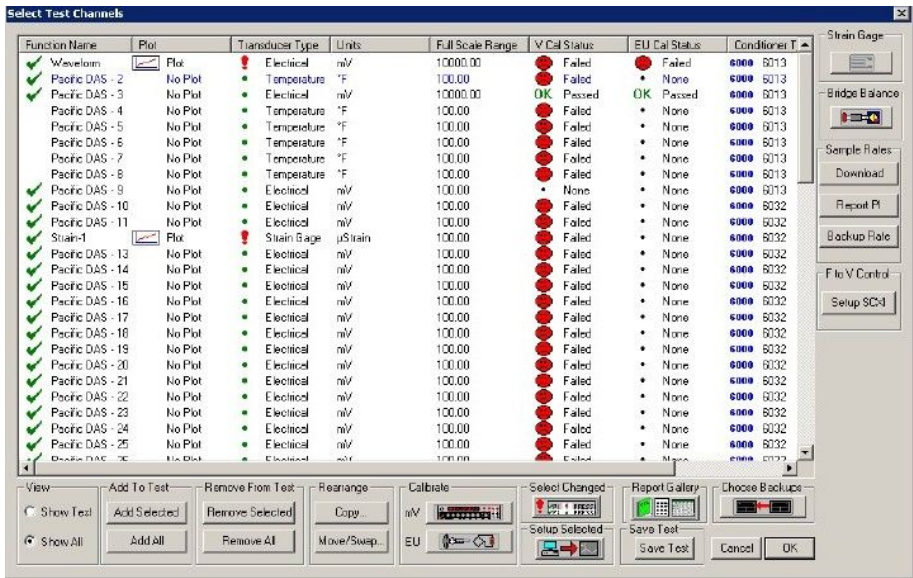
μ μ PI660-6000 μ μ

Model 6035 Pacific Instruments

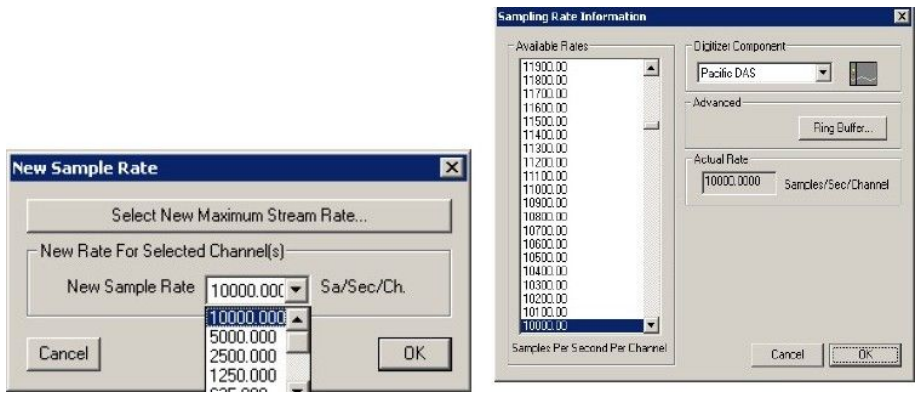
μ 1 : μ Test Select Channel



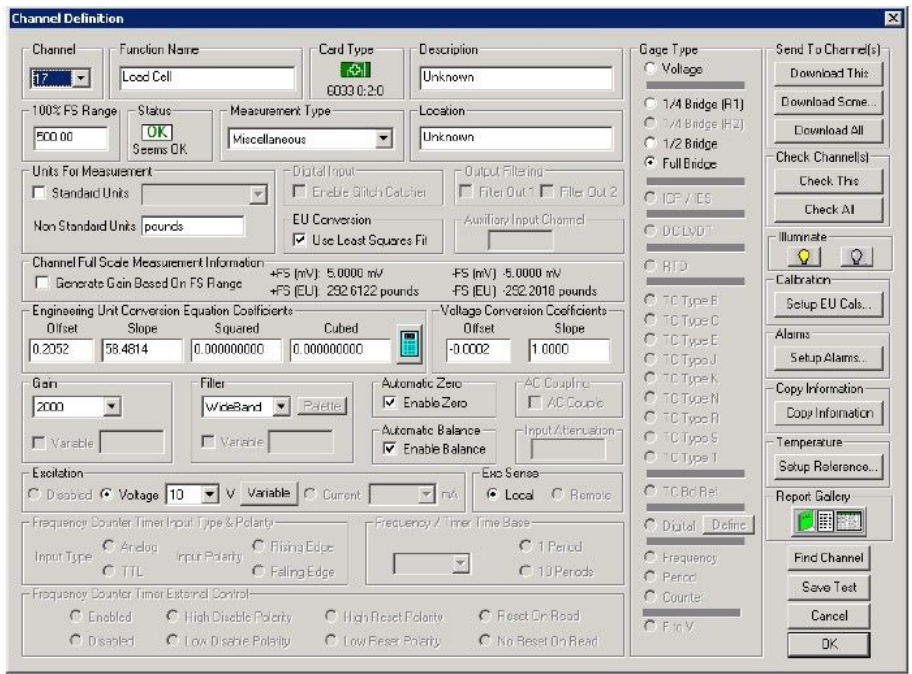
μ 2 : μ μ μ



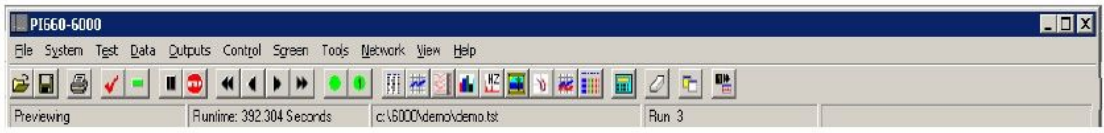
μ 3 : μ μ μ



μ 4 : μ μ . . Strain gauge



μ 5 : μ ()



μ 6 : μ μ Data Select Playback file
 μ μ . μ Screen μ μ
 μ μ . . Oscilloscope

